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# E R R A T A.

- Page 304, In Table the 2d, in the line of Reaumur's Thermrometer, for  $10^{\circ}$ .  $9^{\circ}$ .  $8^{\circ}$ .  $7^{\circ}$ .  $6^{\circ}$ .  $5^{\circ}$ .  $4^{\circ}$ .  $3^{\circ}$ .  $2^{\circ}$ .  $1^{\circ}$ .  
*read them*  $-10^{\circ}$   $-9^{\circ}$   $-8^{\circ}$   $-7^{\circ}$   $-6^{\circ}$   $-5^{\circ}$   $-4^{\circ}$   $-3^{\circ}$   $-2^{\circ}$   $-1^{\circ}$ .
- 305, — 5, from top, for are determined, *read* be determined.
- 310, — 10, from do for complement of  $9^{\circ}$ , 5, *read* complement of  $-9^{\circ}$ , 5.
- 311, — 1, from do. for complement of  $9^{\circ}$ , 5, *read* complement of  $-9^{\circ}$ , 5.
- 317, — 6, from do. for 1799, *read* 1790.
- — 8, from do. *delete the point after foil and add a comma.*
- 319, — 3, from bottom, for 582,175 grs. *read* 582175 grs.
- 339, In the sixth column, and under the Expansions of one Inch at  $32^{\circ}$ , line 8 from top, for ,1250909,  
*read* ,1250900; and line 9, same column, for ,1295557, *read* ,1295575.
- 340, — 6, from top, for D'Amontons, *read* D'Amontons.
- 344, — 5, from do. for Tremly, *read* Trembley.
- 345, — 6, from bottom, for  $\frac{1}{4}$ , *read*  $\frac{1}{2}$ .
- 365, In the fourth column, and 2d line from top, under above by observation, for  $5^{\circ}$ , *read*  $45^{\circ}$
- 373, — 6, from top, for mole, *read* Mole.
- 407, — 1, at ditto, for SECT. VI. *read* SECT. V.
- 409, In the fourth column, and 1st line, under Mathem. for  $8c, 7^{\circ}$ , *read*  $80^{\circ}, 7$ .
- 413, — 3, from top, for of the hemisphere, *read* as the northern hemisphere.
- 417, — 1, at top, for SECT. VII. *read* SECT. VI.
- 418, — 5, from top of the note, add after beyond which, the increase of.
- — 8, ditto of note, for itt maximum, *read* its maximum.
- 429, — 2, from bottom, for 328, *read*  $32^{\circ}$ .
- 441, — 6, from ditto, for manomeeers, *read* manometers.
- 446, — 5, from top, for 2,44  $\times$  36, *read* 2,43  $\times$  36.
- 491, — 7, from ditto, for hitherto, *read* heretofore.
- 493, — 14, from top, for necessity, *read* necessary.
- 500, — 1, at ditto, for Hyclometer, *read* Hygrometer.

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*Of the* VARIATIONS *of the* ATMOSPHERE.

By RICHARD KIRWAN, *Esq; L.L.D. F.R.S. and P.R.I.A.*

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THE variations of the known properties of the atmosphere, viz. of its state of moisture or dryness, and its disposition to admit, retain, or dismiss the watery fluid, its temperature, gravity, elasticity, and electricity in different seasons, and frequently in the same season, and in different years, in the same or in different latitudes, at the same or at different distances, whether vertical or lateral, from the oceans separating the two continents that form the solid mass of the globe, as well as on those oceans themselves, and the currents which from different points with more or less permanency agitate the whole atmospheric mass, form, together with the investigation of their causes, the principal objects of meteorological science.

Read May 11,  
1801.



THOUGH this science has been cultivated with much ardour in many parts of Europe ever since the discovery of the gravity of the fluid that surrounds us, it must be owned very little progress has hitherto been made in it. In every other branch of physical science from a knowledge of the causes we are enabled to foresee the effects; but from a knowledge of the actual state of the above mentioned properties of the atmosphere, who can with certainty foresee what it shall be the next day?

THE obstacles which originally obstructed all advances in this science were,

1°. THE want of proper instruments to measure the proportion or quantities, whether of moisture in the atmosphere, or of its weight, or its temperature, its density or its electricity.

2°. THE want of general standards to which, as to their proper units, the several degrees of each property may be referred.

3°. INTERRUPTION of the observations of the states of the atmosphere, by reason of which their connexion must remain unknown.

4°. As the actual states of the atmosphere are intimately connected, not only with the preceding, but with the contemporary states in different and most distant parts at least of the same hemisphere, the neglect of comparing either of them, as far as they

they were or might be known, has been, and is perhaps at present, the principal source of our ignorance of the causes that produce, vary, or interrupt them. Most meteorologists content themselves with noting the diurnal state of the atmosphere in the place of their residence, without any reference to its state in distant countries; and thus, for want of concert, *dum singuli pugnant omnes vincuntur*.

5°. THE neglect of observing the superior currents of the atmosphere, which may at present be detected by tracing the direction of balloons, in all seasons.

6°. THE neglect of maritime observations, which, being freed from all local influences, are by far the most instructive, and should, if possible, be made in all degrees of longitude and latitude.

HOWEVER, many of these obstacles have of late been happily removed. The proportion of moisture in the atmosphere relatively to its saturability, in its various states, whether of density or temperature, can now be perfectly ascertained by the hygrometer of the late excellent Mr. De Sauffure, who has by the most extraordinary efforts of genius and labour improved that instrument, so as to make it speak a language every where uniform and intelligible; a degree of perfection ever before thought unattainable. Nay, by a number of most ingenious and delicate

experiments, he has been enabled to make it indicate very nearly the absolute quantities of moisture contained in given cubic measures of atmospheric air of given densities and temperatures. Of this instrument and its uses, as Mr. Sauffure's treatise has never been translated into our language, and seems unknown to our meteorologists, I shall give an abridged account in the following pages

MR. DE LUC has also bestowed much laudable industry in perfecting an instrument, applicable to the same purposes, but less fragile; how far he has succeeded I am not enabled to say, not being possessed of it.

*Barometers* have been brought to the utmost degree of perfection by the sagacity and unremitting labours of Mr. De Luc, as may be seen in his immortal work on the modifications of the atmosphere. The varying densities of the atmosphere at different heights (denied by Buffon) have been satisfactorily proved by the numerous and happily contrived experiments of Messrs. Sauffure the father and son. See 36 Roz. p. 98.

*Thermometers* have long since been improved by Fahrenheit and Reaumur; but the imperfections and uncertainties attending many under this last denomination have been detected by Mr. De Luc, who in their room introduced a much more perfect instrument

ment which ought to bear his name. Yet the inconveniences attending the variations of the scale have not been sufficiently felt by some subsequent philosophers, who thus unhappily, and to no purpose, multiply the labours of the meteorologist. Mr. Van Swinden's excellent treatise on thermometers enables us to understand the discordant languages of many of them. And of late centesimal thermometers (the same as the Swedish) have been introduced in France. The degree of cold at which mercury freezes was determined by Mr. Cavendish from the experiments of Mr. Hutchins.

*Electrometers* of the least fallacious kind have been devised by Mr. Cavallo.

OF *Anemometers*, though many have been invented to denote the direction and the force of winds, yet none of them has, as yet, been introduced into general use. Mr. Smeaton's table of the rapidity and force of the winds, Phil. Transactions 1759, seems the best that has as yet appeared.

2<sup>o</sup> WITH respect to *standards*, Sir George Schuckburg has shewn, from 132 observations made in Italy and in England, that the mean height of the barometer at the level of the sea, the temperature of the mercury being 55<sup>o</sup> and of the air 62<sup>o</sup>, is 30,04 inches,

inches, Phil. Trans. 1777, p. 586. We may then assume the height of 30 inches as the natural mean height of the barometer at the level of the sea in most temperatures between  $32^{\circ}$  and  $82^{\circ}$ ; for if the mercury were cooled down to  $32^{\circ}$ , that is  $23^{\circ}$  below  $55^{\circ}$ , it would be lowered by that condensation only 0,07 of an inch; and if it were heated up to  $80^{\circ}$ , that is  $25^{\circ}$  above  $55^{\circ}$ , it would be raised only ,078 of an inch; quantities which except in levelling may be safely disregarded.

THE French have heretofore considered 28 Paris inches as the mean height of the barometer at the level of the sea, that is 29,84 English inches. But from 1400 observations made at Rochelle by Fleaurieau De Bellvue, and from five years observations made at Port Louis in the Isle of France, he concludes the mean height of the barometer at the level of the sea to be 28 inches and 2 lines and  $\frac{1}{2}$  of a line in the temperatures of from  $52^{\circ}$  to  $55^{\circ}$  Fahr. = 30,08 English inches, 4 New Roz. p. 159\*. Hence we may consider in round numbers 30 inches as the standard height of barometers at the level of the sea. And knowing the true height of any part of the earth, we may by subtracting that height expressed in fathoms from the log. of 30, viz. 4771,21, find the logarithm which indicates the number of inches at which,

as

\* La Chappe thought it 28 inches 1,5 lines. See Beguelin's Memoir, Mem. Berl. 1769. 12 Coll. Acad. 424.

as its natural mean, the mercury should stand at that height over the level of the sea.

THUS supposing the height to be 87 feet, equal 14,50 fathom, then  $4771,21 - 14,50 = 4756,71$ , which is the logarithm of 29,9; this therefore is the natural mean height of the barometer at the elevation of 87 feet over the level of the sea.

CONSEQUENTLY to all the heights heretofore, calculated by the French over the level of the sea, 139,32 feet must be added, English measure, when the Mercurial height at the level of the sea was barely supposed to be 28 French inches.

WITH respect to *temperatures*, I have eighteen years ago indicated a standard (none having been before thought of) with which the temperature of all the inhabited parts of the globe, whose latitudes are given, may be compared. La Cotte, whose unceasing labours contribute so largely to the progress of meteorological knowledge, has since extended this comparison to 200 towns in 30 different degrees of latitude, and found their mean temperature to coincide with my estimation twelve times. That the greatest error was 6,75 degrees of Fahr. which occurred four times, and the mean error to be 0,36 of a degree of Fahren. 37 Roz. p. 412. Such errors, not in the principles but in their application, might

might well be expected where the mean temperature of only a few years observations could be procured. On this occasion I cannot forbear remarking, that, in calculating the mean temperature of places on the observations of a few, or even of many years, the extremes, whether of heat or cold that happen not above once in ten years or still more rarely, should be omitted and only mentioned in a note.

THE third obstacle, viz. the interruption of observations, and also the 4th, 5th and 6th, cannot be remedied but by the establishment of meteorological societies in different parts of Europe, annually communicating with each other (so liberally endowed as to be enabled to employ proper observers at proper distances), and obliged to publish annual accounts of their several observations, and to compare them with those made in foreign countries. When the vast importance of meteorological knowledge to agriculture and navigation is considered, there is at present some room to hope that establishments of this nature may take place at no very distant period.

THE number of persons, who, from a view of attaining a settlement in such establishments, would receive an education in the different sciences connected with meteorology, (that is indeed all the different branches of mathematics and natural knowledge),  
and

and the emulation, thus excited, would necessarily diffuse a considerable mass of knowledge throughout the community.

THEODORE, the late Elector Palatine of the Rhine, realized this project in his dominions; and that incomparable sovereign, *Catharine the Great*, entertained the same design shortly before her decease.

SOME other petty impediments still remain, which unquestionably occasion a great loss of time, but which meteorologists themselves may easily remove, namely, the discordant notation of their instruments, and the use of duodecimal, nay even in some cases, of sexagesimal divisions, instead of the decimal, which is so much more commodious, and the application of the vague terms, *hot*, *cold*, *wet*, *dry*, to certain periods, without any designation of their precise meaning.

AMONG the most zealous promoters of meteorology in the last century we find some of the most eminent philosophers it produced, Derham, Halley, De la Hire, Mairan, Reaumur, Wargentin, Leche, Kraft, Braun, Richman, Saussure, Beguelin, &c. and among those now living, De Luc, Doctor Horfeley, Van Swinden, Cotte, Monge, &c.

THE late great navigator Captain Cooke, and the ever to be lamented La Peyrouse, Mr. Dalrymple, and Captain Phipps, have



materially benefited this science by registering the variations of their barometers and thermometers during their voyages.

*Of the Moisture of the Atmosphere.*

MOISTURE may be considered as rising into the atmosphere, or subsisting in it, or descending from it. I shall first consider its ascent.

C H A P. I.

*Of Evaporation.*

EVAPORATION is the conversion of a liquid (and frequently even of a solid) into an invisible fluid. That the liquid is diminished is evident from its loss of weight; but that the aqueous liquid, which I have here principally in view, is not decomposed, is equally clear, since the invisible fluid, into which it is converted, may be made to re-appear in its former visible state.

THIS conversion may be effected either naturally or artificially: that produced by nature is always accompanied by contact with the atmosphere; the artificial is producible in contact with the atmosphere, or even in *vacuo*, as is now well known.

IN the common course of nature five causes concur in producing evaporation: heat, affinity to atmospheric air, agitation, electricity, and light.

SECTION

## SECTION I.

*Of the Influence of Heat.*

THE connexion between heat and evaporation is too obvious to have escaped the notice of even the most inattentive to the operations of natural causes. Every one knows that, in general, the greater the heat applied to water in similar circumstances, the more quickly it will be converted into vapour. As aqueous vapours are by far the most abundant in the atmosphere, to their consideration I chiefly attend in this Essay. I have said *in general*, because Leidenfrost's experiments, and some others which will be mentioned in the sequel, shew that this law must be circumscribed within certain limits.

THAT all liquids are expanded by an increase of heat is also well known. This rarefaction is opposed by two powers, namely, the attraction of their integrant molecules to each other, and that of external pressure. But there is scarce any degree of heat so low, as to be totally disabled to overcome the resistance opposed by the power of integrant attraction; as appears by various experiments, in which, external compression being diminished or withdrawn, the rarefaction and evaporation could arise from heat singly. Thus Saussure found that water is more readily converted into

vapour *in vacuo*, or in rarified air, than in air of greater density ; because, as he well remarks, all external pressure resists the expansion of water into vapour, *Hygrom.* 219. It is true that he adds, in the subsequent page, that, in a given time, water loses more of its weight by exposure to the open air than it does *in vacuo* ; but to prove this fact he only quotes the experiment mentioned in the 55th vol. of the Philosophical Transactions, p. 146\*, where indeed it is stated, that a cup of water standing under an exhausted receiver, lost only 2,5 grains in 24 hours, whereas the same quantity of water exposed to the open air during that period of time, lost 35 grains. But it is plain that, even supposing the temperature and surfaces of the water in both cups equal, the residuary air under the receiver (whose capacity is not mentioned) must have been saturated long before that in the room could have been so, and thus its evaporation speedily checked. It is expressly said that the air under the receiver was only 43 times rarefied ; enough therefore remained to be soon saturated : but if it had been ever so perfectly exhausted, the elasticity of the vapour already raised would have been sufficient to check farther evaporation. Besides, since it is acknowledged that water evaporates more easily *in vacuo* than in open air, it necessarily follows that, if the temperature remained the same, and if the vapours had liberty to escape, it would also evaporate more copiously. The quantities evaporated in small portions of time are those that should be compared with each other ;

\* By mistake he quotes the 59th vol.

other: this I have done, and found the loss *in vacuo* incomparably greater than that in open air; the difference however I cannot now state, having lost the note I took of it. Mr. Watt has shewn, that water boils *in vacuo* at a degree of heat little superior to that of the human body, and distills as fast as it does in open air at  $212^{\circ}$ , 1 Mem. Manchester, 390. Water has also been distilled *in vacuo* by Wallerius, 11. Collect. Acad. 166, &c. and by the immortal Lavoisier, Mem. Par. 1770. Hence in nature water evaporates more when the barometer is low than when it stands high, and consequently distillation may be carried on on the tops of mountains more readily, and with less heat, than at the level of the sea.

ACCORDING to Mr. Cavendish, water heated to  $72^{\circ}$  is not (suddenly) converted into vapour under an exhausted receiver, until the pressure is no greater than about  $\frac{1}{4}$  of the usual pressure of the atmosphere, that is about three-fourths of an inch; and if the water be heated only to  $41$ , the pressure must be reduced to one-half an inch, but the vapours thus raised are immediately turned back into water on restoring the pressure of the atmosphere, Phil. Transf. 1777, 622. But it is plain that he means, that the greater part only is re-converted into vapour (unless the air is already saturated) by the increased pressure; for he allows that water exposed to the open air will evaporate at  
any

any degree of heat, and under any pressure; and this he attributes to the action of air upon it. And since the removal of the greater part of the pressure promotes evaporation, the diminution of a small part of the pressure must promote it in a degree proportionably smaller, let the temperature be what it may. Hence vapours arise more copiously and readily in rarefied air than in air of greater density, if the temperature of both sorts of air be equal.

THE consequence deduced from these experiments is farther strengthened by the observations of Saussure on evaporation on the Col de Geant compared with that which took place at the same time at Geneva. On the mountain the barometer stood at 19,98 English inches, and at Geneva at 29,04. The thermometer on the mountain was at  $45^{\circ},3$  of Fahr. at a mean, and at Geneva at  $50^{\circ}$ , yet on the mountain 39,5 grains were evaporated, while at Geneva only 14,5 grains disappeared. It is true that the air at Geneva wanted only 2,38 grains to saturate it, while that on the mountain wanted 4,03; but so small a difference cannot account for so considerable a disparity in the effect. See the ingenious calculations and the series of consequences deduced by this excellent philosopher, *Voyages aux Alpes*, vol. vii. 8vo. § 2059 and 2060. His general conclusion is, that a diminution of the density of the atmosphere amounting to one-third, every thing else being equal, doubles the quantity of evaporation, § 2062.

HENCE

HENCE Mr. De Luc and some other philosophers conclude, that the affinity of air to water, if any, no way contributes to evaporation, but that it is the mere result of the absorption of caloric by water at its surface, which absorption renders a portion of it specifically lighter than the air in contact with it, *Idees sur la Meteorol.* § 2, &c. The density, to which vapours thus raised are capable of arriving, hath certain *limits*, each relative to their temperature, being more extensive in higher temperatures, and narrower in low temperatures. The specific gravity of vapour he considers as less than that of air by more than one-half, their mass being above one-half less than the mass of an equal volume of air possessing the same elasticity in the same circumstances, *ibid.* § 7. Again, if, says he, these vapours subsist in any space, unmixed with air, in that case any pressure, superior to the expansive force which they possess in a given temperature, will, by forcing their particles into closer contact, oblige them to unite, and thus partially condense them, or (as he, in my opinion, improperly calls it) decompose them; but if any quantity of air, capable of supporting this excess of pressure over their expansive force, be mixed with them, they will support their vaporious state, § 14 and 554.

I must confess that the commonly received doctrine of the solution of vapours in air, at least in air of the usual density, on  
 plains,

plains, appears to me much more intelligible and better founded. In this system, first suggested by Halley, and beautifully illustrated by Roy, and still farther extended by Doctor Hamilton, water is attracted by air, and forms a compound lighter than *mere* air of the same temperature, and under the same pressure; but the difference of their gravities is not considerable. Whereas, in Mr. De Luc's hypothesis, water and air, not being chemically united, do not form a compound, but rather what in technical language is called an aggregate, like water and oil mixed together; if so, vapours, being specifically lighter by one-half than air of the same temperature, should rise above the stratum of air in which they are formed, until they are cooled during their ascent, or meet with air of the same density, betwixt which and air of superior density they must remain. If so, vapours should never be found in the lower strata of the atmosphere, unless they be perpetually renewed; consequently, if the source of evaporation be cut off, as it is when moist air is placed under a receiver standing on metal, or on any other dry substance, and the temperature be kept undiminished, the vapour originally dispersed through the whole of its volume should gradually collect and float at the top, as happens when water and oil are mixed together.

BUT this separation of air and vapour never happens. For if concentrated sulphuric acid, or dry caustic tartarin, or muriated lime,

lime, be, after some days, carefully introduced under the same receiver, all the moisture will, after a few days, be extracted by them, let the receiver be ever so tall, as I myself and others have frequently experienced; which could not happen if these substances were not in contact with the vapours, which are perpetually drawn down by the attraction of the lower portions of air as fast as they are deficcated, and thus the contact perpetually kept up. Moreover, cold is known to be produced in air by evaporation, but cold is never produced by mixture, but it often is by solution. Many other arguments might be adduced in proof of the solution of vapours in air, but these appear to me sufficiently convincing. See also Schmidt's excellent treatise on vapours in 4 Gren's Jour.

YET it must be remarked, that though air favours the rise of vapour by its affinity, yet it opposes its formation by its pressure, and, consequently, does not contribute to its origin, but only receives it in its nascent state, and disperses it through its own volume, and enables it to support a degree of cold, greater than it could bear if single; and as its pressure is proportioned to its density, dense air opposes evaporation more than rarefied air does, as already seen.

BUT dense air requires a greater quantity of vapour to saturate it than rarefied air, and, therefore, in equal volumes it may con-



tain a greater quantity of moisture than rarer air, and in all cases air must have, to admit vapour, liberty of expansion; for in vessels full of air, and perfectly closed and resisting dilatation, no more vapour can rise but as much as saturates that air; and, consequently, distillation cannot take place, let ever so much heat be applied, as Fontana has shewn, 13 Roz. Journ. p. 22.

DOCTOR EASON, in 1 Mem. Manchest. p. 396, argues, that if vapours were dissolved in air, the air that receives them would have its weight increased by the additional weight of the vapours; but it is known, that moist air is lighter than dry air. This is certainly true, but then it is only specifically lighter than dry air. And it is well known that many, even metallic, alloys, are specifically lighter than either of their ingredients. Air receiving vapours acquires a still greater addition to its volume than it does to its weight; besides, vapour is lighter than air, not indeed 1800 times, for that is true only of *steam*, (the vapour of boiling water) not of common vapour, as *De Luc* himself now allows.

THE DOCTOR adds, that if the doctrine of solution were true, we could not have rain unless the air were supersaturated with water, which is true with respect to some or other of the *strata* of the atmosphere, for rain proceeds from clouds, and clouds consist of  
vapours

vapours which had passed the limits of saturation, and therefore have, in some degree, coalesced ; but their farther coalescence into rain is owing to electrical agency, as the Doctor himself well explains in the succeeding pages.

THE evaporation of water exposed to the air is encreased or diminished by various circumstances, some relative to the water and some relative to the air. Those relative to the water are, 1°. its temperature ; 2°. its surface ; and, 3°. its purity.

AND 1°. as to *temperature*. It appears from Lambert's experiments made, in a room in which there was a stove whose heat could be regulated, that evaporation proceeds in a different ratio from our artificial degrees. The results are exhibited in the following table :

Heat of the water.	Ratio of Evaporation.
54°,5 . . .	1
77, . . .	3
99,5 . . .	6,5
124, . . .	12,
144, . . .	20,5
167, . . .	32,5

THE degrees of heat were taken by Lambert on Reaumur's spirit thermometer, and the evaporation estimated by lines of the Paris

inch, of which I have given the ratio, and have converted Reaumur's into Fahrenheit's scale. It appears that between  $54^{\circ},5$  and  $99^{\circ},5$  evaporation is nearly proportional to the differences of the temperature of the water, for as 22,5 (the difference between  $54^{\circ},5$  and  $77^{\circ}$ ) is to 3, so 45, (the difference between  $54^{\circ},5$  and  $99^{\circ},5$ ) is to 6.

FROM a series of experiments which I prosecuted in London during the year 1785, I am inclined to think that, other circumstances being equal, the ratios of evaporation to the temperature of water, are as expressed in the following table :

Heat of Water.	Evaporation.
32 <sup>o</sup> . . . .	1 Grain
45 . . . .	2,5
55 . . . .	4,
65 . . . .	5,
75 . . . .	6,5

THESE experiments were made on water contained in a cylindrical glass vessel, under a surface of 25,23 square inches, and containing 23,13 cubic inches. It was partially exposed to the wind and air between the hours of twelve and two o'clock in the afternoon, but sheltered from rain. In winter the initial heat of the water was generally a few degrees higher than that of the  
air,

air, and in summer a few degrees lower ; but of the variable influences of the winds, or of the saturability of the air, I can give no account, except that of this last I may say, that the hygrometer never stood lower than  $70^{\circ}$  ; but as these influences sometimes concurred with, and sometimes opposed, the action of heat, it is probable that, in producing the general effect collected from a number of experiments, they balanced each other.

2°. WITH respect to *surface*, it is now generally agreed, in consequence of the numerous and accurate experiments of Wallerius and Richman, repeated and confirmed by Lambert, that other circumstances relative to the air and to the water being alike, evaporation, in equal *times*, is exactly in the ratio of the extent of the surface which water exposes to the atmosphere ; and hence it is, that agitation of the water, by increasing and varying the surfaces, promotes evaporation. Yet Muschenbrock, in his notes on the experiments of the Academy *del Cimento*, relates some, in which he found, as he imagined, that the depth of water concurred with the surface in promoting evaporation ; so that if the surfaces were equal, the evaporation would be as the cube-roots of the depths ; thus evaporation, from a vessel eight inches deep, and filled with water, would be twice greater, than the evaporation from another vessel of equal surface in the aperture, but only one inch in depth. In this experiment both vessels were of  
lead,

lead, and placed near each other, three feet above the surface of the earth, and exposed to the full action of the air, wind and sun.

1 Collect. Acad. p. 142. But he adds, that when both were placed in a room, within his house, the daily evaporation from each was equal.

IN the first experiment, a disparity of temperature seems to me to have taken place during its continuance, which occasioned the inequality of evaporation. The external air constantly varies its temperature: now supposing the initial temperature of both vessels and of the water contained in them to be equal; and supposing the external air some degrees hotter or colder than the water in these vessels, the smaller of the two vessels, and also the water contained in it, must have acquired the temperature of the air sooner than the water in the larger of the two, and thus its evaporation must sooner have been checked, as will presently be shewn in treating of the influence of the temperature of the air, and this check to evaporation must have been renewed after every change in the temperature of the air; whereas, the water in the larger vessel must have, during each change, acquired the temperature of the air more slowly, a circumstance which promotes evaporation, as will be shewn. Therefore, in the second experiment within doors, where the variations of the temperature of the air were fewer, or none, the daily evaporation from each vessel was nearly equal.

And

And thus we see, that depth is a circumstance of no importance, except as far as it is connected with temperature. But if we suppose, during the progress of the evaporation, such a change in the temperature of the air as reduces it to an equality with that actually existing in the larger vessel, and below that which already took place in the smaller, (which may happen by the intervention of a cloud) in that case the evaporation of the larger will be checked, while that in the smaller goes on. And thus we may explain some seeming anomalies in the experiments of Wallerius.

THIS celebrated naturalist exposed to the open air, in the month of August, two tin parallelopipeds filled with water, whose surfaces were nearly equal, but the height of one of them was one inch, and of the other two inches, and found that the smaller in three hours lost 87 grains, and the larger only 77; but in three hours more, the smaller further lost 148,75 grains, and the larger 151. The total loss of the larger in six hours was 228 grains, and of the smaller 235,75. But in the month of June he found the larger to lose in seven hours 199 grains, and the smaller only 183. That the inequality of temperature in these experiments was the true cause of the inequality of evaporation, he rendered evident by another experiment, in which, having coated cylinders of unequal capacities with clay, to prevent the quick communication of heat, filled them with water, and exposed them to the air, he found the

evaporation

evaporation nearly proportional to the surfaces, in free contact with the air. 11 Coll. Acad. 142, 143, and 146.

THE influence of free contact with the air is farther illustrated by the experiments of the Reverend Mr. Williams of Bradford, in New England, for having filled with water two cylinders of equal diameters and depth, and supplying the quantity evaporated from one of them once a week, and that evaporated from the other once a month, he found the evaporation from that filled once a week one-third greater than that from the cylinder filled once a month, in the hotter season of the year, and somewhat below one-third in the colder. 2 American Transf. p. 118. The reason of which difference was, that the evaporation during a month being greater than that during a week, the air during the last three weeks of each month was obliged to sink deeper into the vessel than during the first week; it was therefore more confined, and could not be so quickly renewed, as that over the vessel that was kept full every week; and therefore during three weeks in each month its evaporation was checked. His vessels, though in some degree exposed to the air and sun, were sheltered from the rain, and therefore in some degree from the open air. It should also be remarked, that according to the beautiful experiments of Doctor Priestly, common water exposed to the sun, for some time yields oxygen air, which accelerates evaporation while this production

duction lasts, and hence the evaporation from such water is often greater at first than afterwards.

THE most striking proof, and the happiest application of the efficacy of multiplied surfaces in promoting evaporation, may be seen in what are called the houses *of graduation*, where waters, containing only one per cent. of common salt, are so far evaporated by the mere multiplication of surfaces, that the residue contains twenty per cent. and in this state, and not before, they are exposed to heat. Such houses are common in Germany and Switzerland. See Haller's account of the process in the Paris Memoirs for 1764.

THE third circumstance relative to the state of water, and which affects its evaporation, is its *purity*. It is well known, that concentrated solutions of most salts evaporate much more slowly than pure water, in the same circumstances; but Wallerius has shewn, that the evaporation from a solution of common salt, whose specific gravity was 1,0466, and consequently containing sixteen per cent. was nearly equal to that of simple water, after the salt was fully dissolved; but during its solution evaporation is diminished by reason of the cold produced.

HENCE we see, that under equal surfaces, evaporation from the sea is as considerable as that from lakes.



WALLERIUS also found, that ice evaporates in proportion to its surface and temperature, though less than water equally cold; and that it evaporates more during congelation than when its congelation is completed. And hence it is, that ice and water evaporate more than mere water of the same temperature, and so much the more as the air is colder, probably because congelation is promoted by air in proportion as the air is colder; nay, evaporation is checked during a thaw. 11 Collect Acad. 263, &c.

THE evaporation of ice was denied by Baron, but it was ascertained beyond all possibility of doubt by the accurate experiments of Saussure. Hygrom. § 130. Baron however has proved, that ice exposed to wind loses considerably by abrasion, the wind carrying off its particles in an exceeding fine powder. Saussure also observed, that ice evaporates in air four or five degrees colder than itself.

THE *state of the air* in contact with water comes next under our consideration, as it materially affects the quantity of evaporation. Air may be considered either with respect to its density, or with respect to its *temperature*, or with that of its *affinity*, which again involves the consideration of density, or with regard to its *agitation*, or with regard to its *electricity*.

AND,

AND, 1°. with respect to *temperature*, the air in contact with water may be either of the *same* temperature as the water, or it may be *warmer*, or *colder*.

If both the water and the air be of the same temperature, it appears by the experiments of Richman, that evaporation proceeds most slowly, as in that case the air in contact with the water soon becomes saturated; and though moist air is specifically lighter than dry air, yet that happens only when both are of the same temperature, or the dry air colder. Now air in taking up moisture is cooled by it, and therefore continues its contact with water, and thus the progress of evaporation is checked.

AGAIN, if the air be *warmer* than the water, and its temperature between 60° and 70°, and if the water be 14° colder, or more, in that case there is no evaporation at all, but, on the contrary, the air deposits the vapours it had previously possessed; for Richman found the scale in which the water was at first fully counterbalanced, gradually to sink, and drops of water appeared on the sides of the vessel. But if the water be only 11° colder, it will evaporate indeed, but slowly. But if the air be at any temperature between 75° and 87°, then evaporation is prevented only when and while the water is 20 degrees colder, or more; and water in Richman's experiments was deposited on the sides of

the vessel, undoubtedly from the air in contact with them. But an inferiority in the temperature of water, amounting to less than  $20^{\circ}$ , will not prevent evaporation, but only proportionably diminish it; it is always briskest when the inferiority amounts only to  $1\frac{1}{2}$ , or 2 degrees.

THEREFORE, the nearer water approaches to the temperature of the air, and yet remains one or two degrees below it, the more evaporation is accelerated. This may help to explain some experiments of Achard, 15 Roz. Jour. p. 468.

RICHMAN also observed that when air is some degrees warmer than water, evaporation is for a few minutes slower than it becomes afterwards; but after a few hours it is again retarded. The reason of which seems to be, that the inferiority of temperature in the water is originally greatest, but gradually diminishes, and thus evaporation is accelerated; but, at last, the water attains an equality of temperature, and then evaporation is retarded.

THIS, however, can rarely happen, but when the mass of water is small, or its depth inconsiderable, or the air in a stagnating state.

2°. WHEN *air is colder* than the water exposed to it, the result, with respect to evaporation, is exactly the reverse of what happens  
when

when the water is the colder of the two. For Richman's experiments shew, that other circumstances being similar, evaporation in equal times (at least in portions of time not exceeding seven hours) is so much the greater, as the difference between the temperature of the air and that of the water is greater. Or, in other words, the *evaporation is as the differences between the colder air and the warmer water*. Thus, if a difference of  $92^{\circ}$  produces an evaporation as 13,5, a difference of  $68^{\circ}$  will produce an evaporation of 9,46. This law, however, rests on the supposition, that the temperature remains unaltered (otherwise a new calculation would be requisite), which may be supposed nearly true, when large masses of water in contact with the air are cooled by it; they descend and give place to the lower and warmer water, while the air, warmed by contact with the water, rises, and gives place to the colder which descends: but such retrograde movements, whether of the water or of the air, are imperceptible, unless the differences of temperature be considerable in the different strata of each; and with respect to air in particular, unless the specific gravity of the lower strata be inferior to that of the upper in a notable degree. The previous saturation of air, (that is, its distance from the point of saturation) must occasion considerable differences in the evaporation of the water exposed to it.

LASTLY, if we suppose the temperature of the water constant, and the temperature of the air in one case some degrees hotter,  
and

and in another case colder than water, by an equal number of degrees, it should seem, that in equal times the evaporation would be greater in the hotter air than in the colder, because colder air is sooner saturated, requiring only to produce saturation a smaller proportion of moisture ; yet as, on the other hand, hot air deposits moisture on water some degrees colder, this point is not yet absolutely settled.

## SECTION II.

### *Of the Influence of Affinity.*

THE next property of air materially concerned in promoting evaporation is its *affinity* to water. That this affinity is very strong, appears by the difficulty of depriving water of the air it contains, either by ebullition, or by the action of the air-pump, as Mr. De Luc has long since shewn. This affinity, nevertheless, does not seem to me a chemical affinity, for water and air do not form a *tertium quid*, as bodies chemically united do ; and they are in great measure separable by mere mechanical means, as by the action of the air-pump, which bodies chemically united never are, and hence, Saussure very properly calls it, an hygrometrical affinity : yet it resembles chemical affinity thus far, that it acts by attraction, and promotes an union, at least of adhesion, and this attraction has its limit, which is also called *saturation*.

OF

OF saturation, or of any approach towards it, no satisfactory knowledge could be obtained previous to the discovery of a comparable hygrometer by Mr. Sauffure; an invention which perhaps is equal in importance, and considering it conjointly with the investigation of the numerous incidents to which it gave birth, was attended with greater difficulties, and required more sagacity, than any discovery, (those of Scheele excepted) made during the course of the last century.

THIS instrument consists of a single human hair, duly cleansed, and kept in a state of tension by the weight of a few grains, and rolled on a pulley to which an index is fixed. The hair is lengthened by moisture, and the index drawn up; it is contracted by dryness, and the index drawn down; the weight prevailing in the first case, and the elasticity of the hair in the second case: heat also lengthens the hair, but as it also promotes the evaporation of the moisture adhering to the hair, it by that means, upon the whole produces a still greater contraction, and thus makes it indicate superior dryness.

FIXED points both of the *maximum* of desiccation, and of the *maximum* of moisture, that is saturation therewith, were accurately settled, and even some degrees of supersaturation noted. The *maximum* of desiccation is not undoubtedly the *true maximum*;  
yet

yet however, since it far exceeds any variable degree of moisture, ever discovered in air, it is fully sufficient for all meteorological purposes.

THE *maximum* of desiccation is marked 0 on the scale of this instrument\*, and the *maximum* of moisture, or point of saturation, 98°. To prevent confounding these with thermometrical degrees, which often accompany them, I denote them by Roman numerals. XXV. marks the greatest dryness, which according to Saussure can never be found in the open air†. XL. the greatest dryness ever observed by him; consequently even L denotes a considerable degree of desiccation. But LXX denotes a degree of moisture often perceptible on glass.

HERE it must be carefully remarked, that hygrometrical degrees denote very nearly the *ratios* which the quantity of moisture possessed by a *stratum* of air, bears to the quantity that would saturate that air in its *actual* temperature; and as this saturating quantity varies more or less in every degree of temperature, it follows,

\* I have often produced a desiccation far below 0 by means of sulphuric acid highly concentrated.

† I don't know that the dryness of the scirocco or harmattan was ever explored by this instrument.

follows: 1<sup>o</sup>, that the *same ratio*, or hygrometrical degree, will indicate a different saturating quantity, and a different absolute quantity of moisture, in every different degree of temperature.

2d<sup>o</sup>. That if in a given *stratum* of air the temperature be altered, while the quantity of moisture remains constant, the ratio or degree will also be altered; because the quantity necessary to saturation is altered: therefore, if in this case the temperature be raised, the index will be lowered, and mark a greater dryness, because the air is farther from saturation, and therefore relatively dryer; and, *vice versa*, if the temperature be lowered, the index will ascend, and mark a greater degree of moisture, though its real quantity be the same, because the air is then nearer to the point of saturation than it was before.

THIS ratio of the actual degree to the saturating quantity is what I call the relative *saturability* of air.

HENCE it follows that, at high temperatures, the same hygrometrical degree denotes an absolute quantity of moisture far greater than it does at low temperatures; because, though the ratios to the saturating quantity are nearly the same, yet the saturating quantity in high temperatures is far greater than in low temperatures, and a high hygrometrical degree in air at a *low* tempe-



rature may indicate a far smaller quantity of moisture than a low hygrometrical degree in a *high* temperature.

SAUSSURE did not stop at these general indications. He has given us, 1° The *absolute* quantities of moisture, corresponding with each hygrometrical degree, contained in the French cubic foot (that is 1,210 English) at the temperature of 15°, 16 of Reaumur, equal to 65,8 Fahr. or rather 65,4, for he neglects the fraction 0,16: 2do. the absolute quantities of moisture in the cubic foot, corresponding with every five degrees of the hygrometer, commencing at the XLth, at every fifth degree of Reaumur, commencing at — 10 = 9°, 5 of Fahr: but on the accuracy of this table he does not so much rely, as on that of the first. Fortunately, extreme accuracy for the general purposes of meteorology is not requisite: 3tio. he has given a table of the diminution of the menstrual power of air when rarefied to the degrees denoted by barometrical heights. With respect to the principles on which this table is founded I do not however perfectly agree with him.

OF the first table I shall here transcribe such degrees as appear to me most curious and useful.

#### TABLE

T A B L E I.

*Of the Weight of Moisture in a Cubic Foot, indicated by the Hygrometrical Degrees at 65° of Fahr. Barometer 28,77. (English).*

Hygrometer.	Grains.	Hygrometer.	Grains.	Hygrometer.	Grains.	Hygrometer	Grains.
I	0,0304	I.	3,4852	LXVII	5,8595	LXXXIV	8,7170
II	0,0643	II	3,5902	LXVIII	6,0329	LXXXV	8,8850
XXXV	2,1702	III	3,6976	LXIX	6,1971	LXXXVI	9,0530
XXXVI	2,2475	IIII	3,8072	LXX	6,3651	LXXXVII	9,2210
XXXVII	2,3254	LIV	3,9192	LXXI	6,5331	LXXXVIII	9,3890
XXXVIII	2,4041	LV	4,0335	LXXII	6,7011	LXXXIX	9,5570
XXXIX	2,4834	LVI	4,1502	LXXIII	6,8691	XC	9,7250
XL	2,5634	LVII	4,2692	LXXIV	7,0370	XCI	9,8930
XLI	2,6451	LVIII	4,3905	LXXV	7,2050	XCII	10,0610
XLII	2,7291	LIX	4,5141	LXXVI	7,3720	XCIII	10,2290
XLIII	2,8155	LX	4,6534	LXXVII	7,5410	XCIV	10,3970
XLIV	2,9042	LXI	4,8021	LXXVIII	7,7090	XCV	10,5650
XLV	2,9952	LXII	4,9597	LXXIX	7,8770	XCVI	10,7330
XLVI	3,0885	LXIII	5,1271	LXXX	8,0450	XCVII	10,9010
XLVII	3,1842	LXIV	5,3031	LXXXI	8,2130	*XCVIII	11,0690 <sup>fat<sup>n</sup></sup>
XLVIII	3,2822	LXV	5,4873	LXXXII	8,3810	XCIX	superfat <sup>n</sup> .
XLIX	3,3826	LXVI	5,6775	LXXXIII	8,5490		

\* He originally fixed saturation at C; but as some uncertainty attended this point, he afterwards thought it safer to fix it at XCVIII.

As air at each degree of heat may contain various degrees of moisture, from the extreme degree of dryness up to the extreme or saturating degree of moisture, *every* hygrometrical degree may be found in *each* degree of temperature, and consequently tables similar to the last might be formed for each degree of temperature. To form such tables with due accuracy would require the labour of many years. Hence Saussure, in the second table, has only marked the quantity of moisture in a cubic foot, corresponding with a few of the hygrometrical degrees at each 5th degree of Reaumur, from  $-10^{\circ}$  to  $+30^{\circ}$  Reaumur.

THE saturating quantity of moisture in a cubic foot I call its hygrometrical *complement*. As Saussure has given the complements of only every fifth degree of Reaumur, I have interpolated four arithmetical means for the complements of the intermediate degrees, but to distinguish them from those of Saussure, I have added S to these last.

I have also given Fahrenheit's degrees under those of Reaumur.

THIS table I have contrived to fill by taking the ratios, each hygrometrical quantity, at each degree of heat, bears to the complement, as shewn in page 310, but I have calculated only to  $80^{\circ}$  of Fahr.

TABLE

*Of the Quantities of*

Reaumur	10°	9°	8°	7°	6°	5°	4°	3°	2°
Fahren.	9°,5.	11°,75	14°	15°,12	18°,5	20°,75	23°	25°,25	27°,5
Hygrometer	S					S			
XL	0,8971	,9371	,9789	1,0206	1,0625	1,1067	1,1595	1,2066	1,2593
XLV	1,0676	1,1509	1,1653	1,2151	1,2890	1,3171	1,3760	1,4375	1,4987
L	1,2197	1,289	1,2954	1,3871	1,4442	1,5047	1,5712	1,5915	1,7112
LV	1,4116	1,476	1,5427	1,6085	1,6742	1,7414	1,8218	1,9029	1,984
LX	1,6411	1,7119	1,7882	1,8647	1,9412	2,0246	2,1116	2,2060	2,3004
LXV	1,9204	2,008	2,0975	2,1868	2,2767	2,3691	2,4769	2,5878	2,6980
LXX	2,2277	2,338	2,4336	2,5463	2,6437	2,7482	2,8768	3,0054	3,134
LXXV	2,5215	2,637	2,7542	2,8720	2,9896	3,1107	3,2525	3,3973	3,542
LXXX	2,8155	2,944	3,0770	3,2071	3,3390	3,4734	3,6325	3,7943	3,957
LXXXV	3,1095	3,253	3,3980	3,5425	3,6886	3,8361	4,0124	4,1919	4,370
XC	3,4035	3,562	3,7197	3,8708	4,0379	4,1987	4,3924	4,5889	4,785
XCV	3,6946	3,861	4,0325	4,2025	4,3781	4,5578	4,622	4,9751	5,188
XCVIII	3,8739	4,0549	4,2359	4,4169	4,5979	4,7750	5,0023	5,2256	5,448

# T A B L E II.

*f the Quantities of Moisture in a cubic Foot of Air at different Degrees of the Hygr*

	4°	3°	2°	1°	0°	1°	2°	3°	4°	5°	6°	7°	8°	9°
75	23°	25°,25	27°,5	29°,75	32°.	34°,25	36°,5	38°,75	41°,	43°,25	45°,5	47°,75	50°	52°,25
					S					S				
67	1,1595	1,2066	1,2593	1,3101	1,3653	1,4260	1,4910	1,5532	1,6394	1,6843	1,7595	1,8379	1,9122	1,9927
71	1,3760	1,4375	1,4987	1,5589	1,6248	1,6710	1,7778	1,8485	1,4514	2,0045	2,059	2,1878	2,2813	2,3749
47	1,5712	1,5915	1,7112	1,7800	1,8563	1,9378	2,0251	2,1112	2,2636	2,2900	2,3913	2,2782	2,6047	2,7115
14	1,8218	1,9029	1,9844	2,0635	2,1483	2,2470	2,3420	2,4462	2,5836	2,6503	2,7723	2,8961	3,0203	3,1442
26	2,1116	2,2060	2,3004	2,3923	2,4976	2,6050	2,7210	2,8368	2,996	3,0690	3,2145	3,3580	3,5011	3,6437
591	2,4769	2,5878	2,6980	2,8061	2,9226	3,0550	3,1910	3,3280	3,5210	3,6055	3,6124	3,9382	4,1064	4,2747
82	2,8768	3,0054	3,1341	3,2592	3,3903	3,5490	3,7071	3,8659	4,0840	4,1824	4,3792	4,5745	4,7700	4,9652
107	3,2525	3,3973	3,5425	3,6847	3,8375	4,0125	4,1908	4,3688	4,6131	4,7342	4,9495	5,1710	5,3920	5,6125
734	3,6325	3,7943	3,9574	4,1153	4,2850	4,4803	4,6800	4,8789	5,1523	5,2862	5,5232	5,7753	6,0220	6,2680
361	4,0124	4,1919	4,3702	4,5457	4,7324	4,9489	5,1699	5,3903	5,6904	5,8381	6,1271	6,3796	6,6523	6,9250
987	4,3924	4,5889	4,7852	4,9763	5,1797	5,4176	5,6598	5,9000	6,2295	6,3900	6,5325	6,9898	7,2885	7,5870
578	4,622	4,9751	5,1884	5,3977	5,6227	5,8751	6,1370	6,3980	6,7545	6,9420	7,2491	7,5727	7,8963	8,3190
750	5,0023	5,2256	5,4489	5,6722	5,8956	6,1701	6,4446	6,7191	7,0936	7,2731	7,6129	7,9527	8,2925	8,6320

To face

II.

Degrees of the Hygrometer and Reaumur's Thermometer.

	7°	8°	9°	10°	11°	12°	13°	14°	15°	16°	17°	18°	19°
5	47°,75	50°	52°,25	54°,5	56°,75	59°,	61°,25	63°,5	65°,75	68°	70°,25	72°,5	74°,75
				S					S				
95	1,8379	1,9122	1,9927	2,0779	2,1710	2,2675	2,3649	2,4554	2,5634	2,7421	2,7973	2,9144	3,0370
9	2,1878	2,2813	2,3749	2,4729	2,5830	2,6991	2,8140	2,9496	2,9952	3,2640	3,3298	3,4714	3,6151
13	2,2782	2,6047	2,7115	2,8251	2,9575	3,0120	3,2130	3,3372	3,4852	3,7267	3,8018	3,9643	4,1276
723	2,8962	3,0203	3,1442	3,2696	3,4206	3,5753	3,7260	3,8694	4,0335	4,3212	4,4082	4,5966	4,7899
145	3,3580	3,5011	3,6437	3,7737	3,8523	4,1422	4,3192	4,4856	4,6554	5,0094	5,1103	5,3286	5,5481
124	3,9382	4,1064	4,2747	4,4480	4,6519	4,8584	5,0659	5,2612	5,4873	5,8804	5,9948	6,2499	6,5079
792	4,5745	4,7700	4,9652	5,1596	5,4023	5,6310	5,8910	6,1112	6,3651	6,8247	7,250	7,4563	7,6229
495	5,1710	5,3920	5,6129	5,8404	6,1067	6,4679	6,6516	6,9080	7,2050	7,7146	7,8700	8,2063	8,5449
232	5,7753	6,0220	6,2689	6,5213	6,8210	7,1249	7,4290	7,7155	8,0450	8,6163	8,7899	9,1652	9,5429
271	6,3796	6,6523	6,9250	7,2022	7,5332	7,8709	8,2072	8,5230	8,8850	9,5179	9,7100	10,125	10,543
325	6,9898	7,2885	7,5872	7,8831	8,2550	8,6205	8,9840	9,3304	9,7250	10,417	10,630	11,084	11,540
491	7,5727	7,8963	8,3196	8,5640	8,9429	9,3421	9,7410	10,1153	10,5650	11,297	11,525	12,045	12,512
129	7,9527	8,2925	8,6323	8,9725	9,3918	9,8111	10,2304	10,6497	11,0690	11,5865	12,1040	12,6215	13,139

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r's Thermometer.

13°	14°	15°	16°	17°	18°	19°	20°	21°
61°,25	63°,5	65°,75	68°	70°,25	72°,5	74°,75	77°	79°,25
		S					S	
2,3649	2,4554	2,5634	2,7421	2,7973	2,9144	3,0370	3,1625	3,3033
2,8140	2,9496	2,9952	3,2640	3,3298	3,4714	3,6151	3,6952	3,9320
3,2130	3,3372	3,4852	3,7267	3,8018	3,9643	4,1276	4,2997	4,4892
3,7260	3,8694	4,0335	4,3212	4,4082	4,5966	4,7899	4,9761	5,2055
4,3192	4,4856	4,6554	5,0094	5,1103	5,3286	5,5481	5,7434	6,0345
5,0659	5,2612	5,4873	5,8804	5,9948	6,2499	6,5073	6,7697	7,0779
5,8910	6,1112	6,3651	6,8247	7,250	7,4563	7,6222	7,8526	8,7319
6,6516	6,9080	7,2050	7,7146	7,8700	8,2063	8,5442	8,8888	9,2935
7,4290	7,7155	8,0450	8,6163	8,7899	9,1652	9,5427	9,9251	10,380
8,2072	8,5230	8,8850	9,5179	9,7100	10,125	10,543	10,9614	11,466
8,9840	9,3304	9,7250	10,417	10,630	11,084	11,540	11,9977	12,552
9,7410	10,1153	10,5650	11,297	11,525	12,045	12,512	13,0340	13,609
10,2304	10,6497	11,0690	11,5865	12,1040	12,6215	13,1390	13,6558	14,2940

As the lower quantities of moisture, corresponding to the lower hygrometrical degrees at each degree of heat, bear to the *complement* of each degree of heat, respectively, nearly the same ratio, the blanks in the foregoing table were filled up with tolerable accuracy, (until the quantities are determined by experiment) by means of the first table for temperature 65° Fahr. in which both the complement and the inferior quantities were accurately determined, and which I therefore call the *standard table*.

FOR, as this *standard complement* for 65°, is to any inferior quantity of moisture, at any hygrometrical degree in that table; so is the complement for any other degree of heat to the inferior quantity of moisture appertaining to the same hygrometrical degree, at that given degree of heat, at least sufficiently near.

Stand.  
Compl. (at L.)      Compl. 32° (at L.)

THUS as 11,069 : 3,4852 :: 5,8956 : 1,842. Saussure found this last 1,8563. But in higher degrees of heat the approximation is greater.

Stand.  
Compl. (at XCV.)      Compl. 99° (at XCV.)

THUS as 11,069 : 10,565 :: 20,784 : 19,8376, and Saussure found it 19,8379.

To



To form this table from actual experiment from the XL. of the hygrometer to XCVIII. and from the 9th of Fahr. to 99°, would require 5220 experiments, of the nicest and most delicate kind.

SAUSSURE has given various other useful tables, for which I must refer to his treatise; but he has given one, to the principle of which I cannot entirely assent. He is of opinion, that the menstrual power of air diminishes with its density, § 146; and hence infers, that its power of *receiving* vapour is also diminished when it is rarefied. This last point, however, is contradicted by the quick evaporation that takes place in *vacuo* and on lofty mountains.

His own experiments seem to me to prove this increase of the receptive power of air when its density was diminished; for he constantly found his hygrometer to move to dryness during every successive exhaustion, and permanently so, when the access of new vapour was prevented, § 145. Hence it appears, that the greatest part of the moisture, originally contained in his hygrometer, being no longer confined by the density of the ambient air, gradually evaporated.

MR. PICTET's experiments on the manner in which hygrometers are affected by mere vapour excite much surprize, and deserve much attention. *Essais de Phys.* § 111.

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He filled with vapour a receiver previously exhausted of air; the receiver contained an hygrometer which stood at XCVIII, and consequently marked saturation with moisture; and the temperature, both under the receiver and in the room, was  $41^{\circ}$ ; no moisture was deposited on the glass. The receiver, in this state, was carried into another room, whose temperature was  $32^{\circ}$ ; here moisture, and even drops of water, immediately appeared on the glass, and the hygrometer indicated greater dryness, for it stood at XCI. And so I think it should, for the quantity and density of what vapour remained in the air were really diminished, drops having been formed from part of it; but after twenty minutes, the hygrometer again moved to moisture, and finally stood at XCVII and one-half, and the cold under the receiver was increased six degrees. This too, it appears to me, should naturally be expected; for, by the increase of cold, not only the vapours in contact with the hair are more condensed, but its affinity to moisture is also increased; it therefore absorbs more of them, and consequently moves to moisture. On moving the receiver, in this last state, into a room whose temperature was  $45^{\circ},5$ , the drops condensed on its interior began to evaporate, and while this evaporation lasted, the hygrometer indicated an increase of moisture, but soon afterwards it moved to dryness, and in three hours the temperature, being then nearly  $48^{\circ}$ , it stood at XC, because the heat being  $16^{\circ}$  higher, diminished the affinity of the hair to moisture,

and

and caused part of it to separate from its interior; at least I see no other cause.

ALTHOUGH the English cubic foot be smaller than the French, and the French grain smaller than the English, yet I have left the quantities given by Saussure unaltered, because I am persuaded that even the English cubic foot of air, at least in temperatures exceeding  $60^{\circ}$ . contains at every hygrometrical degree much more moisture than is indicated by these tables. This our author acknowledges, § 47, and well explains why the whole of the moisture contained in a cubic foot of air can never be extracted; besides it seems to me, that under the vessels in which his experiments were made, the air not having sufficient power to expand itself as it should, on receiving moisture, could not take up the whole quantity which, were it at liberty, it would take up in high temperatures, that is above  $75^{\circ}$ , and therefore appeared saturated, when it, if at liberty, would not be so.

As both saturability in a given heat, and also an increase of heat, promote evaporation, it may be asked, which of them exerts the greatest influence? This curious question Saussure has beautifully resolved from observations on evaporation on the *Col de Geant*, compared with those made at *Geneva*, and by an ingenious calculation of the resulting effect of each of them. Voy. aux Alpes, § 2060.

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THE saturability of air he estimates by the *number of grains*, over and above those it already possesses, which it requires to arrive at saturation, in its actual temperature. These grains he therefore calls *degrees* of saturability (or dryness). He thus found: 1°. that in air, whose density is about one-third smaller than usual (as where the barometer stands at twenty inches) the influence or evaporating effect of a difference of one degree of Reaumur (2°, 25 Fahr.) is somewhat more than three times greater than the influence of a difference of one degree of dryness or saturability.

2do. That in air of the usual density, or only a few inches above or below it, the influence of a difference of one degree of saturability is about three times greater than the influence of a difference of one degree of Reaumur (2, 25 Fahr.) Therefore in an atmosphere of the usual density, on plains, the influence of a difference of nearly 7° of Fahr. is nearly equal to the influence of a difference of one degree of saturability.

HENCE our northerly and easterly winds, though some degrees colder than the southerly and westerly, yet promote evaporation much more; the air they convey being farther from saturation. Thus Achard found the evaporation from his atmedometer to be 13, on the 4th of May 1788, under an ENE. wind, thermometer 51°, hygrometer XLVIII. but on the 7th of the same month the evaporation was but 8, the wind being WSW. though the

mean heat of the day was nearly  $60^{\circ}$ , the hygrometer being at LVIII. and consequently nearer saturation. Mem. Berl. 1788, p. 126.

To give some idea of the saturability of air at each 5th degree of the hygrometer from XL. to XCV at any temperature of the air from  $9^{\circ},5$  to  $99^{\circ},5$ , I have calculated the following table, which exhibits very nearly the ratio of the hygrometrical degrees to the complement or saturating quantity (at each degree of heat) taken as 1,000.

XL . . 0,2311. Thus the complement of  $9^{\circ},5$  is 3,8739,  
of which 0,2311 is between  $\frac{1}{5}$  and  $\frac{1}{4}$ .

XLV . .	0,275
L . .	0,314
LV . .	0,364
LX . .	0,422
LXV . .	0,495
LXX . .	0,575
LXXV . .	0,650
LXXX . .	0,726
LXXXIII . .	0,80
LXXXV . .	0,802
XC . .	0,878
XCV . .	0,952

Thus

THUS Saussure found the complement of 9,5 to be 3,8739 grains, and the quantity at XL. to be 0,8971 of a grain, and by the ratio here given it is 0,8952 of the complement.\*

### SECTION III.

#### *Of the Influence of Wind.*

THE third agent concerned in producing evaporation is agitation; whether of water in quiescent air, or of air itself, that is *wind*, which necessarily produces the agitation of the water exposed to it. It is evident that the agitation of water promotes evaporation by augmenting its surface to a degree that escapes calculation. The agitation of air, besides involving that effect, promotes evaporation by the rapid removal of vapours as fast as they are formed, and by incessantly presenting new surfaces of less saturated air, and cooling the water if it be warmer than the air, in which case we have already noted the evaporation to be considerable, or, if both be of the same temperature, by lowering that of the water, or if the air be considerably warmer than the water, by lowering the difference, and consequently promoting evaporation, as already shewn. Most of these effects of wind are proportioned to its saturability, of which enough has been already said, and to its velocity, of which I shall now treat.

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MR.

\* How observations should be made on this instrument may be seen in the Appendix, Saussure, 309.

MR. SMEATON has communicated an excellent table of the velocity of wind, which I here transcribe from the Phil. Transf. 1759, p. 165.

Miles per Hour.	Feet per Second.	Perpendicular Force on one square Foot, in Avoirdup. Pounds and Parts.	
1	1,47	.,005	} Hardly perceptible.
2	2,93	.,020	
3	4,4	.,044	} Just perceptible.
4	5,87	.,079	
5	7,33	.,123	} Gently pleasant.
10	14,67	.,492	
15	22,	1,107	} Pleasant, brisk.
20	29,34	1,968	
25	36,67	3,075	} Very brisk.
30	44,01	4,429	
35	51,34	6,027	} High wind.
40	58,68	7,873	
45	66,01	9,963	} Very high wind.
50	73,35	12,300	
60	88,02	17,715	Storm or tempest.
80	117,36	31,490	Great storm.
100	146,7	49,200	Hurricane.
			Hurricane that tears up trees and carries buildings before it.

AND

AND Condamine tells us, that eighty-five feet per second is the most violent storm whose velocity can be measured at sea. Mem. Paris, 1757, p. 637, 8vo.

DERHAM and Kraft's observations agree with those of Smeaton. By means of this table\*, if the velocity of wind be known by any instrument, its force may also be discovered, and *vice versa*. The effect of the velocity of wind, inasmuch as it respects evaporation, Sauffure has detected, by new and ingeniously contrived, though indirect experiments, on *Col de Geant* and at *Geneva*, and found that air, moving at the rate of forty feet per second, triples the quantity of evaporation that would happen in calm air. He has shewn, that in this case also, the greater or lesser saturability of the air is a circumstance that materially affects the magnitude of the effect. That on plains, a difference of one degree of saturability is equivalent to a difference of 11° Fahr. of heat; and on heights, on which the barometrical height is diminished one-third, its influence is equal to that of heat.

HENCE we see, that the warmer air is, the quicker its motion, the greater its saturability, and the longer its duration, the more it will promote evaporation.

#### SECTION

\*The best portable instrument for measuring the force of wind is that invented by Dr. Lind, Phil. Transf. 1775.



## SECTION IV.

*Of the Influence of Electricity and Light.*

THAT *electricity* powerfully assists evaporation is generally acknowledged. Sauffure has shewn that a card, supersaturated with moisture, lost, when electrified, two grains in a quarter of an hour, while another equally circumstanced, but not electrified, lost only  $1\frac{1}{2}$  grain: but he limits its action to water in a free and uncombined state. Hygrometer: § 159 and 160. Briffon also has observed, that an excited electric raises water above its level. Mem. Par. 1767, p. 328, 8vo. But how it acts in the operations of nature is but imperfectly known.

*Light* also contributes to evaporation by disengaging air from water, and perhaps for other reasons as yet imperfectly known.

## SECTION V.

*Of the joint Action of the above-mentioned Causes.*

THE only series of observations with which I am acquainted, made on evaporation, in which the principal causes that concur in producing it admit of a distinct consideration, being marked by accurate instruments and precise measures, are those of Mr. Achard

Achard, to be found in the Berlin Memoirs for the years 1788 and 1790. Of these I shall transcribe a few, accompanying them with remarks, omitting the barometrical heights, as their differences, consisting only of two or three tenths of an inch, could not materially affect the quantity of evaporation.

1788	Mean Temperature.	Mean Hygrom. Degree.	Evaporation Ratio.	Wind.	Force Mean.
May 1st	61,25	LII.	,001	NE.	5.3.
17th	56,	LIV.	,004	NE.	5.5
July 5th	72,5	L.	,014	SW.	5.5
1789					
July 2d	54,5	XLIX.	,001	W.	25.10

THE force of the wind is marked twice, namely at each period of observation, that is at seven o'clock in the morning, and at twelve o'clock. That which obtained during the remainder of the day is not noted, which renders these observations incapable of exact calculation, the degrees of the other instruments and of evaporation.

evaporation were taken three times in twenty-four hours, namely at seven and twelve o'clock in the day, and at ten at night.

On these observations I remark :

1o. THAT in the first and fourth, the quantities evaporated were equal, though the temperatures of the air differed considerably, viz.  $6^{\circ},25$ , that, during the first, being so much warmer than during the last. This equality can be attributed only to the greater saturability of the air in the last case, and the greater force of the wind.

2do. THAT in the second observation, the evaporation was four times greater than in the first, though the temperature was  $5^{\circ}$  lower and the hygrometer 3 degrees higher, yet the saturabilities at the respective temperatures did not differ much, as may be seen by the foregoing table, and the force of the wind was much greater during the second observation.

3tio. THAT in the third observation, the evaporation was by far the greatest, though the force and duration of the wind were (at least to appearance) exactly the same as in the second observation, because the heat was  $16^{\circ}$  higher, and the hygrometer 4 degrees lower in the second observation.

THUS

THUS we see how observations duly made might be analysed, and the general result calculated *a priori*.

It deserves also to be remarked, that though Sauffure never found the air in Switzerland drier than XL. and frequently at XCV. or even saturated, yet Achard, at Berlin, during the years 1788 and 1799, never found it moister than LXX. generally between L. and LX. and frequently at XL. and once even at XXXII. Berlin stands on a sandy soil. The mean height of the barometer is 29,84 inches, and consequently its height over the level of the sea is about one hundred and forty feet, its distance from the Baltic one hundred and twenty miles, whereas Geneva stands on the border of a great lake. The mean height of the barometer is 28,77 inches, and consequently one thousand and ninety-one feet above the level of the sea, (others deem it one thousand two hundred and twenty) and about two hundred and twenty-five miles distant from the Mediterranean. The air in mountainous countries is known to be much moister than that over flat countries.

DURING the seven last months of the year 1785, and the seven first months of 1786, I made daily observations, and never found the hygrometer to stand lower than LXV. and that was on the 22d of April 1785, barometer 29,97, thermometer 56°, wind

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NW.

NW. moderately strong. The usual state of the hygrometer was from LXXV. to XC. and often still higher.

THE greatest loss by evaporation which I ever observed in one hour, from my atmedometer, was forty-five grains, its surface was 25,23 square inches, and it contained 23,13 cubic inches of water, barometer 30,00 inches, thermometer (which I always keep shaded from the sun)  $68^{\circ},5$ , hygrometer LXXIX. initial heat of the water  $66^{\circ}$ , final  $64^{\circ}$ , wind E. moderately strong; and the smallest loss in one hour was two grains, but frequently I could perceive no loss during the first hour, and sometimes some loss during the first, scarce any during the second, the water being frozen.

THUS on the 1st of March 1785, barometer 30,15, thermometer from  $23^{\circ}$  to  $25^{\circ}$ , wind N. initial heat of the water  $32^{\circ}$ , final  $32^{\circ}$ , but frozen hard, it lost five grains the first hour and one on the second hour, while frozen. The quantity of water in a cubic foot of air I found by sulphuric acid to be 5,4 grains: I had then no hygrometer, but by Sauffure's table it could not be far from saturation. But I have frequently observed a loss of from six to eight grains during the first hour, thermometer  $26^{\circ}$ , and even six grains, when frozen, when the atmedometer was fully exposed to the open air. But during foggy and calm days  
there

there was often no evaporation. Including every variable circumstance, I conclude the hourly evaporation at  $32^{\circ}$  may be estimated at four grains, and at  $45^{\circ}$  at ten grains, at  $50^{\circ}$  at twelve grains, at  $55^{\circ}$  at sixteen grains, at  $65^{\circ}$  at twenty grains, and at  $75^{\circ}$  at twenty-six grains, at a mean throughout the year, in countries where the mean hygrometrical height is LXXXV. and storms not very frequent. Hence we may calculate the annual evaporation from masses of water in countries whose mean annual temperature and hygrometrical state and agitation by tempests is known. This circumstance, however, has not hitherto been sufficiently attended to, nor consequently even approximately determined.

IN London, whose mean annual temperature is about  $50^{\circ}$ , and where the hygrometer, at a mean of the year, is probably LXXXV. (I say probably, because its state in dry and moist years has not been determined) since the *hourly* evaporation may be stated at twelve grains, the *daily* may be stated at a mean of the year at two hundred and eighty-eight from a surface of twenty-six square inches, and therefore from one square foot one thousand five hundred and ninety-five grains, which multiplied into three hundred and sixty-five gives 582,175 grains = 83,1676 pounds avoirdupoise, nearly, or about 101,07 pounds troy. Such a quantity of water, in a vessel of one square foot in the bottom and

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aperture,

aperture, would rise to the height of upwards of 15,76 altitudinal inches, which is nearly the quantity of rain that falls in London in the driest years.

DOCTOR HALES, from some experiments, concludes the evaporation from a surface of earth to be nearly the same in winter as in summer, as it contains more moisture in the former season, and states its proportion to that from water as three to ten, but by *earth* he means earth divested of vegetables, which scarce ever occurs, 1 Hales, p. 55; and with his experiments those of the Reverend Mr. Williams, of Bradford, in New England, nearly agree, 2 Amer. Transf. 120. But the evaporation from a square foot of earth covered with vegetables, and duly supplied with moisture, is much greater than that from mere water, as follows from his experiments, and still more demonstrably from the great and speedy evaporation from the multiplied surfaces in houses of graduation. In a cultivated country, like the vicinity of London, it is to that from water at least as fifteen to ten. Bazin, from two years observations on moist earth, infers that it evaporates much more quickly than an equal volume of water. Hist. Par. Acad. 1741.

RAIN does not prevent evaporation, as I have frequently observed.

SAUSSURE'S

SAUSSURE's experiments on evaporation in tranquil air, both on Col de Geant, where the barometer stood at 20 inches, and at Geneva, where it stood at 28,77, bear some analogy to these, as they were not made on mere water, but on a piece of linen about thirteen inches long and ten broad, moistened until it weighed one hundred and fifty grains more than when dry, then exposed to evaporation for twenty minutes and weighed.

*On the Mountain.*

Thermr.	Hygromr.	Saturability.	Evaporation.
51°	LXXIV	4,032	39,5 grs.
42°,5	XC	1,324	20,8
43°,5	LXXXV	2,184	24
			Mean 29,7
<i>On the Plain.</i>			
54,5	LXXXIII	2,495	19,75
48,76	LXXXIII	2,384	14,5
46,25	LXXXI	2,772	13,75
			Mean 16,00

HERE



HERE two surfaces were exposed to evaporation, each consisting of one hundred and thirty square inches. The time of exposition was one-third of that of my experiments, but the surfaces were ten times greater. The mean temperature of the three experiments on the plain was  $49^{\circ},5$ , the mean hygrometrical height LXXXII. and the mean quantity evaporated sixteen grains. This result differs considerably from the mean of mine made at nearly the same temperature, but different degrees of moisture in the air, and under a surface ten times smaller, and in a portion of time three times greater. If his surfaces and times were reduced to mine, then the evaporation would be but 4,8 grains; for since two hundred and sixty square inches give sixteen grains, twenty-six should give 1,6 grains; and this quantity multiplied into 3 = 4,8 grains; the difference may proceed from the low saturation of the air in his experiments, whose effect, as already said, is three times greater than that of temperature, and possibly from the attraction of the linen. I have found no observations among mine exactly comparable in their circumstances with his.

THE cold produced by evaporation is an effect deserving much attention in a meteorological point of view. In the months of July, August and September, 1783, I made numerous experiments with a view of detecting the connection of this effect with  
the

the temperature of air in a tranquil state, and the points from which the wind blew, but having no hygrometer I did not examine its saturability. The vessel was the same which I employed in measuring evaporation already described; its surface twenty-six square inches, the depth of the water one inch. The time of exposure commonly five minutes. The water was sheltered from the sun, and almost always one or two degrees colder than the air. A thermometer was left in the water and compared with another suspended in the air and shade close by it. The experiments were made at two o'clock in the afternoon; I shall here state a few:

Bar.

Bar.	Ther.	Wind.	Cold produced in the Water.	Time.
29,9	81° <sub>5</sub>	N.	8°	3 minutes.
29,7	81°	NE.	12	5
29,55	79	S.	9	5
29,75	77	E.	6,5	4,5
29,7	77	W.	9,5	5
29,7	74	SW.	7	5
30,01	74	E.	8,5	5
29,9	74	NW.	9,5	5
30,0	72	N.	7	4
29,8	72	ENE.	10,5	5
30,05	72	W.	8,75	5
29,6	66	NNW.	5	5
29,75	65,5	NE.	5,5	5
29,7	61,5	S.	3,5	5
29,85	61,5	N.	3,5	4,5
30,1	56	E.	5	4,5
30,05	53	W.	3,5	5,
30,1	53,5	N.	5	5

HENCE

HENCE we see, 1<sup>o</sup>. That when the temperature of the air is from 75° to 80°, and during a calm, the cold produced in water in five minutes is from 8° to 12°, even though the rays of the sun be intercepted :

2dly, THAT during the gentlest breeze from the south the cold is diminished, but if from the north or east, it is increased :

3dly, THAT where the temperature is from 65° to 75°, the cold produced is from 5° to 8° :

4thly, IN temperatures from 53° to 65°, the cold produced is from 3° to 5° :

5thly, IT is plain that the cold produced is proportioned to the quantity of evaporation in a given time ; when this quantity is very small, as twelve grains per hour, or one grain in five minutes, as in temperature 50°, in such circumstances the cold produced is scarcely perceptible ; but if the water be exposed to a current of air, and this air unsaturated, the cold may be more considerable.

SAUSSURE, as usual, made several ingenious experiments on the cold produced by evaporation in agitated air, both on a mountain  
 VOL. VIII. S s where

where the barometer stood at 20 inches, and on a plain where it stood at 28,77. It would be tedious to describe the particulars, but the general result was, that when the velocity of the wind was about twenty-eight miles *per* hour, or forty feet *per* second, the cold produced by evaporation from a moist sponge of about three square inches, in which a thermometer was inserted, was as follows\* :

*On the Mountain.*

Thermr.	Hygromr.	Saturability.	Cold produced.
50°	LVII	6,799 grs.	19°
44,6	LXXXIV	2,328	3°

*On the Plain.*

69°	LI	7,478	20°,5
40°,1	XCI	1,082	2,25

THOUGH various experiments have been instituted to ascertain the cold produced by evaporation in evaporating liquids, yet I know of none wherein the cold produced in air, by the evaporation of liquids in contact with it, has been examined; hence  
with

\* Voy. aux Alpes, § 2060.

with a view of determining this point I have been induced to make the following experiment, May the 25th, 1801, during rain and the wind E.

IN a room 13,25 feet high, 24 feet long and 19 broad, whose cubic contents of air were therefore six thousand and thirty-three feet, I suspended by hooks from cords 7,5 feet high, and about the middle of the room, two sheets previously wetted, but out of which the moisture had been so far wrung that no drops fell from them, at the distance of 4,5 feet from each other, and placed a thermometer between them at the distance of about two feet three inches from each, and at the height of five feet, and another thermometer eighteen inches higher than the sheets, and also a thermometer on each external side of the sheets, at the distance of two feet on one side and eighteen inches on the other.

To estimate the loss of moisture in the sheets by evaporation, I cut a square foot of the same linen, which weighed, when dry, three hundred and fifty grains, and when wetted, and so much moisture wrung out of it as not to drop, seven hundred and twenty-seven grains; it was suspended by a wire from the scale of a balance.

THE state of the instruments, before the experiment began, was as follows: hygrometer LXXII. intermediate thermometer  $62^{\circ}$ , upper thermometer  $61,5$ , lateral thermometers, each  $62^{\circ}$ .

THE experiment began eight minutes before two o'clock, and at eight minutes after two I found the state of the instruments as follows: the intermediate thermometer still at  $62^{\circ}$ , the upper at  $61^{\circ}$ , and the lateral ones both at  $61^{\circ}$ . The hygrometer was unfortunately broken during the experiment.

THE square piece of linen, in the mean time, (that is during those sixteen minutes) lost  $23,25$  grains of its weight; each side of it therefore lost  $11,625$  grains. The dimensions of each side of the sheets were  $8,5$  feet in length, and  $6,5$  in breadth  $=35,25$  square feet; hence each side of each sheet should lose  $11,625$  grains  $\times 35,25 = 409,78$  grains. But it is plain from the unvaried state of the intermediate thermometer, that the evaporation from the internal sides was obstructed, that from each being obstructed by that from the opposite side; and as the upper thermometer was lowered only half a degree while the lateral thermometers were lowered each one degree, it follows that each of the internal sides evaporated only one-fourth as much as one of the external sides, and both together half the quantity evaporated by each of the external sides.

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THE influence of the evaporation of each external side of the sheets extended at least to the distance of two feet, as the thermometers indicate; each square foot therefore on one external side lowered one degree the temperature of the two opposite cubic feet of air, and consequently the evaporation from 35,25 square feet lowered one degree the temperature of 72,5 cubic feet of air; but these 35,25 feet exhaled 409,78 grains of vapour. Therefore the reception of 409,78 grains of vapour in the temperature of  $62^{\circ}$  cooled one degree 72,5 cubic feet of air, or each cubic foot of air was cooled one degree by the reception and solution of 5,65 grains of vapour, and possibly by a smaller quantity, for I cannot say that the cold did not extend farther than the distance of two feet.

Now of the hygrometer in the room the temperature being  $62^{\circ}$ , the complement was therefore ten grains, and as it stood at LXXII. the ratio to its complement was 0,64; then as  $10 \times 0,64 = 6,4$  grains, this must have been the quantity of vapour which the air originally contained in each of the two cubic feet; to which, if we add 5,65 we shall have 12,05, which exceeds the complement by 2,05 grains. It is probable then that these 2,05 grains were communicated to a greater distance, and that 3,6 grains only remained in each cubic foot. The solution therefore of 3,6 grains in a cubic foot of air in sixteen minutes, and in  
the



the above circumstances, cools it one degree. If the saturability of the air were greater, it would undoubtedly cool it more, and in a shorter time.

LEIDENFROST's experiments on evaporation in very high degrees of heat, since verified and extended by Ziegler, Saussure, Spalanzani, and D'Antic, and commented on by Lambert, are exceeding curious; but as they have no relation to meteorology, (and though I have myself repeated them), I shall not introduce them in this essay, but pass to the second object of enquiry relative to the moisture of the atmosphere, namely the state of vapour when contained in it.

## C H A P. II.

### *Of the State of Vapour subsisting in the Atmosphere.*

VAPOUR or Moisture in the atmosphere may subsist in dense air, or in air highly rarefied: that it is found in the former is well known, and that it may subsist in the latter appears by the observations of Bouguer, for he saw clouds three or four hundred toises above Chiromboracho, and consequently at the height of twenty-two thousand five hundred and twenty-eight English feet, or 4,3 miles over the level of the sea; a height at which in the temperature  
of

of  $32^{\circ}$  a barometer would stand at 12,7 inches. At such heights, and at much inferior, since evaporation proceeds much more quickly, it is not to be supposed that all the vapour so rapidly produced is dissolved in the ambient air, but part rises uncombined as it does under an exhausted or half exhausted receiver, and in this case Mr. De Luc's system is admissible. This emission of pure vapour seems to begin at heights at which the density of the air is 25 (that is at heights at which the barometer would stand at twenty-five inches, and thus I shall in future express the various densities of air,) at least it is very considerable where the density is twenty, as already seen, p. 309. This leads me to treat of the properties and state of pure invisible vapour namely, its specific heat, elasticity, and specific gravity.

THE immortal Doctor Black, the father of all discoveries of this kind, informed me that the vapour of water, boiling at  $212^{\circ}$ , that is at  $180^{\circ}$  above the freezing point, and possessing the same sensible heat as the water, contains nine hundred and forty times more latent heat than an equal weight of water does heated to  $212^{\circ}$ , or 5,222 times more latent heat than it does of sensible heat, counting from the freezing point, for  $180 \times 5,222 = 940$  nearly. In this case the pressure or density of the atmosphere is thirty, the barometer standing at the height of thirty inches; and with Doctor Black's account the experiments of Mr. Schmidt of Gießen

Gieffen very nearly agree, for according to him the latent heat of the vapour of water, barometer 29,84 inches, and the heat  $212^{\circ}$ , is 5,33 times greater than its sensible heat above the freezing point, now  $180 \times 5,33 = 959,4^*$ . The difference or excess in his experiment proceeds from the pressure of the atmosphere being somewhat lower, as Mr. Watt's experiments prove.

MR. Watt discovered that the latent heat of steam diminished in proportion as its sensible heat increased, Phil. Transf. 1784, p. 335. Now the sensible heat of steam exceeds  $180^{\circ}$  above the freezing point when the barometer stands above thirty inches, and is less than  $180^{\circ}$  when the barometer stands lower than thirty inches, as Mr. De Luc first discovered, and may be seen in Sir George Schuckburg's and Mr. De Luc's tables, Phil. Transf. 1779. p. 375. From these I have deduced the following table :

\*4 Gren's Phys. Journal, p. 315.

Heat of boiling water.	
Bar.	Heat.
30	212°
29	210,28
28	208,52
27	206,73
26	204,91
25	203,06
24	201,18
23	199,27
22	197,33
21	195,36
20	193,36
19	191,06
18	188,46
17	185,56
16	184,36
15	180,86
14	176,70

THE accuracy of this table even in the lower part of the scale is sufficiently apparent by the result of the experiments of Saussure on ebullition on Mount Blanc; for on that enormous mountain, the barometer standing at 16 French inches or 17,05 English, he found water to boil at the heat of 68°,993 of Reaumur, a degree which on Geneva thermometers is equal to 185°,56 English.—Hence we see that distillation may be more advantageously effected on mountains than on plains, and at low barometrical heights than at the greater, yet within certain limits; for at heights that surpass 8 or 10 thousand feet, the fuel, by reason of the rarity of the air, is more slowly consumed. Hence also from the knowledge of the degree of the heat of ebullition to two or more decimal places, the state of the barometer above or below 212° may infered to one or more decimal places.—The reason of this rapid diminution of the heat of ebullition below 25 inches is evidently the diminution of resistance, from the diminished weight of the atmosphere, which then is very sensible; but as the cold continually produced by evaporation is then also very considerable, the *time* necessary to procure ebullition is longer as Saussure remarked on Mount Blanc. vol. vii. in 8vo. § 2011, p. 328. He found the heat of ebullition barometer 16 to be 68°,993 degrees, or in English measures barometer 17,05. 185°,5 of Fahr. (counting one of Reaumur at Geneva = 2,225 of Fahr.)

HENCE since, according to Mr. Watt, the sensible heats of the vapours of boiling water at different barometrical heights are as the barometrical heights reciprocally, and the specific heats of the vapours of water boiling are as the sensible heats reciprocally, it being known, that the specific heat of the vapour of water heated to 180 degrees above the freezing point is 940. The specific or latent heat of the vapour of boiling water, whose sensible heat is known, (and it may be known by the barometrical height as shewn in the above table and the notes) may also be discovered.

THUS the sensible heat of the vapour of boiling water barometer 30 being 180° above the freezing point ( $212^{\circ} - 32^{\circ} = 180^{\circ}$ ) and the specific or latent heat of vapour, whose sensible heat is 208°,56 (that is 176,56 above 32°) as it is when the barometer stands at 28 inches, is 958 for  $\div 176,56. 180 :: 940.958^*$ .

As pure invifible vapour does not in my opinion (of which I have already stated the grounds) exist in the atmosphere when its density is higher than 25, as it is in most of the inhabited parts of the globe, but is always in this case united to air, an enquiry into its latent heat at different temperatures below ebullition were superfluous. But as it does exist in air whose density is 25 or less, since it is found in air whose density is 12,5, it becomes necessary to examine its latent heat in such cases, in all temperatures

\* Hence 169206, being the product of  $180^{\circ} \times 940$ , is the common dividend of all sensible heats below 180°. when the latent heat of the vapour is sought at barometrical heights below 30 inches.

tures inferior to that of ebullition. Now, by analogy, I apprehend this latent heat in all inferior temperatures may thus be determined :

As the *sensible* heat of ebullition, when the barometer is at 25 or below 25 is to the *latent* heat of the vapour at ebullition, so is the *sensible* heat of water heated to any inferior degree above  $32^{\circ}$  to the latent heat of its vapour, multiplied by 5.222. Thus the sensible heat of water in ebullition barometer 25 being  $171^{\circ},4$  ( $= 203^{\circ},4 - 32^{\circ}$ ) its specific heat is 987 ( $= \frac{169206}{171.4}$ ) the latent heat of the vapour of water at  $22^{\circ}$  above congelation (that is  $52^{\circ}$  on Fahr. scale) is 657 for  $\div 171^{\circ},4. 987 :: 22^{\circ}. 126 \times 5.22 = 657$ . The latent heat of vapour in such cases cannot be determined by experiment on account of the admixture of atmospheric air, we must therefore resort to analogy, which in this case is perfect.

THE latent heat of pure vapour at greater heights is more considerable: thus at heights, at which the barometer stands at 20 inches, the latent heat of vapour whose temperature is  $22^{\circ}$  above  $32^{\circ}$ , as in the last case, is 730; for the heat of ebullition is  $194^{\circ}8$ , per table,  $= 162^{\circ},8$  above  $32^{\circ}$ ; and the latent heat of the vapour at ebullition is 1039. Now  $\div 162,8. 1039 :: 22. 140$  and  $140 \times 5,22 = 730$ .

T t 2

As

As air is cooled by the reception of moisture dissolved in it, we must infer that its capacity for containing heat is increased, and hence moist air is more difficultly heated or cooled than dry air of the same temperature. (For the cold proceeds from the absorption and not from the expulsion of caloric.)

THE elasticity or expansive force of pure vapour has been examined at every fifth degree of Reaumur above 0 to 110°. by Mr. Betancourt, and may be seen in an excellent work of Prony's, his *Architecture Hydraulique*, he has by a most ingenious calculation interpolated the expansions answering to the intermediate degrees. But Mr. Schmidt seems to have determined this expansive force still more exactly than Betancourt. Hence I here insert his table, adding Fahrenheit's for Reaumur's degrees, and distinguishing the expansions interpolated by calculation from those actually observed by *I*. The forces are measured by the elevation of a mercurial column in inches and hundreds of a French inch.\*

Reaumur.

\*The Paris cubic inch = 1,21 English. Now the English cubic inch of mercury when its specific gravity is 13,6 weighs 3443,2 English grains, therefore the Paris inch weighs 4186 English grains, and  $\frac{1}{10}$  of this Inch = 418,6 grs: and  $\frac{1}{100}$  of this inch 41,86 grains.

Reaumur.	Fahrenheit.	Expansive Force.	Reaumur.	Fahrenheit.	Expansive Force.
1	34°,25	,01 <i>I</i>	21	79°,25	1,01 <i>I</i>
2	36,5	,03 <i>I</i>	22	81,5	1,01
3	38,75	,05 <i>I</i>	23	83,75	1,19 <i>I</i>
4	41,	,07 <i>I</i>	24	86,	1,29 <i>I</i>
5	43,25	,11	25	88,25	1,30
6	45,5	,15	26	90,5	1,38 <i>I</i>
7	47,75	,16 <i>I</i>	27	92,75	1,42
8	50,	,20 <i>I</i>	28	95,	1,60 <i>I</i>
9	52,25	,25 <i>I</i>	29	97,25	1,80 <i>I</i>
10	54,5	,28	30	99,5	1,93
11	56,75	,34 <i>I</i>	31	101,75	1,02 <i>I</i>
12	59,	,38	32	104,	1,12 <i>I</i>
13	61,25	,44	33	106,25	2,23
14	63,5	,50 <i>I</i>	34	108,5	2,40 <i>I</i>
15	65,75	,55	35	110,75	2,68
16	68,	,61	36	113,	2,80 <i>I</i>
17	70,25	,69 <i>I</i>	37	115,25	3,20
18	72,5	,76	38	117,5	
19	74,75	,84 <i>I</i>	39	119,75	3,40
20	77,	,90	40	122,	3,64
			80	212,	28,

*Note.*



*Note.*—1°. Most of the interpolations from the 88th degree to the 122nd I have myself inserted as those calculated by Schmidt erred too widely by his own account. 4 Gren Phys. Jour. 273.

2do. MR. PICTET has also made a set of curious experiments on the elasticity of pure vapour in low temperatures. *Essais de Physique* p. 157. He found that a grain of warm water in *vacuo* evaporates in forty minutes in the temperature of 38° Fahr. under a receiver containing 1452 English cubic inches,\* but that it did not diffuse itself equally in less than six hours, and then raised the hygrometer from 17° to 60° that is 43°, and during this whole time the cold under the receiver was constantly decreasing, though slowly, which decrease undoubtedly contributed to the diffusion of the vapour.

MR. SCHMIDT has also made a series of experiments upon the dilatibility of air, made as *dry* as possible by exposure to hot tartarin, an object of great importance, that had never before been examined. This table I here insert, converting Reaumur's degrees into those of Fahr. and adding from his formula the degrees he omitted.

*Expansion*

\*Ibid. page 91.

*Expansions of dry air.*

Reaumur.	Fahr.	Expansion of one Inch at 32°.	Reaumur.	Fahr.	Expansions of one Inch at 32°.
1	34°,25	,0044675		79°,25	,0938175
	36,5	,0089350		81,5	,0982850
	38,75	,0134025		83,75	,1027525
4	41,	,0178700	24	86,	,1072200
	43,25	,0223375		88,25	,11116875
	45,5	,0268050		90,5	,1116155
	47,75	,0312726		92,75	,1206225
8	50,	,035740	28	95,	,1250909
	52,25	,0402075		97,25	,1295557
	54,5	,0446750		99,5	,1340250
	56,75	,0491425		101,75	,1384925
12	59,	,0536100	32	104,	,1429600
	61,25	,0580775		106,25	,1474275
	63,5	,0625450		108,5	,1518950
	65,75	,0670125		110,75	,1563625
16	68,	,0714800	36	113,	,1608300
	70,25	,0759475		115,25	,1652975
	72,5	,0804150		117,5	,1697650
	74,75	,0848825		119,75	,1742825
20	77,	,0893500	40	122,	,1787000
				212,	,3574000

*Note.*

*Note.*—10. HENCE we see that 1000 inches or measures of dry air at  $32^{\circ}$  would become 1004,4675 at  $34,25$  Fahr. and at  $50^{\circ}$  would become 1017,87. Hence 1000 measures of *dry* air gain 1,985555 &c. by each degree of Fahr. above  $32^{\circ}$  (or more compendiously 1,9856 which is true to two decimal places) or nearly two.

2do. WE see the source of the discordant results of D'Amontons, De Luc, Lambert, Schuckburg, Roy, Berthollet, and Monge, &c. for they all operated upon air more impregnated with various degrees of moisture; besides taking the boiling point at different barometrical heights; in the present experiments it was taken at 29,841 English inches.

3io. It appears that the expansions are as the differences of heat above  $32^{\circ}$  as D'Amontons, Lambert and Schuckburg also noticed, though their experiments, not being made on perfectly dry air, could not be very exact.

The dilatation of the moisture contained in air has been separately examined by Mr. Schmidt, and he has shewn how from it the volume of air saturated with moisture, saturated I say at every degree of Reaumur, may be discovered; the result of his experiments appear in the following table of the volume which 1000 measures at  $32^{\circ}$   
of

of air would acquire if *saturated with moisture* at each degree of Reaumur above 32° expressed on Fahrenheits scale.\*

Reaumur.	Fahr.	Expansive Force.	Reaumur.	Fahr.	Expansive Force.
1°	34°,25	1010,56		70,25	1122,68
	36,5	1010,78		72,5	1132,25
	38,75	1016,45		74,75	1142,53
	41,	1022,21	20	77,	1152,83
5	43,25	1028,58		79,25	1164,02
	45,5	1034,97		81,5	1175,23
	47,75	1040,41		83,75	1186,52
8	50,	1048,52	24	86,	1198,59
	52,25	1056,26	25	88,25	1211,44
10	54,5	1064,72		90,5	1223,65
	56,75	1071,28		92,75	1279,62
12	59,	1078,52	28	95,	1377,09
	61,25	1087,11		97,25	1494,02
	63,5	1095,76	30	99,5	1610,02
15	65,75	1104,46		101,75	1725,49
16	68,	1113,21	32	104,	1849,96
			33	106,25	1983,42

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*Note.*

\*To prevent mistakes, it must be noted that this table is not meant to express the dilatations of air saturated at any particular degree of heat it would acquire at other superior degrees, but only the bulk that 1000 parts dry air at 32° would acquire by saturation at each higher degree.

*Note.*—10. Hence we see that air saturated with moisture at high heats is much more expanded than dry air of the same temperature, as De Luc and General Roy have also observed, but in temperatures below  $36^{\circ},5$  dry air is more dilatable which probably induced Saussure to conclude it was so at higher temperatures. At  $54,5$  the difference is very perceptible for 1000 parts *dry* air at  $32^{\circ}$  are expanded at  $54^{\circ},5$  that is by  $22^{\circ},5$  above the freezing point to 1044,67, whereas 1000 parts of air saturated with moisture, are extended to 1064,72 and in higher heats, the differences of expansion are incomparably greater.

2do Hence it is plain why moist air, such as that of the West Indies is much more suffocating than dry air of the same temperature. For 1000 cubic inches of air saturated with moisture at  $86^{\circ}$  of Fahr. contain nearly 76 inches of moisture which is useless to respiration.

3io. These experiments agree with those of General Roy in which steam was introduced at hazard, for the General found that from  $32^{\circ}$  to  $52^{\circ}$  each degree gave at a mean 2,588 and consequently these  $20^{\circ}$  would expand 1000 inches to 1051,76, and by Schmidt's experiments much more accurately made, we have 1050,33.

40. SCHMIDT

40. SCHMIDT also observed a peculiarity in the expansion of moist air, previously noticed by Roy, for Schmidt found that the expansibility of air, saturated with moisture, was smaller than the expansibility of pure vapour, until the 167th degree of Fahr. but in higher degrees they constantly approached nearer to each other. And the General observed that the mean rate of expansion, which from  $152^{\circ}$  to  $172^{\circ}$  of Fahr. was 12 for each degree, did from the  $172^{\circ}$  to the  $192^{\circ}$  increase to 17,88 for each degree, and increased still more after the  $192^{\circ}$  to the boiling point. The sluggishness of expansion of air, saturated with moisture at about  $32^{\circ}$ , was also noticed by the General, and he hence concludes the mean rate of expansion from 0 to  $32^{\circ}$  of Fahr. to be 2,27 for each degree, which is smaller than that of drier air.

THESE variations of the rates of expansibility of moist air, saturated at different temperatures, Schmidt very justly attributes to the variation of the degrees of affinity or adherence of air and vapour to each other at different temperatures. At  $32^{\circ}$  Fahr. it is very strong, and also below that degree; and hence the strong solvent power of air, colder than the water it acts upon, remarked by Richman; but if both are equally cold very little moisture will be taken up by the air, as already mentioned; and hence I have said that air dissolves vapour when this is in a nascent state.

U u 2

But

But in heats above  $167^{\circ}$  or  $170^{\circ}$  air and vapour are disposed to separate.

5°. HENCE we may deduce the impossibility of discovering a coefficient universally applicable to express the rate of expansion of air in every state of moisture, (as Tremley has well noticed. See 2 Saussure voy. aux Alpes 4°). This must vary with the mean state of hygrometers above and below the heights to be measured; and experiments of this kind have not yet been made. De Luc's coefficient answers tolerably well for very dry air, that is whose saturability is greatest, Sir George Schuckburg's for air much moister, and General Roy's for air still more moist, that is whose saturability is smallest. Hence each succeeds in certain cases, and fails in others. The dilatation or contraction, which air saturated with moisture at any one given degree of temperature receives without the addition of any more moisture, at any higher or lower degree of temperature, has not as yet been discovered; for Schmidt, who alone has attempted it, is justly diffident of the correctness of the table he has given of it, and in fact it is not grounded on the indication of any known hygrometer, and improperly supposes the L. degree to indicate the mean betwixt the lowest and saturation. Whereas the LXVth degree on Saussure's indicates that mean; and XCVIII. and not C. indicates saturation.

ACCORDING

ACCORDING to Mr. Watt (as stated by De Luc, 3<sup>d</sup> Meteorolog: p. 145) the specific gravity of pure vapour is to that of air as 4 to 9. I suppose he compares it with air at the usual density of 30 or 29, and at some particular temperature which is not mentioned; for at high temperatures the difference must be much greater, as appears by the foregoing tables.

MR. SAUSSURE, *Hygrometer*: p. 284, has given us the specific gravity, not indeed of pure vapour, but of vapour dissolved in air, with more precision, for he tells us, 10. That a cubic foot of perfectly dry air has its volume augmented by  $\frac{1}{4}$  when saturated with ten grains of moisture at about 65° Fahr. of heat, and barometer 28,77 inches (English).

2do. THAT a cubic foot of *pure* or perfectly dry air of that density and at that temperature weighs 751 grains (French), and after dissolving 10 grains of moisture, by which it is dilated  $\frac{1}{4}$ , this new volume weighs  $751 + 10 = 761$  grains; but a cubic foot of *pure* air augmented by an accession of  $\frac{1}{4}$  of its bulk of pure air would weigh  $751 + \frac{1}{4} 751 = 765$  grains, that is 14 grains more. Hence he infers that in this case the specific gravity of the dissolved moisture is to that of dry air as 10 to 14, for  $\frac{1}{4}$  of a cubic foot in the one case weighs 10 grains, and in the other 14 grains nearly.

BUT



BUT I strongly suspect that the original experiment, on which this calculation is founded, is erroneous, chiefly by reason of the strong adherence of moisture to cold glass, as will hereafter be seen in treating of dew. From Schmidt's experiments, it may be inferred, that the specific gravity of vapour dissolved in air at this temperature is much lower with respect to that of pure air than Saussure has stated, for he tells us that about 1066 measures of dry air in temperature  $65^{\circ}$  would, if saturated with moisture at that temperature, occupy the space of about 1100 measures, and consequently receive an augmentation amounting to about  $\frac{1}{3\frac{1}{2}}$  of their bulk; now, transferring this ratio to the cubic foot in Saussure's experiment, it appears that  $\frac{1}{3\frac{1}{2}}$  of a cubic foot thus added to the cubic foot of dry air weighs 10 grains; but a cubic foot of dry air, augmented by an accession of  $\frac{1}{3\frac{1}{2}}$  of similar air, would weigh  $751 + 23,46$  grains, which approaches nearly to Mr. Watt's ratio, therefore the specific gravity of vapour dissolved in air at this temperature is to that of perfectly dry air as 10 to 23,5 nearly. It should however be recollected that Mr. Saussure found that a cubic foot of dry air in reality took up 11,069 grains of moisture when saturated at this temperature, and that it was only by way of concession to those against whom he argued, that he stated the weight taken up at 10 grains; then we should have of 11,069 to 21,195, or in round numbers as 11 to 21 or 10 to 19. And it should farther be remarked, that the temperature is given very  
loosely,

loosely, for it is stated to be from 14 to 15 or 16 degrees of Reaumur. See *Hygrometer*: p. 104 and 284.

SATURNI has given us a table, by the help of which the absolute quantity of vapour at any barometrical height, in a cubic foot of air being known, the proportion and absolute quantity in a cubic foot, at another barometrical height 3,6 inches lower, may be known from the mercurial height 28,77 to that of three inches and one-half, nearly.

THIS table I here give, adapting it to our measures.

Barometer.	Ratio.
28,77	1,0000
25,17	0,9528
21,57	0,8899
17,97	0,8264
14,37	0,7629
10,77	0,6887
7,17	0,6230
3,57	0,4311

Thus supposing the absolute quantity of dissolved vapour at any temperature, and barometer 28,77 to be 10 grains per cubic foot, then the quantity of vapour at a height at which a barometer would stand at 25,17 inches would be  $10 \times 0,9528 = 9,528$  and at the height at which a barometer would stand at seven inches, the quantity in a cubic foot would be only  $10 \times ,6230 = 6,23$ . But still it is supposed that at those great heights, at which barometers would stand so

low, that the air is of the same temperature as the original experiment

riment is made at, namely in this case, as it is found at barometer 28,77 inches ; but since in reality air at great heights is generally much colder than below, to ascertain the real proportion of vapour at those heights it will be necessary to find the quantity of vapour which a cubic foot of air is capable of holding at that temperature barometer 28,77, and the ratio which the quantity or weight of vapour actually found bears to the complement at that temperature. Then, 2do. to find the complement of a cubic foot of air at the temperature which prevails at the given barometrical height, and diminish it in the same ratio in which it was found diminished below, and finally diminish it still farther in the ratio which that barometrical height demands. An example will fully explain this rule.

Thus Saussure found, barometer 28,77 and thermometer  $82^{\circ}$  of Fahr. a cubic foot of air contained about 10 grains of moisture at Geneva. Now the complement of  $82^{\circ}$  is nearly 15 grains, and the ratio of 10 to 15 is  $\frac{2}{3}$ . Then at Mount Blanc, on the same hour, the barometer stood at  $16^{\circ}$  and the thermometer at  $26^{\circ},8$  ; the complement of a cubic foot of air at this temperature is 5,3 grains, which diminished in the ratio of 2 to 3 becomes 3,5, and this, farther diminished by the ratio which the barometrical height of 16 inches demands, namely  $,78 = 3,5 \times ,78 = 2,7$  grains, by observation it was found to be 1,7 ; the difference is  
only

only one grain. *Voy aux Alpes*, § 2007. How the temperature which prevails at those great heights may be found, will be shewn in the sequel.

THE celebrated Lambert, of Berlin, *Mem. Berlin*, 1772, has also given an estimate of the proportion of vapour which prevails in the atmosphere at different barometrical heights, deduced from calculations founded on many fictions, such as that of an homogeneous atmosphere, of pure air distinct from common air, and an erroneous system of the ascent of heat; yet as it is much easier in its application and in the instance just quoted, approaches very near the truth, I have calculated the results of his system, which is nothing more than that the quantity of vapour at different barometrical heights above the earth is in the ratios of the squares of those heights. By an homogeneous atmosphere it is probable he meant such a state of the atmosphere as prevails in serene unclouded weather, and it is certainly only in such an atmosphere that any calculation can be instituted.

*Table of the Ratios of the Quantities of Vapour at different barometrical Heights, the Quantity at the Surface of the Earth being given.*

Barometer.	Ratio of Vapour.	Barometer.	Ratio of Vapour.	Barometer.	Ratio of Vapour.
30,	900	24,	576	12	144
29,5	870	23,	529	11	121
29,	841	22	484	10	100
28,5	812	21	441	9	81
28,	784	20	400	8	64
27,5	756	19	361	7	49
27,	729	18	324	6	36
26,5	702	17	289	5	25
26,	676	16	256	4	16
25,5	650	15	225	3	9
25,	625	14	196	2	4
24,5	600	13	169	1	1

Thus in the example last quoted, the quantity of vapour in a cubic foot at Geneva being 10 grains, barometer 28,77, the quantity

quantity on Mount Blanc, barometer 16, should be ,309, for as 827,7 ( $= \overline{28,77^2}$ ) is to 256 ( $= \overline{16^2}$ ) so is 10 to 0,309, which differs from the truth by only 0,391 of a grain.

As vapours unite to air, partly through the agency of heat, and partly through that of affinity and of electricity, so they separate from it, sometimes from a diminution of that degree of heat which they possessed in their nascent state, sometimes from a diminution of affinity, and sometimes from an alteration in their electrical state.

IN their first degree of coalescence when separated from air, they form aggregates of exceeding minute particles, separated from air by the diminution of affinity, and also from each other by electrical atmospheres; these aggregates are of equal, and often lower, specific gravity, than the air in which they are formed, and yet are visible by reason of their opacity; when near the earth they are called *foggs, mists* or *baze*, (which differ only in density) and when at greater heights, *clouds*.

VAPOURS issuing from water or moisture warmer than the air to which they unite, are soon cooled by it and thence in great measure dismissed; hence the morning mists observed in summer and the winter mists of the colder regions; evening mists on the

contrary proceed from the supersaturation of air with vapours previously dissolved, arising from the supervening decreased temperature. The inferior strata of the atmosphere are scarce ever supersaturated by vapours arising from water or moisture warmer than the air into which they ascend; for before the point of saturation can be attained, their affinity to the portion of air to which they are united is weakened, and thence exceeded by the unincumbered affinity of the superior strata, and this happens successively on to the higher regions; but with diminished activity, by reason of the diminished density of the higher strata, until their ulterior progress is checked by saturation; but as they are still continually recruited from below, their quantity is at last so far increased that they coalesce into clouds. Here the process recommences, for from the surface of these clouds a fresh evaporation often takes place, which, after some progress, is again checked in its turn, and clouds are formed at a superior height; these again give room to a further evaporation, and a new stage of clouds is formed, until the process is at last arrested by the intense cold of the superior regions. But the mere cold of congelation is not sufficient to arrest it, for Bouguer informs us that clouds are formed 2500 feet above the lower line of congelation, and that ice itself evaporates, though cooled, several degrees below the freezing point, is well known. The distance of the particles, both of air and vapour, from each other, when so far rarefied as they

they must be in the superior regions of the atmosphere prevents their coalescence in any but the extreme degrees of cold.

HENCE we see that in the warmer latitudes and seasons, various strata of clouds may be formed one above the other; Muschenbroock attests, that even in Holland, in August 1748, he distinctly discerned three. These distinct strata, variously electrified and otherwise circumstanced, give occasion to various phænomena, the detail of which would here be misplaced.

THE clouds which commonly crown the summits even of low mountains, and often announce rain, are caused by the near approach to saturation at those elevations, and its actual attainment through the evaporation from those summits. But the summits of the loftiest mountains ever crowned with snow, are generally shrouded in clouds from the cold they impart to the air in contact with them, and the loss of electricity conducted away from the vapours contained in that air, by the mountain.

THE heights at which the lowest clouds are formed are various in various latitudes and seasons; greater in the warmer and smaller in the colder. In latitude  $54^{\circ}$  in Cumberland, Mr. Crosthwaite observed none lower than 2700 feet, and none higher than 3150  
in



in the course of several years\*. But this country being mountainous they are probably lower than in others under the same parallel. Lambert, in Berlin, latitude  $52^{\circ}.32'$ , in the month of July 1773, found their height 7792 feet, thermometer  $65^{\circ}$ , and the barometer somewhat below its mean height†. Schuckburg also remarks, that clouds frequently rest below the summit of *Salève*, whose height is 2831 feet. Phil. Trans. 1777, p. 538, and Gentil at Pondicherry, latitude  $12^{\circ}$ , observed some at the height of 10240 feet. 2 Voy. p. 79.

THE weight of clouds, Sauffure estimates at one-third or one-fourth of that of the cubic foot of air in which they subsist. Hygrometer. p. 270. When the barometer rises, clouds are partly dissolved, as dense air is a better solvent than rarer air, and partly rise higher in consequence of the increased specific gravity of the inferior air; when the barometer falls the contrary takes place.

CHAP.

\* D'Alton's Meteorological Observations, p. 41.

† Mem. Berlin, 1773, p. 44.

## C H A P. III.

*Of the Temperature of the Atmosphere.*

## SECTION I.

*Of the Temperature of the Summer Months.*

THAT the heat of the atmosphere is derived, not from the immediate action of the solar rays that traverse it, but from the warmer and more solid bodies with which it is or has been in contact, is a fact which at present can admit of no dispute. I have suspended a thermometer and a feather about an inch over the focus of a most powerful burning lens, without producing the slightest increase of heat in the one or of motion in the other. Hence it is plain the air was no way affected by it. That the heat communicated to the atmosphere is in general gradually diminished in some proportion during its progress upwards, at least in summer, is also a fact sufficiently ascertained by the testimony of those who have ascended to great heights, either on mountains or in balloons. But the ratio in which heat is diminished in its progress upwards, has been variously stated, and the means by which this diminution is effected, appear to me to have been incorrectly determined.

EULER

EULER supposed heat to decrease during its ascent in air in an harmonic progression ; but this opinion has been long abandoned. Lambert, in the Mem. of Berlin for       , fixes the ratio of this decrease to be that of 17 to 12; but this assertion is refuted by Saussure, Voy. aux Alpes, § 929, and is indeed incompatible with the results of experiments made at different heights, measured barometrically. Saussure, Voy. aux Alpes, § 2051, thinks that in latitudes from  $45^{\circ}$  to  $47^{\circ}$ , heat decreases during its ascent  $2^{\circ},25$ , or more correctly  $2^{\circ},23$  Fahr.\* degrees for every 640 English feet, during the summer months, from the level of the sea to the summits of the highest mountains, and consequently one degree of Fahr. for each 287 feet of height. Yet this determination, though limited within such narrow bounds, is not always just, even within those bounds, and frequently errs very widely, at least when the diminution of heat is computed, not from the level of the sea, which frequently cannot be known, but from that of adjacent plains, to the summits of mountains. According to this rule, the diminution is constant and invariable, let the heat below be ever so different, as the diminution is proportioned to the height only, which does not vary. But numerous observations attest the diminution of heat to vary almost every day and hour, thus Schuckburg found the diminution of heat on Mount Saleve  
on

\* The boiling point of water being taken at Geneva when the barometer was at 28,77.

on one day  $9^{\circ}$ , on another  $8^{\circ},9$ , on another  $10^{\circ},5$ ; whereas, calculating from the above rule, it should always be  $9^{\circ},9$ ; so on the Mole he found the diminutions of heat on different days  $7^{\circ}$ ,  $5^{\circ},8$ ,  $6^{\circ},6$ ,  $7^{\circ},9$ ; whereas, by the above rule, it should be  $14^{\circ},8$  every day. Here the error amounts to the double, or more.

To attain a closer approximation, we must resort to some fixed point above, whose temperature is known, and so distant, that its variations, if it undergoes any, should, with respect to that distance, be inconsiderable; then, this distance being known, and having another fixed point below, namely, the degree of heat observed, and framing a set of equi-distant intermediate terms, we have the necessary elements of a decreasing arithmetical progression, which all observations concur in establishing as that observed by heat in its progress upwards, during the summer months, and in serene weather.

THE fixed point in the superior region of the atmosphere to which I here allude is the height of the upper term of congelation. This, as well as the lower term of congelation, was first announced by Bouguer, so long ago as Ann. 1749, though no use has since been made of either in meteorological enquiries.

THE *upper* term of congelation is that above which no *visible* vapour ascends, and its temperature is *constantly* at least  $32^{\circ}$  of Fahr. Bouguer has ventured to lay down its height over the snowy mountains of Peru under the equator, but it is highly probable that over the sea, and especially over land much heated, its height is still greater within the same latitudes, since its height is proportioned to the intensity of the heat below. And hence, between sun-set and sun-rise, if the heat below be much diminished, it must descend in proportion to the diminution. Bouguer has determined its height only in a single instance, but its importance has induced me to investigate the variations of this height in all latitudes above latitude  $5^{\circ}$ . The principles which I employed in this investigation may be seen in the *Estimate of the temperature of different latitudes*, published in 1787, p. 8. Since that time I have corrected the heights appropriated in that essay to latitude  $55^{\circ}$ , and every other  $5^{\circ}$  higher, in the northern hemisphere, by taking the inverse ratio of the height in latitude  $45^{\circ}$ , divided by the sine of  $30^{\circ}$ , namely, 2. The intervals I have filled by taking arithmetical means. Without the tropics, it is evident that not only night and day, but also winter and summer, must vary this height, and, in the higher latitudes, very considerably; hence I have confined this determination to the summer months, namely, May, June, July, and August, without the tropics. During the winter months, October, November, January, and February, this  
line

line must frequently approach nearly to the lower line, yet they never coincide, or at least very rarely, namely, when the cold of the lower air is so great that no visible vapours are formed in it. In the month of April, and in part of that of October, this line is intermediate between its height in summer and that in winter. And during the whole year it must be taken as a mean between its heights over the oceans and over land.

THE *lower* term of congelation is situated at the height at which it freezes at night, though in day time, and particularly on sunny days, it may surpass that point by several degrees within the tropics; though fewer without them, even in the summer season. Thus Bouguer found the heat on the stony summit of Pinchinca, at whose height he fixes this term, to vary  $17^{\circ}$  of Reaumur, that is  $38^{\circ}$  of Fahr. from sun-rise until noon. Voy. p. xxxix.

He also states the height of this line in latitude  $28^{\circ}$  at 13240 feet, and Saussure, more correctly, at about 12170 feet; and I believe it still lower.

In the latitude of the south of France, (that is  $43^{\circ}$  and  $44^{\circ}$ ) Bouguer states the height of this line to be about 10240 and 9600, but Saussure esteems it lower, for he makes it between latitude  $42^{\circ}$  and  $43^{\circ}$ , (that of Canigou) to be only 9290 feet\*.

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\* Voy. aux Alpes, p. 374.

ALL these determinations must necessarily vary according to the seasons, and according as the heights are computed perpendicularly to sea or land, nay even according to the different situations of the land and its different temperatures.

Thus, in the German or Northern side of Swisserland, its height is only 8312 feet, but on the Southern or Italian side, not above ninety miles distant, it reaches 8952 feet\*. The height of *Col de Geant* surpasses the height of this line, and yet the thermometer rose 10° Fahr. about two o'clock†, but at night it fell beneath that line.

THESE variations render the *lower* line of congelation an unfit limit towards which the diminution of heat should be computed, and hence I fix the limit on the *upper* line of congelation, whose variations are, respectively, at least in summer and serene weather, much less considerable.

*Table*

\* Bertrand, Renouvellement des terres, 251.

† Saussure Voy. § 2051.

*Table of the Height of the Upper Line of Congelation in the different Latitudes of the Northern Hemisphere.*

N. Latitude	Feet.	N. Latitude.	Feet.	N Latitude.	Feet.
0	28000	21	24404	38	17393
5°	27784	22	24147	39	16801
6	27644	23	23890	40	16207
7	27504	24	23633	41	15712
8	27364	25	23413	42	15217
9	27224	26	23006	43	14722
10	27084	27	22389	44	14227
11	26880	28	21872	45	13730
12	26676	29	21355	46	13235
13	26472	30	20838	47	12740
14	26268	31	20492	48	12245
15	26061	32	20146	49	11750
16	25781	33	19800	50	11253
17	25501	34	19454	51	10724
18	25221	35	19169	52	8965
19	24941	36	18577	53	7806
20	24661	37	17985	54	6647

N. Latitude.



N. Latitude.	Feet.	N. Latitude.	Feet.	N. Latitude.	Feet.
55	5617	67	4616	79	3911
56	5533	68	4548	80	3861
57	5439	69	4480	81	3815
58	5345	70	4413	82	3769
59	5251	71	4354	83	3723
60	5148	72	4295	84	3677
61	5068	73	4236	85	3631
62	4989	74	4177	86	3592
63	4910	75	4119	87	3553
64	4831	76	4067	88	3514
65	4752	77	4015	89	3475
66	4684	78	3963	90	3432

THE height of this line in any latitude, divided by 100, gives the number of terms in the arithmetical progression, each consisting of 100 feet; and the difference of the heat below, and  $32^{\circ}$ , gives a dividend, which, divided by the number of terms, less one, gives the common difference of the progression\*; and the common difference, multiplied by the number of terms in the height of a mountain,

\* It is commonly a decimal fraction, of which the three first significative figures are generally sufficient, but it is safer to take four in some cases.

mountain, or other height sought, gives the diminution of heat at that height; and this diminution subtracted from the heat below, gives the degree of heat that obtains at the proposed height.

### E X A M P L E.

IN latitude  $56^{\circ} 30'$ , the heat below being  $54^{\circ}$ , it is required to know the diminution, and the degree of heat that prevails at the height of 1364 feet?

HERE the latitude being intermediate between latitude  $56^{\circ}$  and  $57^{\circ}$ , the height of the upper line of congelation is the mean between 5533 and 5439 = 5486 feet, then the divisor is 53,86 terms, and the dividend is  $54^{\circ} - 32^{\circ} = 22$ , and  $\frac{22,00000}{53,86} = ,408$ , the common difference. Now  $0,408 \times 13,64 = 5,5$  the diminution, and  $54 - 5,5 = 48^{\circ},5$ , the degree of heat which prevails above; which is exactly that observed by General Roy at the summit of Knock-farle in Scotland. Phil. Transf. 1777, the heat below being  $54^{\circ}$ , and the height 1364 feet.

IN this manner I have calculated the heats at various heights in various latitudes, the degrees below being given, the results both by observation and calculation may be seen in the annexed table.

*Table*

*Table of the Heats observed and calculated on sundry Mountains.*

Latitude	Heights.	Heat			Difference	Authors.
		Below.	Above by Observation.	Above by Calculation.		
0	Pinchinca 15564	83°,75	29°,75	30°,5	0°,75	Bouguer.
38°	Etna 10954	73,25	40,08	47,2	6,4	Sauffle, Voy. 941.
46°	Salève 2831	73,	64,	64,16	0,16	} Schuck. Phil. Tran. 1777, p. 530.
46°	Mole 4211	63,9	56,	53,7	2,3	
46°	Col de Grant 11273	81,	41,5	42,5	1,0	Sauffle, § 2035.
46°	Mt. Blanc 14624	82,8	26,82	26,44	0,38	Sauffle, § 2003, p 307
53°	Snowden 3555	60,	47,75	47,1	0,65	} Roy, Phil. Trans. 1777, p. 779.
53°	Mael Elio 2371	62,5	51,	51,3	0,3	
56°	Arthur's Seat near Edinburgh 803	54,	50,5	50,	0,5	Roy, ibid, p. 777.

Latitude.	Heights.	Heat			Difference	Authors.
		Below.	Above by Observation.	Above by Calculation.		
56°	Kirk Yetton Cairn 1544	54°,5	47°,25	48°,3	1°,05	} Roy, Phil. Trans. 1777, p. 777
56°,30'	Schihallien 3281	56,	5,	41,4	3,6	
56°,30'	Bolfrack 1076	60,	56,75	54,5	2,25	Roy, ibid.
56°,30'	Knockfarle 1364	54,	48,5	48,5	0,	Roy, ibid.
56°,30'	Glenmore 1279	55,	51,5	49,6	1,9	Roy, ibid.
56°	Tinto 1642	58,	51,	50,3	0,7	Roy, ibid.
46°	Dole 4810	78,25	65,	63,44	1,5	Roy, ibid, 783 & 736.
51°,31'	Kew Pagoda 116	49,25	49,25	49,05	0,2	Roy, ibid, 773.
80°	Hacklyyt Hill 1503	50,	42,	43,	1,	Phips' Voy.

HERE are eighteen calculations of heat at different heights, under different latitudes; among which only two differ remarkably from the heats actually observed at those heights, and these I am inclined to attribute to an error in the observations, for the heats above and below cannot both be noted by the accurate philosophers who measure the heights of mountains. The errors, if any are committed, in noting the degrees of Reaumur, are much more considerable than those that can be committed in taking those of Fahrenheit.

THE near agreement of the calculated and observed heat on the summit of Mount Blanc is very remarkable, as the height of this mountain surpasses that of the upper line of congelation, and is the only known height that does so; that it surpasses the upper line of congelation is evident from Saussure's account; for he tells us that the air was so free from vapour on this *summit*, that in a shaded spot he could see the stars by day, and the temperature even in day time was far below  $32^{\circ}$ ; the snow that nevertheless reposed on its summit might for the most part have been drifted on it by the furious winds that rage in winter. Thus Dr. Villars found thirty beds of earth interposed between those of frozen snow on the Glaciers of Switzerland. 22 Rozier, p. 275. This earth or dust was wafted up in the months of July and August during thirty successive years.

THE

THE clouds that frequently invest its summit originate from vapours condensed by the absorption of electricity by the mountain. It is also highly remarkable that the common difference of the progression should suit terms beyond the last, by the means of which it was found. It would therefore seem that the common difference thus found takes place at much superior heights.

THE smaller differences between the degrees of heat calculated, and those observed, may well be attributed to local circumstances; *below*, in some situations of small extent, *reflected* heat often occurs; *above* if the summit be grassy the heat is diminished in some degree by evaporation; if stony but narrow, the genuine heat is little affected; but if broad, as the stony summit of Pinchinca, a considerable degree of heat may arise from reflection, on sunny days. Darker days seem more favourable to detecting the true heat appropriated to the height.

NOTWITHSTANDING the imperfections incident to observations on mountains, yet these are upon the whole much less exceptionable than those that hitherto have been taken in balloons, of which the height is seldom determined with sufficient precision; besides simultaneous observations of the temperatures above and below rarely occur, and on sunny days the heat reflected by balloons causes considerable errors.

LASTLY, it should be noticed that the horizontal distance between the places of observation should not exceed eight or ten miles.

By means of this progression several curious questions may be resolved, the latitudes being given.

LET  $H$  denote the heat below,  $b$  the heat above,  $D$  the diminution,  $d$  the common difference or rate of the progression,  $n$  the number of terms in the proposed or sought for height, which multiplied by 100 gives the height truly, to less than 20 feet.

$L$  the height of the upper line of congelation, in the given Latitude.

$$\text{THEN } 1^{\circ} d = \frac{H-32}{L-1}. \quad 2^{\text{do.}} D = d n. \quad 3^{\text{io.}} n = \frac{D}{d}. \quad 4^{\circ} H = b + D.$$

$$5^{\circ} b = H - D. \quad 6^{\circ} L = \left( \frac{H-32}{d} + 1 \right) \times 100.$$

THUS 1<sup>o</sup>. the heat below being given in latitude  $56^{\circ}, 30'$  to find the rate of its progression upwards? Suppose the heat below  $54^{\circ}$ , then by the first formula  $\frac{54-32}{54,86-1} = \frac{22}{53,86} = ,408$ ; then it is diminished ,408 of a degree in every hundred feet of its progress upwards.

THUS

THUS in the first hundred feet it becomes  $54^{\circ} - ,408 = 53^{\circ},592$ .  
And at 200 feet it becomes  $54^{\circ} - ,408 \times 2$ , &c.

2do. THE *rate* of diminution being known, suppose ,408 to find its amount at a given height, suppose 1364 feet? By the second formula we have  $0,408 \times 13,64 = 5^{\circ},5$ .

3io. THE diminution of heat being known, suppose  $5^{\circ},5$ , and also its rate, suppose 0,408, to find the height at which this diminution takes place? By the third formula we have  $\frac{5.5}{0,408} = 13,48$  which  $\times 100 = 1348$  feet, which wants but 15 feet of the truth.

HENCE we see that heights may often be measured by thermometers only with tolerable accuracy.

4o. THE heat *above*, suppose  $48^{\circ},5$ , and its diminution, suppose  $5^{\circ},5$  being given, to find the heat *below*? By the fourth formula  $48^{\circ},5 + 5^{\circ},5 = 54^{\circ}$ .

5o. So also the heat *below*, and the diminution above, being known, the heat *above* may be found by the fifth formula as is evident. Thus  $54^{\circ}$  (in the last example)  $- 5,5 = 48,5$ .

6o. THE



6°. THE heat *below* and the rate of progression being known, the height of the line of congelation may be found by the sixth formula. Thus in the example  $\frac{54-32}{40846} + 1 = \frac{22,00000}{40846} + 1 = 53,86 + 1 = 54,86 \times 100 = 5486$ .

*Note.*—That the heat *below* and the heat *above* being given, if the difference includes no fraction, and if the height also be known, the rate or common difference may be found by dividing the difference of heats above and below, by the height or  $d = \frac{H-h}{n}$  *n* being expressed in the terms of the progression. Thus the height of Tinto being 1642 feet it should be expressed 16,42.

SOME have thought that heat is conveyed upwards by the gradual ascent of the lower strata of air which first receive the increase of heat, but that this cannot happen will be shewn in the sequel.

IN serene weather, whatever variations may occur in the temperatures below, the differences between them and the heats above are as nearly the same as can be expected, when due allowances are made, for the imperfection of thermometers on which fractions

tions of degrees are often had only by estimation, and also for local circumstances.—A full proof that heat ascends in an arithmetical progression.

THUS in the three series of observations on the temperatures at the top and bottom of *Mount Saleve*, the difference in the first was  $8^{\circ}, 9$ , in the second  $9^{\circ}$ , in the third  $10^{\circ}, 5$ , here the greatest deviation is  $1^{\circ}, 5$ .

AND in the sixth series at the *Mole* the differences were, in the first  $7^{\circ}, 1$ , in the second  $5^{\circ}, 8$ , in the third  $7^{\circ}$ , in the fourth  $7^{\circ}, 9$ , in the fifth  $7^{\circ}$ , in the sixth  $6^{\circ}, 6$ . Here two circumstances deserve attention; first, that in the second, third and fourth series the heat above was constant, namely  $56^{\circ}$ , while the heat below varied from  $61^{\circ}, 8$  to  $63^{\circ}, 9$ . This may be attributed to a brisk wind, from the glaciers which reigned above, while the lower flank of the hill was sheltered. The second is, that the difference between the heat above and the heat below, with respect to Mount Saleve was  $9^{\circ}$ , and yet betwixt the top and bottom of the Mole it was at most only  $7^{\circ}, 9$  though the height of Mount Saleve was only 2831 feet and that of the Mole was 4212. This must certainly proceed from the intervention of some contingent cause, the general difference may therefore be often better determined by calculation than by actual observation.

IN *a given latitude*, the rate of diminution at equal heights, is greater when the temperature below is high, than when it is low; for while the divisor (viz. the height of the line of congelation) remains unaltered in all temperatures, the dividend (viz. the difference betwixt the heat below and  $32^{\circ}$ ) is so much the greater as the temperature is higher, and consequently the rate or quotient must be higher. Sauffure also noticed this difference of the rate of diminution in high and low temperatures; for he tells us that in winter the rate of diminution is but  $\frac{2}{3}$  of that which it amounts to in summer. Voy. § 2051. And between the tropics heat rises much more rapidly than in the higher latitudes, as Dr. Cassan observed, 36 Roz. Jour. p. 265. See also Mr. Six's observations in the Phil. Transf. 1788, p. 105. And hence the difference betwixt the temperature of mountains and of plains is not so great in winter as in summer. Nay in winter the temperature at great heights is often warmer than on plains, as will presently be shewn.

WE owe to Mr. Pictet some new and curious experiments on the progress of heat at low heights; that is between 5 and 75 feet. He found that a thermometer, suspended about five feet over the earth, generally increased in heat more rapidly than a thermometer placed 75 feet over the earth; so that on the hottest hour of the day, the lower was often about 4,5 degrees warmer than the upper thermometer. This shews that the increase of heat below is quicker than its communication upwards. However  
towards

towards sun-set both thermometers approach to an equality. This shews that the higher thermometer at 75 feet communicates its heat upwards still more slowly than the lower communicates its heat to it; which proves that the higher heat ascends, the more slowly it is propagated to still superior heights. This explains the constancy of the heat at the summit of the mole while the heat below increased as already mentioned. But after sun-set the lower thermometer cools quicker than the upper, and towards the end of twilight is often about four degrees colder, notwithstanding that the earth a little below its surface is much warmer. The cold which thus affects the lower thermometer is evidently caused by evaporation; this excess of heat of the upper over the lower thermometer lasts the whole night, and until two hours after sun-rise, when, notwithstanding the evaporation, the earth is more heated by the sun's rays than it is cooled by evaporation, and so also is the thermometer suspended five feet over it, and thus accumulates heat faster than it can reach the upper thermometer, until after the hottest hour of the day, as already mentioned.

THESE observations happily point out the hours of the day most proper for discovering the mean temperature of the atmosphere, a matter of great importance in barometrical mensuration. It is evident that the hour of sun-rise (or before sun-rise) is an improper time, since the heat at the height of 75 feet is some

degrees higher than that at five feet above the surface of the earth; contrary to the grounds of calculation. Nor is the hottest hour of the day the fittest time, since the heat is above all proportion some degrees greater than at the height of 75 feet. The properest times are therefore the mean hours between sun-rise and the hottest hour of the day\*, and between this and sun-set. *Essais d's Phys.* § 131, &c.

HOWEVER, such considerable disparities occur only in calm, clear and serene weather; on cloudy days, when the sun does not appear, they vanish. *Ibid.* § 135.

WHENEVER a fog or mist appears in any stratum of air, it communicates about a degree, or half a degree, of heat to the stratum in which it is found. *Ibid.* § 142. A circumstance that deserves notice in estimating the mean temperature of the atmosphere. Mr. James Six, of Canterbury, made a number of observations on the temperatures six or nine feet above the earth; and also on that which prevailed 220 feet above it; and his results were in general analogous to those previously obtained by Picquet. But the temperatures of whole days, or of days and nights only, were noticed, and not the simultaneous differences at different heights;  
besides

\* This I have added.

besides the heats below appeared to have been influenced by reflection, and the heat above by contact with the wall. Thus on the 16th of June, 1784, the heat below being  $68^{\circ}$ , the heat above was no more than  $60^{\circ}$ ; so great a diminution at so small a height could not arise from the natural progression of heat, but must have arisen from the range of a N E. wind which prevailed on part of that day from which the garden was more sheltered.

## SECTION II.

### *Of the Temperature of the Winter Months.*

By winter months I understand those of November, December, January and February. The temperature of these months has presented some extraordinary phænomena hitherto deemed inexplicable, or at least not fully accounted for, though they appear to me connected with and dependant on a fact suggested by that eminent philosopher and mathematician Dr. Halley, so long ago as the latter end of the seventeenth century.

THE first phænomenon is, that during the winter months, the temperature of the higher strata of the atmosphere is often warmer than that of the lower.

Thus the temperature of the summit of Arthur's seat, near Edinburgh, though only 684 feet above the base of Hawk-hill observatory, was, on the 31st of January, 1776, found to be 6° warmer than the temperature below. Phil. Transf. 1777, p. 777 and 728. At about eleven o'clock in the forenoon, M. De Luc tells us, that in winter he sometimes found the temperature on the summits of mountains from 2500 to 3000 feet high, exactly the same as that of the plains. Modif. § 203. A circumstance that never occurs in summer. Count Fraula, in the 3d volume of the Memoirs of Bruffels, has shewn by experiments, that thaws begin above and are gradually propagated downwards; Messier, in the Memoirs of Paris. 1776, p. 19, having placed two thermometers, one at 20 feet above the ground and another 54 feet higher, observed this latter to stand constantly some degrees higher than the former, and in one instance six degrees, on the first day of February, 1776, though the weather was serene and the wind at east, when these observations were taken. Ibid. p. 16. The cold below has been attributed to the frost that still remained unthawed; but granting that its influence could reach to the height of 20 feet, the question is, whence proceeded the change in the temperature of the upper atmosphere, which some short time before was much colder? It evidently did not proceed from the earth, as it constantly does in summer.

THE

THE second remarkable phænomenon is that the North Pacific Ocean, above latitude  $40^{\circ}$ , is much colder than the North Atlantic, betwixt the same parallels. The interior parts of Siberia, east of longitude 100, are much colder than the parts equally distant from that meridian on the western side. The coast and interior of the western regions of America are much colder above latitude  $40^{\circ}$  than the corresponding tracts of the European continent.

A THIRD singular circumstance is, that barometers, in the northern parts of Europe at least, generally stand highest in the months of December, January and February. This has been observed almost constantly at Peterburgh during ten years, (IX Coment. Petrop. p. 325) that is from 1726 to 1736, and during eleven years at Abo, that is from 1750 to 1761. 25 Schwed. Abhand. p. 112; and by Muschenbr. in Holland, in the year 1728. La Cotte also observes, that the higher and lowest states of the barometer occur in the winter months. 44 Roz. Jour. p. 232. It is also well known that the smallest variations occur within the tropics, but gradually increase as we recede from them. Ibid.

Now the fact stated by Halley, and with which all the above phænomena appear to me to be connected, is, that the equatorial  
air,



air, and that of the tropic to which the sun approaches, “ being  
 “ rarefied by heat and pressed upon by the colder air, rises and  
 “ diffuses itself above, forming a current in a contrary direction  
 “ to the subjacent inferior current of the colder air; so that a NE.  
 “ wind below is attended with a SW. wind above, and a SE.  
 “ below with a NW. above.” Here his statement ends, but the  
 last part of it is erroneous, or at least ambiguous; for from it one  
 would be apt to deduce the existence of two simultaneous superior  
 currents, one on the northern and the other on the southern side  
 of the Equator, whereas he most probably meant two successive  
 currents, as he tells us that it is the air of the tropic to which  
 the sun approaches that flows in a contrary direction to the colder  
 air below; now as the sun cannot at the same time approach  
 both tropics, it follows that these currents, like the sun’s ap-  
 proaches, must be successive; so that when the sun is in, or ap-  
 proaches to the southern tropic, that is, during the winter of the  
 northern hemisphere, a SE. current prevails in the upper regions  
 of our hemisphere, and when the sun, during our summer, ap-  
 proaches to, or is in the northern tropic, a NE. wind prevails in  
 the upper regions of the southern hemisphere; and in fact this  
 equatorial intumescence must necessarily flow and diffuse itself in  
 that direction in which it meets with least resistance, and it meets  
 with least resistance in blowing towards that hemisphere in which  
 at equal heights the air is most rarefied; now when the sun is in,  
 or

or approaches to the northern tropic, winter reigns in the southern hemisphere, therefore the lower sections of the atmospheric columns are more condensed by cold, and consequently the upper sections of those columns are proportionably rarer (supposing the absolute weight the same) than the corresponding sections of the northern hemisphere, where, from the great expansion occasioned by the heat below, a greater part of their mass reaches to the same height as the more rarefied part of the southern columns. Therefore during our summer, or the winter of the southern hemisphere, the greater part of the intratropical intumescence flows to the *south*. Halley adds also to the *east*, in order to preserve the equilibrium; but this seems a mistake, the equilibrium is supported by the incessant circumvolving flow below. The direction of the superior current is guided only by the greater or lesser resistance it meets with; it must move, as he himself says, "*from* those parts where the greatest heat is" and consequently towards the colder, which at that height must be the rarer, and offer least resistance; now the western parts, over which the sun's influence has not as yet been exerted, are evidently colder than the eastern, over which the sun has already passed, therefore the superior current is directed westward, or in other words a NE. wind prevails above. The reverse takes place in the northern hemisphere during our winter, or in other words a SE. wind prevails in the upper regions of our atmosphere.

AGAIN,

AGAIN, another difference must be remarked betwixt the direction of the trade winds below and that of the superior current. The trade winds are chiefly easterly, with only a few points to the north or south, according to their situation on the north or south side of the equator, commonly one or two, rarely more. But the direction of the upper current is chiefly to the north or south, according to the tropic the sun approaches, with only a few points westwards, as the greatest cold prevails in the northern or southern quarters.

THE height above the level of the sea or surface of the earth, at which this intumescence begins to overflow, is that at which its density notably surpasses that of the aggregate of the adjacent extratropical columns at the same height, that is about  $\frac{1}{3\frac{1}{2}}$  or  $\frac{1}{3\frac{1}{8}}$ th, and even still less.

To state this point more clearly we must take a general survey of the temperatures of the different aggregates of air thus compared, confining ourselves to the northern hemisphere, as best known, and to the *winter* season.

THE

THE equator and tropics lie chiefly over sea, but partly over land, and the temperatures of each of these are very different.

Mean heat of the equatorial air	-	84°
———— of the supra-marine S. intra-tropical air		85°
———— of ditto incumbent over land	-	98°
———— supra-marine N. intra-tropical air		80°
———— of ditto incumbent over land	-	90°

At the level of the sea and surface of land. mean of all 87°

Mean heat of the extra-tropical supra-marine air in this season*, from latitude 23° to latitude 33°		66°
Ditto of that incumbent over land	-	70°

Mean of both at the level of the sea and surface of  
the land - - - 68°

To represent the action of these on each other, we shall suppose each to form a distinct column, and both columns to be contiguous to each other, and each to support mercury in the barometer to the height of 30 inches, at the surface of the earth.

\* See Estimate of the temperatures of different latitudes.

AND here it is plain in the first place, that, as both are of equal weight, the intra-tropical column, being more expanded by heat, must reach to a greater height than the colder and less expanded extra-tropical air. BUT that at a certain height the weight and density of the intra-tropical air must be considerably greater, and consequently that this air must flow over or into the other, will now appear by shewing the elevation that mercury would stand at in each, at that given height. The height I now allude to is that of the upper line of congelation; in the mean of the above-mentioned latitudes of the *extra-tropical* air, this height is 21800 feet = 3633 fathoms, which, subtracted from log. 30 (= 4771212) gives the logarithmic number 1138212; and this corresponds with the natural number 12,997, I. to this height, the mercury would then rise in the barometer. But in the column representing the *intra-tropical* air, the mercury would rise at the same elevation over the earth to 13,835 inches, as appears by the following calculation. The mean height of the line of congelation of the intra-tropical air is 25000 feet, and the mean heat of this air, at the surface of the earth being  $87^{\circ}$ , the difference of this with  $32^{\circ}$  is  $55^{\circ}$ , which divided by 250,00 quotes 0,222 the common difference of the progression; and this multiplied into 21800 (218,00 being expressed in the terms of the progression) gives the diminution of  
heat

heat  $48^{\circ},396$ , which, subtracted from  $87^{\circ}$  gives the temperature at that height,  $38,664$ . The mean heat of this column is therefore  $62^{\circ},8$ , which exceeds the temperature of  $32^{\circ}$  by  $30^{\circ},8$ . Now, according to Sir George Schuckburgh's calculation, 1000 feet of air, by one degree of heat above  $32^{\circ}$ , gain 2,43 feet, consequently 21800 feet of air should gain 52,97 feet. And if one degree of heat gives an increase of 52,97 feet,  $30,8$  degrees should give 1631,476 feet; consequently the mercury should rise in it to the same elevation as if the barometer had been placed 1631,476 lower, that is at the height of  $21800 - 1631,476 = 20168,524$  feet = 3361,420 fathom, which subtracted from log. 30, as above, gives the logarithmic number 1409792, corresponding with the natural number 13,835. At this number of inches then the mercury would stand in the intra-tropical air. The density of the superior air incumbent upon it exceeds that of the air incumbent over the extra-tropical air of the same height over the earth by ,838 of an inch of mercury, or about  $\frac{1}{16}$  of the whole weight of each column. It must therefore flow over, or into the rarer extra-tropical air.

THIS overflow takes place at even far lower heights in the atmosphere; for by a similar calculation it will be found that the density of the intra-tropical air exceeds that of the extra-tropical by  $\frac{3}{16}$  of an inch, even at the height of 8000 feet.

THIS superior current is incessantly propelled forward by the incessant succession and propulsion from behind; and its rapidity increased proportionally to the decreased density of the more northern columns to which it proceeds.

THE heat it possesses at the height of 21800 feet was given at the average both of the supra-marine and supra-terrene columns; but it is evident that the heat of the supra-marine columns at that height is some degrees lower, and that of the supra-terrene some degrees higher. At the height of 1000 feet the heat of the supra-marine intra-tropical air is  $57^{\circ},6$ , and of the supra-terrene  $70^{\circ},6$ .

Sir Charles Blagden, in a very interesting paper inserted in the Philosophical Transf. 1781, p. 341, has shewn that the Gulf stream, passing northwards from the Gulf of Mexico through water several degrees colder, loses only two degrees of heat for every three degrees of latitude it passes through; and Dr. Franklin, in a paper of four years later date, in the second volume of the American Transf. p. 316, informs us that this stream preserves its superiority of temperature at least from latitude  $25^{\circ}$  to latitude  $44^{\circ}$ , which it reaches in twenty or thirty days, that is through 19 degrees of latitude about 1300 miles; but Sir Benjamin Thompson (now Count Rumford) in the Phil. Transf. of 1786, p. 304, has shewn that atmospheric air is four times a worse conductor of heat than  
water

water is, and consequently parts with it more flowly in that proportion. Therefore it loses only  $2^{\circ}$  of heat in passing through  $12^{\circ}$  of latitude, and  $6^{\circ}$  degrees in passing through  $24^{\circ}$  of latitude, and  $8^{\circ}$  in passing through  $48^{\circ}$ . Therefore the *supra-terrene* intra-tropical air at the height of 10000 feet is cooled down in latitude  $72^{\circ}$ , that is  $48^{\circ}$  beyond the northern tropic, only  $8^{\circ}$ , and consequently its temperature, even in that distant latitude, is  $64^{\circ}$ . But the *supra-marine* intra-tropical air, whose temperature at the height of 10000 feet is  $57^{\circ}$ , is cooled down to  $49^{\circ}$  at latitude  $72^{\circ}$ . It is true, that the degree of moisture, in the air through which the intratropical air passes, must occasion a considerable difference as to the heat it retains, for Count Rumford has also shewn, that moist air is 3,9 times a better conductor of heat than common air, and consequently nearly as good a conductor as water. Ibid. But the air, in his experiments, was saturated with moisture, a circumstance that cannot be supposed in the cases at present referred to. From these principles the explanation of the above-mentioned phenomena is clearly deduced

For 1<sup>o</sup>. the superior strata of the atmosphere are obviously warmer than the lower, being occupied by the superior current, whose heat is gradually communicated to the lower strata, until at length it becomes uniform, as in the cases observed by De Luc.

2<sup>do</sup>.



2d°. THE North Pacific Ocean is colder than the North Atlantic between the same parallels, because the superior current that passes over the North Pacific is entirely *supra-marine*, and for the same reason eastern Siberia is much colder than its more western tracts. But the current that passes over the eastern parts of the North Atlantic is in great measure *supra-terrene*, for it issues from Guinea, Senegambia, and a skirt of the great desert. So also the current that passes over the western parts of Siberia, being derived from Siam, Ava, and the more southern islands. But the current that passes over the eastern regions of North America is entirely *supra-marine*, as it originates on the Atlantic Ocean; whereas that which passes over the corresponding European tracts, Hungary, Poland, Germany, Sweden, France, Spain, Italy, and the British islands, is entirely *supra-terrene*, arising from air super-incumbent on southern and northern Africa. These directions from the south to the N. N. West may easily be traced on a map, observing to allow from one to three points to the western direction.

THE 3d phenomenon is due to the re-inforcement of the same cause. In the months of December, January, and February, the superior current is then more copious, as the intra-tropical air is then more heated, and hence adds more to the weight of the northern air, and consequently mercury in barometers must stand highest; but as this current soon diffuses itself over regions

on

on which air at an equal height is still more rarefied, the mercury must sink in proportion to the quantity of air that deserts its station. The small variations of mercury in the intra-tropical regions proceed from the small alteration of the quantity of air incumbent over those tracts. The perturbations that take place within the tropics originate in far higher strata of the atmosphere, than those do that take place in the more distant extra-tropical tracts. Thus, Gentil has shewn, that thunder proceeded from from clouds 10000 feet above the surface of the earth at Pondicherry, latitude  $12^{\circ}$ . 2 Gentil, p. 79. But in latitude  $46^{\circ}$ , Sir George Schuckburgh heard thunder grumbling under him when standing on mount Saleve, an elevation of only 2831 feet over the surface of the plains. Phil. Transf. 1777, p. 527. Now as a great part of the weight of the atmosphere resides in the inferior and denser strata, it is evident that it must be more altered by the perturbations that happen in them, than by those that happen in the much loftier. Hurricanes alone affect the lower strata, and hence the barometer sinks considerably. Thus, in the hurricane that happened in the island of St. Bartholemew on the 2d of August, 1792, the barometer fell from 30,18 to 28,03 during its continuance, and perhaps still lower, for the observer was obliged to quit the house, whose prostration he apprehended, when at its height. See the circumstantial description in XI. Voights's Phy. Magaz. 4 Stuck. p. 74.

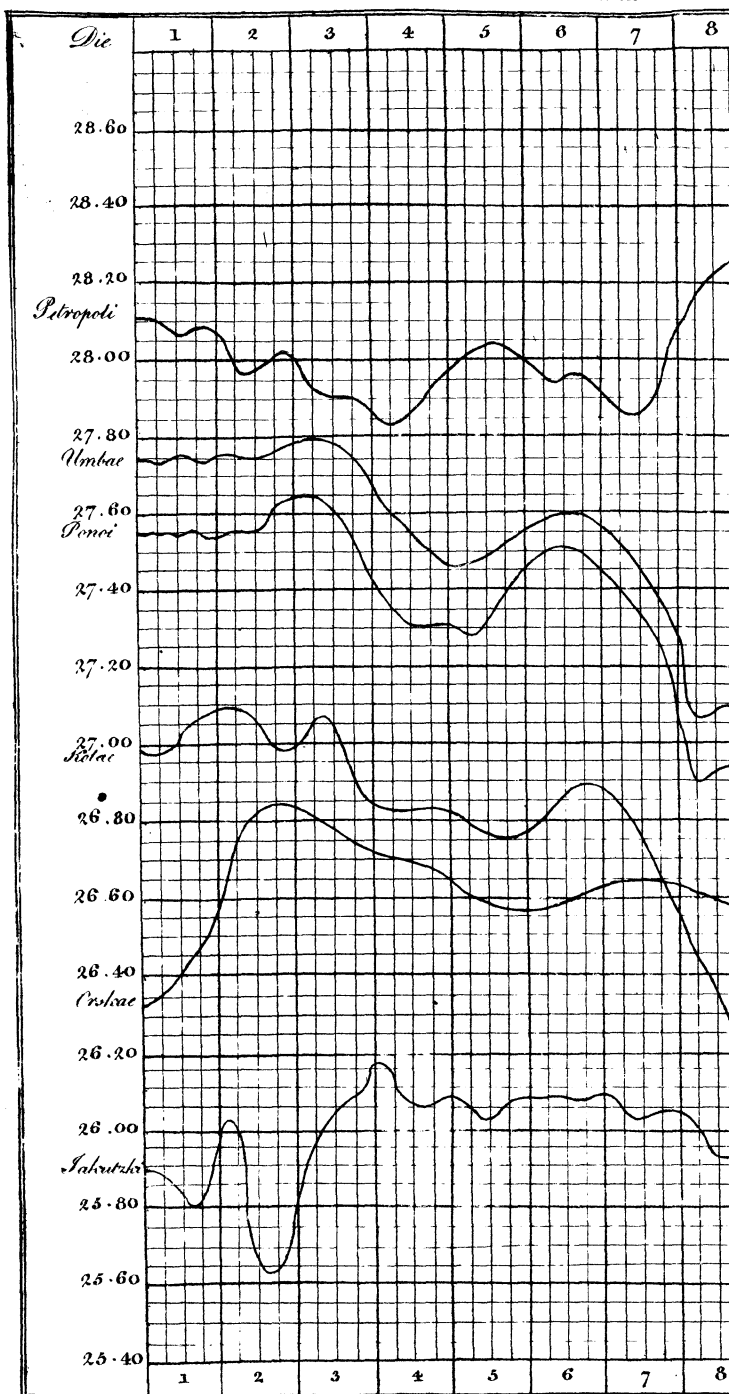
Ir

It may be objected, that mercury rises to great heights above its natural state even in summer, when no superior tropical effluence prevails, which is certainly true; but it must be remarked, that a vast accession of air arises in that season from the decomposition of water in growing vegetables, as Dr. Hales has abundantly proved, and is now universally acknowledged. Nay, Melander Hielm informs us, that the quantity of air emitted from gun-powder during a battle raises mercury in barometers situated in the vicinity. 5 Nev. Schwed. Abhandl. 1784, p. 9. Nor should we suspect that the atmosphere should thus receive an annual increase, as much is destroyed by volcanos, tornadoes, hurricanes, and putrefying substances, &c.

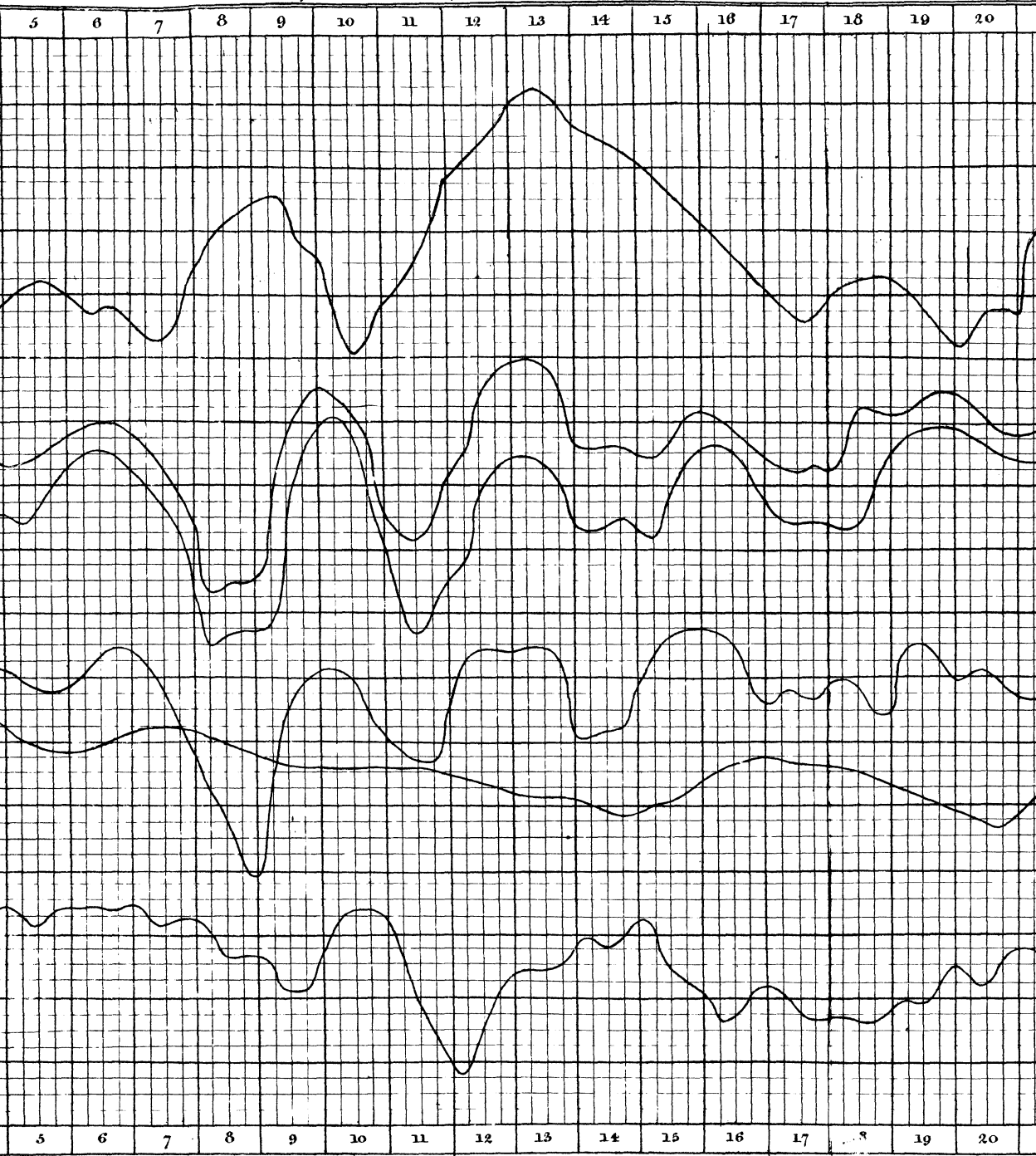
MOST of the particulars I have advanced, relative to the influence and difference of the superior currents, receive the fullest confirmation from Euler's synoptical table of the variations of the barometer during the month of May, 1769, in the vast empire of Russia, including an extent of observation, amounting to nearly 4000 miles, from the western parts of Russian Lapland to Iakutz in Siberia, and eleven degrees from north to south. The places where the contemporaneous states of the barometer were observed were\*:

\* This table I have here copied from the 14th vol. of the N. Acta Petropol.

Latitude.

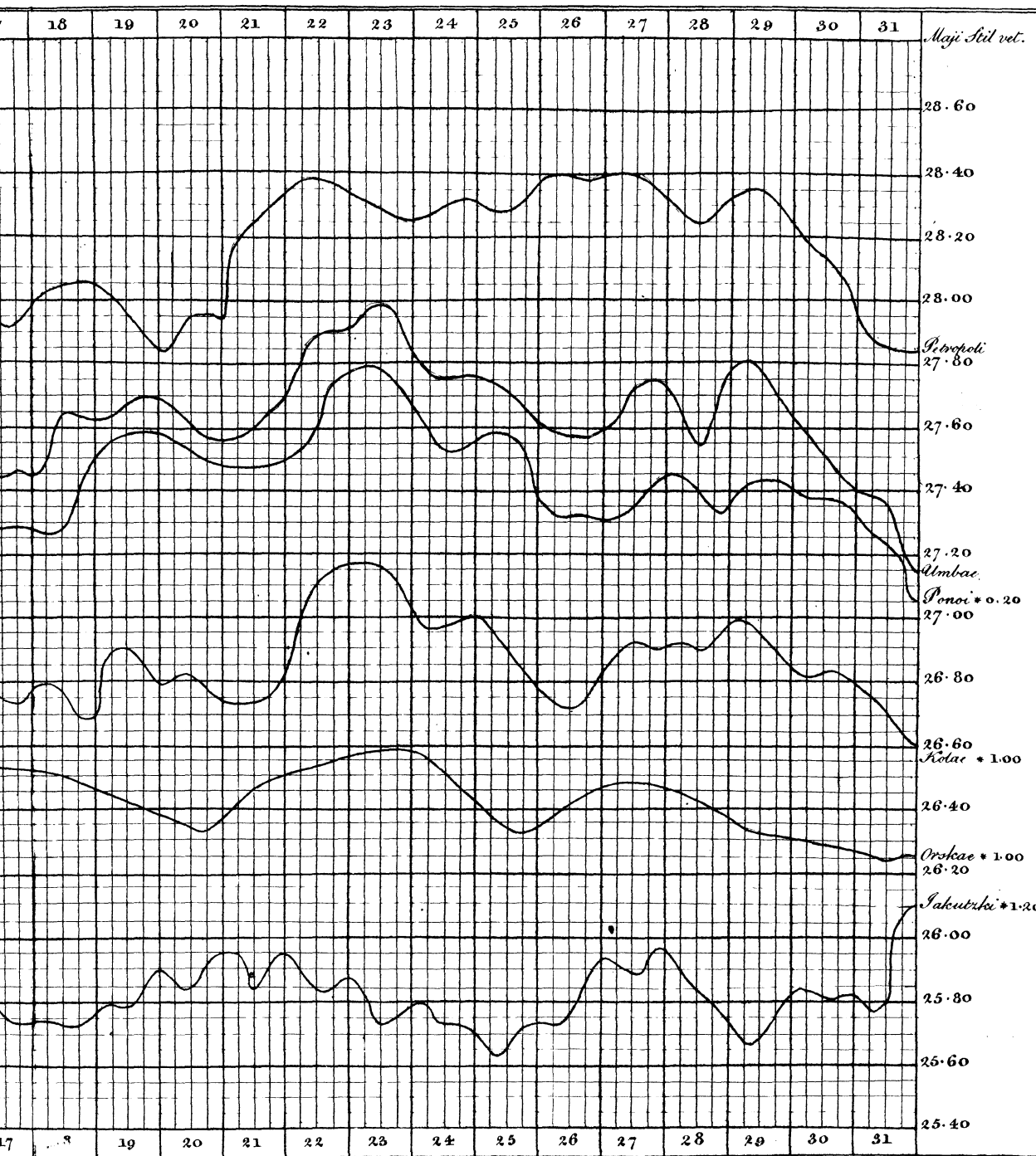


Altitudines Barometricae mense Maji (U) quarum abscissae temporibus Observationum tortuosis nimium nectantur, et quo melius, ea a illa ut pro oppido Ponci 20 partes centesimae, hic notatas.



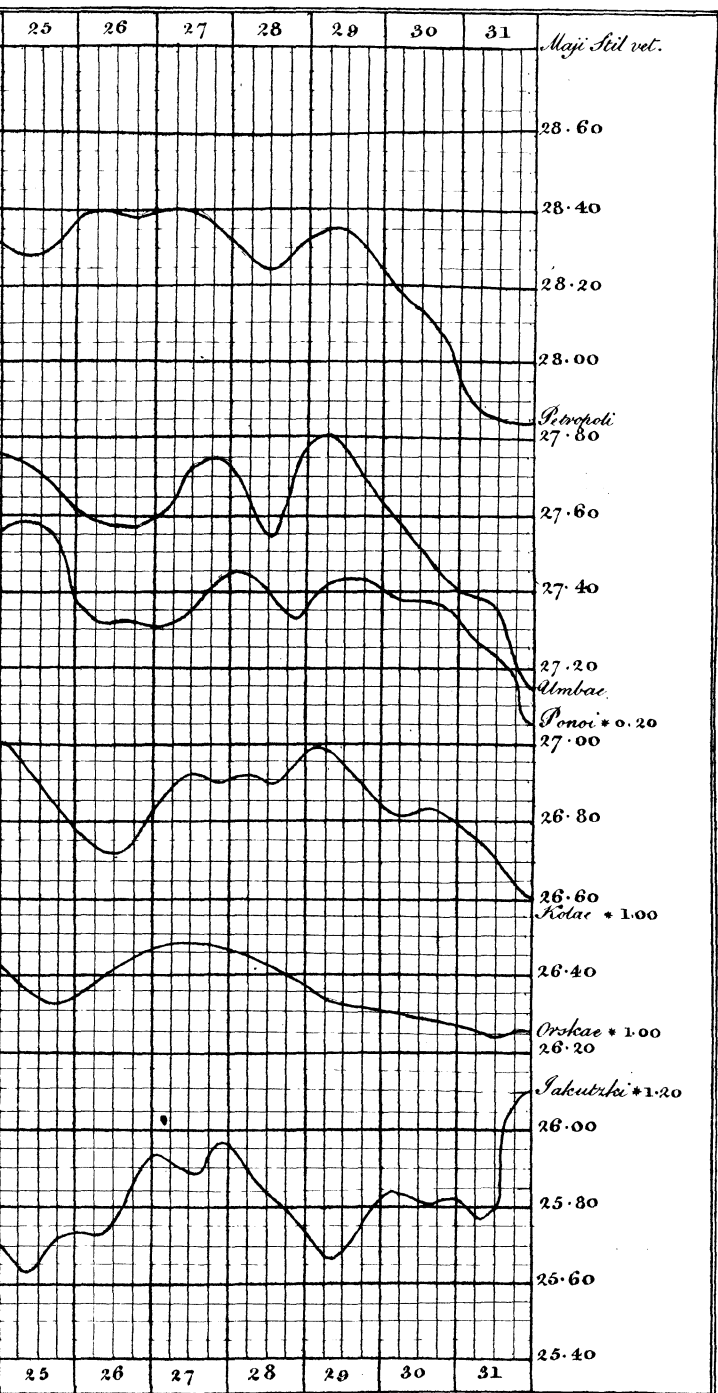
*Explicatio Figuræ*

...ae mense Maji Anni 1769 Petropoli Kola Penci Umbae Orskae et Jakutzki st.  
 ...ribus Observationum, ad Meridianum Petropolitenum reductis, et applicatae Altitudinibus  
 ... et que melius, ex a se invicem distinguere quaeant, minores aliquantum reddidi vel depre-  
 ... 20 partes centesimae, pro Kola et Orskae vero 100 quismodi partes, et pro Jakutzki adeo 120 partes cen-



*Turrae?*

*ae et Jakutski st. vet. Observatae in hac Tabula per lineas curvas repraesentantur.*  
*m reddidi vel deprejci altitudines Barometri Ponoï, Kolae Orskae et Jakutski Observatae*  
*utrk adeo 120 partes centesimae pollicis parisini addendae Sint ad Altitudines Barometricas*



haec Tabula per lineas curvas repraesentantur.  
 dependent. Ne autem hae curvae flexibus earum  
 metri Penoi, Kola Orskae et Jakutski Observatas  
 ini addendae Sint ad Altitudines Barometricas

			Latitude.			Longitude.
Kola	-	-	68°, 52'	-	-	30°
Ponoi	-	-	67°	-	-	35°
Umba	-	-	66°	-	-	37°
Peterburgh	-		59°, 56'	-	-	30°
Iakutz	-	-	62°	-	-	102°
Orska	-	-	51°	-	-	60°

ON examining this table it will be seen, 1°. That the mercury rises *sooner* in the *southern latitudes* than in the *northern*, (when both are subject to the same current) thus it was rising on the *first* of May at Orska while it was falling at Peterburgh. See also May 7th, 15th, and 20th. And it began to rise sooner at Peterburgh than at Ponoi or Umba. See May 4th, 8th, and 11th. But the variations of the rise and fall are less distant in point of time, because, though Kola is more northern than Peterburgh, it is also more eastern, and therefore the appulse of the current is more nearly simultaneous than its appulse to Orska, which is both more southern and more eastern, and therefore receives the superior effluence sooner.

2°. Ponoi and Umba are near each other, and therefore their variations, in every sense, differ little from each other; but Umba being some degrees more easterly, the rise there somewhat precedes that at Ponoi.



3tio. THE variations at Iakutz, proceeding from a different effluence, namely, the *supra-marine*, have no connexion with the preceding; this the table sufficiently indicates in every instance, but in none so remarkably as on the 31st of May, for while the mercury in all the other above-mentioned places is on the fall, (which proves the identity of the influence to which they are subjected) it rises at Iakutz.

THIS synoptical view of barometrical observations at different distant places is the only one, I believe, as yet exhibited; yet if it had been extended to latitudes still more southern, as it easily might, much light could not fail of being thrown on this obscure subject.

### SECTION III.

#### *Of the Origin of the General Trade Winds.*

THOUGH the origin of the general trade winds appears to me to have been fully established by Dr. Halley, yet it seems he has explained himself too briefly, since his explanation has been misunderstood by many, and was thought obscure even by D'Alembert\*.

\* Sur la Cause des Vents. V.

To understand it more perfectly, let us suppose the sun for the first time in the meridian, and to communicate its heat every instant fifteen degrees all around. If it were to remain in this situation the surrounding air could have no other motion but upwards, for the lateral dilatations being equal, would necessarily check each other, but in the second, and all the succeeding instants, the sun moves westwards; therefore, of the originally equidistant eastern and western points, the western, to which the sun approaches nearer, is more heated than the eastern, from which the sun recedes; therefore, in this, and all the succeeding instants, the eastern, being more cooled, will press on the western, and thus an eastern wind will be established.

It is true, that, in the northern hemisphere, the northern air also presses upon the more heated spaces, but as this also follows the sun's path to the westward, it becomes also easterly, preserving only a few points of its primitive direction. D'Alembert adds also the solar attraction, which, according to him, elevates the air in the points over which the sun is vertical, and, consequently, produces a dilatation advancing from east to west. But Mr. De la Place, not denying this cause, considers it too weak to produce singly any considerable effect\*.

\* Mem. Paris, 1776.

ABOUT the year 1735 Mr. Hadley published a very different account of the origin of the trade winds. 8 Phil. Trans. Abrid. p. 500, which, however, has been rejected by the most distinguished astronomers that have since attended to this object, as D'Alembert, sur la Cause des Vents. Art. 376, and 385, Gentil Voy. 2 Bergman Erde Beschreib. p. 91.

ACCORDING to Mr. Hadley, the air, being rarefied towards the equator, is consequently invaded, in the northern hemisphere by the northern, and in the southern hemisphere by the southern colder air.

BUT as the parallels of latitude enlarge as they approach the equator, and as the equatorial space is nearly in the proportion of 1000 to 917, the difference of their circumference is nearly 2083 miles; consequently, the surface of the globe at the equator moves so much faster than under the tropics; and hence the northern or southern air, moving from the tropics towards the equator, must possess less velocity than the parts it arrives at, and, consequently, appear to move in a direction contrary to that of the earth's motion, which being from west to east, the air arriving sooner at the western parts, will appear to move from east to west, and this relative motion being combined with that towards the equator, a north-east wind will be produced on the north side, and a south-east

east wind on the south side of the equator.—These, as they approach the equator, should become stronger and more easterly, and appear due east in the equator itself, by reason of the concurrence of both currents from the north and from the south.—There the velocity of each should be at the rate of 2083 miles in the space of one natural day, or above 1,33 miles per minute, if it had not been that before the air at the tropics could arrive at the equator, it must have gained some motion eastwards from the surface of the earth or sea, whereby the relative motion is diminished to the degree that actually exists in it.

THIS theory appears to me rather ingenious than solid, for the following reasons :

1°. THE trade winds are commonly gentle, moving only at the rate of eight miles an hour; therefore they have sufficient time to gain or participate of the motion of the earth; therefore their contrary course must arise from an absolute cause, and cannot be deemed merely relative

2°. BECAUSE the north-east wind scarce ever approaches nearer than eight or ten degrees to the equator, and there dies away; whereas it ought there, according to this theory, to be strongest. And, on the contrary, the south-east passes the equator several degrees,

grees even when the sun is in the south tropic. A fact which as Gentil remarks is absolutely irreconcilable with this theory. 1 Gentil Voy. p. 638, 5 Gentil p. 116.

3tio. BECAUSE if the constant easterly wind was in the northern hemisphere supplied solely from the north, and in the southern hemisphere solely from the south, we should in the former have a constant north wind at least at 35 or 40 degrees from the equator, or at least from some northern point, and in the latter a constant south wind, or at least from some southern point; whereas on the contrary a south wind often prevails in those latitudes on the north side of the equator, and a north wind on the south side.—Thus La Peyrouse met an E. S. E. in north latitude  $32^{\circ}$ , and a due east in latitude  $31^{\circ}$ , and a S. S. E. in latitude  $14^{\circ}$ , and a due east in latitude  $16^{\circ}$ , and a due north in latitude  $20^{\circ}$ , (where then was the relative motion?) and a due south in latitude  $33^{\circ}$ . See his Journal in 3d La Peyr. Voy. He also met with a due north in latitude  $27^{\circ}$  and  $42^{\circ}$  south, and a N. N. E. in latitude  $25^{\circ}$  south. So Captain Cook met a S. S. E. wind in latitude  $30^{\circ}$  north, and also in latitudes  $40^{\circ}$  and  $41^{\circ}$ , and a due south wind in latitude  $38^{\circ}$  and  $20^{\circ}$ ; and in the southern hemisphere a due north in latitude  $3^{\circ}$ ,  $4^{\circ}$ , and  $44^{\circ}$ . I might produce other instances from sea journals, and particularly from that most ample and instructive, kept by Major Dalrymple during a voyage to the East Indies. Phil. Transf. 1778,  
but

but I think the alleged sufficiently prove that the general east wind is not supplied solely from the north or south in the different hemispheres respectively.

4°. BECAUSE during our six summer months, when the sun is in or approaches to the northern tropic, the easterly trade wind partakes less of the northerly, than when the sun is in or approaches to the southern tropic. 2d. Phil. Transf. Abrid. p. 134, and Schued. Abhandl. 1762, p. 175, which is directly contrary to Hadley's system; for when the sun is in the southern tropic, the north wind must traverse more of that space in which the earth's motion eastward is strongest, and therefore should participate more of that motion as Hadley himself states: though still partaking of it in a smaller degree than that which the globe itself possesses, it should appear to move westwards; yet it should proportionably retain less of its original direction from north to south, than when it had traversed a space more distant from the equator, whereas the fact is, that it retains more, and often passes into the southern hemisphere into the 13° south latitude without having any eastern direction. 3 Marchand, p. 551; and an analogous fact is observed with respect to the south east wind when the sun is in the northern tropic. Hence it is evident, that it is from the approach of the sun, and not from the latitude traversed, that the eastern direction is derived; nay the wind is often more easterly than northerly between latitude 23°  
and

and 28, Foster's Observations p. 126. He even observed, that the trade winds extended far beyond the tropics when the sun is in the same hemisphere, which shews it is the sun that causes them.

EDDY is a term introduced on this subject, which explains nothing when its cause is not assigned and proved; the trade winds are often interrupted by the approach of land, but the interruption, as Foster mentions, extends only to a few miles. Ibid. 127.

THE *monsoons* or periodical trade winds, depending on local circumstances sufficiently explained by Dr. Halley, I shall here pass over; though certainly much may be added from observations made by subsequent navigators and travellers. I shall therefore confine myself to the *variable* winds, a subject much more obscure.

#### SECTION IV.

##### *Of Variable Winds.*

WITH respect to winds we must lay down one general and fundamental principle, which is, that they always originate at the extremity of that point towards which they proceed. Thus  
the

the easterly trade wind begins at the point nearest the sun, which it follows, and is perpetually renovated and supplied from parts still more easterly.—Thus in the year 1709 a north wind was sooner perceived in England than at Dantzick. 4 Phil. Transf. Abrid. 2d part, p. 115. And Wargentin notes that when the wind changes to the west, this change takes place at Moscow before it happens at Abo, which is several degrees west of it, and sooner in Finland than in Sweden. Schwd. Abhandl. 1762, p. 195. And Dr. Franklin, in his XXXVI. Letter, p. 389, thinks that the north-east storms in North America begin first in point of time in the S. W. parts; that is to say, sooner in Georgia than in Carolina, and sooner in Carolina than in Virginia, &c. He found that a north-east storm began at Philadelphia at seven o'clock, but did not extend to Boston (about forty miles to the north-east) until eleven o'clock. The reason of which he well explains, as the current must begin in the places nearest to that in which the rarefaction arises towards which the current is directed.

*Of Westerly Winds.*

THAT eminent and laborious meteorologist, citizen La Cotte, infers from numerous observations of many years, that between



latitude  $47^{\circ}$  and  $60^{\circ}$  on the western side of our hemisphere, the west wind, with some participation of the north or south, is that which obtains oftenest. 39 Roz. Jour. p. 267. Leche obtained the same result at Abo, latitude  $60^{\circ}$ , from twelve years observations, Muschenbroock in Utrecht, Mr. Dalton in Westmorland, latitude  $54^{\circ}$  (see his Meteorolog. Essays, p. 48 and 88) from five years observations.

THIS wind in our continent originates in the Pacific ocean, between the above mentioned parallels, at least in winter; the air incumbent on that ocean is then much warmer than that of Siberia and Chinese Tartary that lie west of it, this therefore presses upon and flows into the supra-marine, and is immediately succeeded by air still farther westwards, and thus a current is gradually established extending to the Atlantic, which, though in winter, being much warmer than the air of the islands and continent on which it flows, is forced into the current, both by the rupture of the equilibrium to the eastwards, and by the pressure of the much colder air of the continent of North America.

*Of*

*Of Easterly Winds.*

DURING the winter months there seems to be a frequent struggle and contest betwixt the air incumbent over the Asiatic continent, and that incumbent on the North American, lying betwixt the above-mentioned parallels and bordering on the Pacific ocean, which of them shall rule over it.

THE mass of the American air being less considerable, and its efforts divided between the Pacific and the Atlantic, is generally obliged to yield to its antagonist; though sometimes the Asiatic being warmed, either by a diffusion of the superior current or by southerly winds, the colder American becomes more forcible. In summer this must happen frequently, the E. N. E. oftenest prevailing; upon the whole however Leche remarked that the E. and E. S. E. were nearly the most uncommon; as did La Cotte in the climate of Paris. Meteorolog. p. 305.

WITH us this wind is most frequent in the months of April and May; and I have observed in Cook's Journal, tables 9th, 10th and 11th, that it prevails also in the same months in the Pacific, therefore the colder continental air then pours in upon us.

LA COTTE also observes, that in the western tracts of Europe, in latitudes below  $48^{\circ}$ , this wind occurs ofteneft during the winter months\*, for the fuperior heat of the Atlantic in the low latitudes determines the colder air incumbent on Hungary and European Turkey to flow in upon it.

*Of Southerly Winds.*

A FEW years ago no problem in meteorology appeared to me more difficult than to affign a caufe for the frequent prevalence of a fouth wind even in winter, it being contrary to the laws of nature that warm air fhould rufh upon colder, yet I fince difcovered, that the conjectural folution I then offered is grounded on a real fact.

IN the eastern parts of our hemisphere, from longitude  $72^{\circ}$  to  $160^{\circ}$ , that is, from the coaft of Malabar to the Moluccas, it blows from the north-eaft constantly from October until April. Now this northern blaft muft be fupplied and recruited from countries ftill farther north, until we arrive at the pole, and the polar air muft confequently be fupplied by that which lies fouth of it, and

\* 2 Mem. Meteorolog. p. 189, &c.

thus

thus a southern current is established on the western side of our hemisphere.

INSTANCES to support or contradict this theory do not often occur, yet I have found some that appear to me decisive, independently of the general reason alleged. Thus I find in the 9th table of the third vol. of Cook's Voy. that in north latitude  $59^{\circ}$ , and east longitude 207, on the 25th of May, 1778, a strong north-west wind prevailed; and on the 29th day of the same month and year, an equally strong S. W. wind prevailed at Petersburg, latitude  $60^{\circ}$ , and longitude 30 E. Now the places of observation were 177 degrees distant, one on the eastern and the other on the western side of our hemisphere, (which, at this proximity to the pole, argues not, a superior distance to that I have mentioned) and four days is as short a time as can be allowed to the S. W. to supply the more eastern N. W. Mem. Petersburg, 1778, p. 92. So also in the same journal I find, that from the 4th to the 30th of May, a north wind prevailed in the eastern part of our hemisphere from latitude  $58^{\circ}$  to  $61^{\circ}$ , except seventeen days of variable winds; but in London it blew from the S. W. during the first fifteen days of June, thus replacing the northern air. And to replace the constant N. E. wind, on the Indian Peninsula to the Moluccas, there is a constant draught from the south in the western parts of our hemisphere; accordingly Leske observed, that on an average  
of

of twelve years, it blew 126 days each year, from October until May, from some south point, namely, 86 days from the south or southwest, and 40 from the south-east, at Abo, lat. 60°.

It is true, that he found it to take place very frequently also in summer, but this is occasioned by the great heat that then prevails in the northern tracts of Lapland.

AND, upon the whole, more of the south air is drawn off in winter than in summer, for its flow is gentle in summer, but often stormy in winter. See Leske's IX. XI. and XII. tables. If all other meteorological tables of a series of years had been arranged with equal sagacity and precision as those of Leche and Dr. Horsley, a vast fund of information might be extracted from them.

At Peterburgh, during the year 1793, Euler junior found a south or south-west wind prevailed 79 days, 52 from October to the end of March, and only 27 in the summer months; it was stormy in November, December, and January. I have not noted the S. E.

MR. STRITTER also found the south wind to predominate at Moscow during the six winter months of that year. 11 N. Acta Petrop. p. 569. So that the frequency of this wind in high latitudes is certain.

*of*

*Of Northerly Winds.*

IN the western parts of our continent and hemisphere these are of all others the least frequent in latitudes above  $48^{\circ}$ . See La Cotte and Leche's tables. The cause of this unfrequency appears from what has been said of south winds.

BUT in latitudes below  $48^{\circ}$  they occur oftener, and ofteneft in those that are still lower, as La Cotte remarks. An admirable instance of Divine Providence, that the warmest winds should prevail ofteneft in winter in the coldest regions, and cold winds in the warmest!

BUT it may be asked, why a south wind should not prevail in the eastern parts of our hemisphere to supply the constant N. E. wind that prevails in the low latitudes of the western side? The reason is, that on the western side the N. E. winds of low latitudes are easily supplied by the contiguous Atlantic, which is open up to the North Pole; and, as here, the upper current sets and ceases, there can be no deficiency of air.

*of*

*Of opposite Concomitant Winds.*

It has often been observed\*, but of late, since the invention of balloons, evidently proved, that currents of air from different and even opposite points of the horizon, prevail at different heights in the atmosphere, over the same tracts of land or water. This was originally inferred from the different courses of the higher and lower clouds; but as such observations were often liable to optical deceptions, better proofs were wanting.

MONT LOUIS is within thirty miles of Perpignan, but about 5000 feet higher. Now in March 1780 north and north-east winds prevailed at Perpignan and a westerly wind at St. Louis. In August a north wind prevailed at Perpignan and an east at Mont Louis. Mem. De La Société de Medecine de Paris, 1780. Derham suspected†, and Gentil has since shewn, that changes of seasons constantly begin in the upper atmosphere; while a strong wind blows from one point below, a wind from an opposite point reigns above, but more gentle, until at last (in about three weeks) it is propagated downwards. 2 Voy. p. 23 and 24, in 8vo. The lower atmosphere, he says, extends to the height of 2880 feet.

4 vol.

\* 2 Ulloa's Voy. p. 62, English.

† 4 Phil. Trans. Abridg. 2 Part. 125.

4 vol. p. 48. At the commencement of winter, when the sun approaches the south tropic, and the north air begins to flow in and follow it, it must meet with more resistance from the lower denser air, as its impetuous course in an opposite direction is more slowly altered (this respects the monsoons) than in the rarer superior strata; and the same effect, but in a different direction, takes place when the sun approaches to the northern tropic.

It has been said by many, that winds in the superior regions of the atmosphere are much more violent and impetuous than in the lower. Saussure Hygrom. p. 300. 2 Ulloa's Voy. p. 81. Mufchenbr. § 2612. 2 Bergm. Erde kugel. p. 99. De Luc, &c. But the contrary has also been observed by Gentil, above quoted, and Morveau. Aeroft. de Dijon.

*Of the Succession of Winds.*

WELL established general laws on this head would be extremely useful, as we might then foresee what wind might next be expected. Besides the *general* succession in an open country, it is probable there is a *local*, confined to certain situations.

GENTIL remarks, that in the southern latitudes of our hemisphere, a north-east is succeeded by an east, south-east, and south.



According to La Cotte, the order of succession in the middle latitudes is south-west, north, west, north-east, south, north-west, east, south-east. 39 Roz. Journ. p. 267.

*Of the Scirocco.*

THIS is a south, or south-east wind, known in the southern parts of Italy, Sicily and Malta, distinguished by peculiar debilitating effects, well described by Brydone, and by Dolomieu in his treatise on the temperature of Malta. The latter has shewn that its malignity results from the constitution of the air it conveys, and not merely from its temperature, which is variable, from  $55^{\circ}$  to  $80^{\circ}$ . It contains a much smaller proportion of oxygen than air usually does. The constitution of the African wind, called Harmattan, is as yet unknown; it is, at least on land, loaded with some unknown undissolved vapour, and is much hotter and drier than the Scirocco, but not debilitating, and even wholesome for animals; for though it parches their skin it destroys infection and cures several disorders. See Phil. Trans. 1781, p. 46, &c. Its direction is also westwards.

SECTION

## SECTION VI.

*Of the Variations of the Temperature of the Summer and Winter Seasons that take place in different Years.*

To reason with precision on this subject, we must at first abstract from all sublunary physical causes, and indicate the temperature appropriated to different latitudes from mere astronomical considerations.

HALLEY has ingeniously resolved this problem so far as the mere ratios of heat in the different seasons are concerned. 2 Phil. Trans. Abr, p. 165. And Lambert in his Pyrometric, § 596.

HALLEY, calculating the *ratios* of heat communicated by the sun to the earth, (which he considers merely as a planet, abstracting from all distinction of land and water) in the different seasons in the northern hemisphere, reduces these seasons to three, the equinoxes, the summer solstice, and the winter solstice; and attending only to the sines of incidence of the sun's rays, and the duration of their action, he sets the heat communicated at latitude 0. On the days of the vernal and autumnal equinoxes at 20000. And on the tropical days in the same latitude at 18341. And then adds the ratios which the heat in every 10th degree of north latitude bears to these at the same periods. Lambert adds the ratios of lat.  $49^{\circ}$  and  $66^{\circ},33'$ , stating the equatorial heat on the equinoxial day at 999.

BUT to express these ratios in thermometrical measures we must endeavour to find the greatest heat of the equinoxial day, taking a mean of the heat of the morning at two o'clock, and the evening, under the equator, or very near it; and this I find to be  $88^{\circ}$  or  $89^{\circ}$  of Fahr. (See Ulloa, Mem Philosoph. p. 61) in the northern hemisphere, on the 20th of March, on the ocean, to which indeed we must confine ourselves in this enquiry, and particularly the Atlantic, for no uniformity can be expected on land.

It is uncertain what thermometer of Reaumur Ulloa employed, whether the true or the false, and hence I place the heat at  $88^{\circ}$  of Fahr.

THIS correspondence being found, the thermometrical degrees corresponding with all the other ratios are easily found by the rule of proportion, and the degrees thus found I call the *mathematical temperature*. But in most cases this temperature is far from agreeing with the temperature really observed; and which I therefore call the *real temperature*; this I take at a *mean*, and not at its *maximum*, which I could not always discover, and is more fugitive and contingent. These temperatures I exhibit in two separate tables, the first indicating those of the vernal equinox and of the northern tropic or midsummer, and the second those of the autumnal equinox and the southern tropic or midwinter, over the Atlantic or standard ocean in our hemisphere.

*Table*

*Table the First.*

Vernal Equinox.			Midsummer.	
Latitude.	Mathem.	Real Mean.	Mathem.	Real Mean.
0	88°	84°	80,72	83°
10	86,5	82	89,3	84,3
20	82,69	77	95,64	80,5
30	76,21	69,5	99,66	73,5
40	67,4	60	101,41	70,5
49	61	51	101,7	62 Lambert.
50	56,5	50,5	101,86	61
60	44	40	100,2	56
66°,33'	39,81	34	101,21	55 Lambert.
70	30,99	32	101,41	54
80	15,28	27	108,56	51
90	9,6 Lambert.	. . .	109,93	. . .

IN

IN this table we see, 1<sup>o</sup>. That during the vernal equinox the heat differs but little from the *mean* heat really observed in all latitudes, and perhaps still less from the *maximum* of real heat. Yet, except in latitude 80°, it is always higher, both from the quantity of rays lost in passing through the air, and from the quantity reflected by water and the frequent interposition of clouds, &c.

2<sup>dly</sup>. WE see that the astronomical heat constantly increases with the height of the latitudes, as the duration of the solar rays more than compensates for their obliquity, when the sun is in the northern tropic; but the *real heat* decreases as the latitudes increase, because this theoretic compensation does not take place, from the interposition of clouds and the access of cooler winds, and the increased reflection from the surface of the water.

THE different temperatures of different summers are ultimately resolvable into the different direction of the winds during those seasons, and the different electrical states of the atmosphere, the south or south-east producing not only clouds which intercept the sun's rays, but also copious rains or hail, which, descending from great heights and occasioning a copious evaporation, cool the air to a great degree. The north and north-east, on the contrary, unless immediately succeeding great rains, (for then they increase  
the

(the evaporation) disperse the clouds, and proceeding from countries then somewhat heated, allow the sun's rays their natural calcfactive effect. But why winds from opposite points should prevail in different years, cannot be known, until the contemporaneous states of the atmosphere between the northern tropic and the equator, are known. It is possible that frequent hurricanes and tornadoes, during which a quantity of air may be destroyed and converted into water, may demand an annual supply from the north, and thus occasion our north and east winds; and the absence of these phænomena may occasion an influx from the south, if the north and east are summoned to a different quarter, by similar causes.

*Table*

*Table the Second.*

Autumnal Equinox.			Midwinter.	
Latitude.	Mathemat.	Real Mean.	Mathemat.	Real Mean.
0°	88°	84°	80,97	83°
10	86,5	84,6	69,66	78,5
20	82,69	80	58	72,5
30	76,21	73,5	44,54	64,5
40	67,41	70,5	30,55	54
49	61,	59	18,23	45 Lambert.
50	56,56	58,5	16,71	44
60	44	48	4,73	34
66,33	39,81	42	1,32	30 Lambert.
70	30,99	39	0, . .	27
80	15,28	33,5	. . .	22
90	9,6	. . .	. . .	. . .

ON

ON this table we may remark, 1o. That though the mathematical temperature of the autumnal equinox be exactly the same as that of the vernal, yet the real is much higher, of the hemisphere being cooled during the winter is slowly heated, and being heated during the summer is slowly cooled.

2do. THAT in consequence of this circumstance, the real temperature of the autumnal equinox approaches much nearer to the astronomical than does that of the vernal, until we arrive at latitude  $70^{\circ}$  and the higher latitudes.

3tio. IN all latitudes above the equator a cold approaching to the astronomical is scarce ever felt at sea in winter; to what can this be attributed but to the equatorial effluence? For other causes, viz. evaporation, and the frequent intervention of clouds, or at least haze, intercept the sun's rays, and consequently should cool the air even below the astronomical ratio which supposes the incidence of all the rays; in latitudes above  $20^{\circ}$  the difference is enormous.

4to. At the distance of some hundred miles from the coasts of the Atlantic, in latitudes above  $40^{\circ}$ , the cold is much more moderate than the mathematical ratios indicate, in most years; owing to the above-mentioned cause, and to the reign of westerly and



foutherly winds, which convey their heat to a considerable distance before they are cooled.

BUT in latitudes between  $55^{\circ}$  and  $36^{\circ}$  a degree of cold far superior to the astronomical has often been observed, and particularly of late, and in countries not very distant, or even bordering on the Atlantic. These extraordinary seasons may be attributed partly to the absence of the superior effluence or its refrigeration in communicating with air replete with vapours, and partly to the prevalence of east north-east winds which proceed from the interior and coldest parts of our continent, and hence the cold of the year 1776, so well described by Van Swinden, seems rather to have followed the order of the longitudes than of the latitudes. Wargentin, secretary to the Royal Academy of Stockholm, informs him that the cold observed that winter in Stockholm was not at all extraordinary, and expresses his surprise that it should have been so rigorous in Germany, France and England. Mem. Paris, 1776, p. 129. Nay it appears that the north-east wind which raged so furiously in Holland and at Montmorenci, latitude  $49^{\circ}$ , on the 27th (See Van Swinden, p. 40) had not been at Petersburg on the 18th, nor any day after; for a perfect calm reigned on that day, and the high winds of the remainder of the month were from the north-west. Act. Petropol. p. 382. It is therefore probable that this wind proceeded obliquely from the eastern

eastern and southern parts of Russia, and may have been derived from latitude  $55^{\circ}$  and longitude  $40^{\circ}$ , and originated on the Atlantic, lat.  $40^{\circ}$ , and hence the utmost rigour of this cold was sooner perceived in the south of France, as Tholouse, Marseilles, &c. than in the more northern latitudes, as may be seen in Van-Swinden's general table, for it reached these towns on the 18th or 19th of January. In the more northern latitudes it was felt only on the 27th; it is true its date at St. Jean de Luz, latitude  $43^{\circ}$ , is January 28th in the general table, but this is a mistake, as may be seen, p. 181, for January 19th is there said to be the true date, and, p. 179, it is said that the 18th or 19th of January are the days on which the greatest cold was observed in all places south of the Garonne; which fully confirms my former statement that the wind which produced this cold originated in the south-west, and thence was gradually propagated northwards and eastwards. All the minuter modifications of this cold, in places not very distant from each other, may be ascribed either to recent falls of snow, the proximity to which must effect more or less the thermometers, the greater or lesser abundance of vapours in the atmosphere, and other circumstances too tedious and minute for insertion in this general view.

Snow falling from some height in the atmosphere is generally for some time surrounded with an atmosphere much colder than

the air some feet above it, as Mr. Wilson observed, though it did not occur to him that the cold was communicated to the air by the snow, for he thought it highly remarkable that a thermometer hung 24 feet above the snow was four degrees less cold than one suspended  $2\frac{1}{2}$  feet above it. Phil. Trans. 1780, p. 462. Yet Mr. Boyle has long since noticed a similar fact, (1 Boyle Abridg. p. 629) as related to him by some navigators, and Foster expressly mentions, that being to the leeward of an icy mountain (probably many feet distant) the thermometer sunk four degrees, and rose to its former height when he had passed that mountain, (Observat. p. 73) but when there is not a recent fall of snow, the air several feet above the surface of the earth is generally colder (when no great evaporation takes place) than that nearer to its surface. Thus during the intense cold of January 1776, there having been no fall of snow since the 24th, Van Swinden found the degree of cold on the morning of the 27th to be  $8^{\circ},25$ , while Camper, in the same street, whose thermometer was some feet nearer to the earth, found it only  $6^{\circ},5$ . See Van Swinden, sur le froid de L'Annee 1776, p. 24, 25, 28 and 176.

## SECTION

## SECTION VII.

*Of the Temperature of the Southern Hemisphere.*

THAT the southern hemisphere is colder than the northern is the general opinion. 1 Gentil Voy. p. 114. That it is so, during its summer season, can scarce be denied, at least in latitudes above 40°.

BUT the winter of this hemisphere seems not to be as cold as ours between the same parallels (see Estimate of the temperature of different latitudes, p. 51) the higher latitudes are rarely navigated during their winter.

ÆPINUS, reasoning on astronomical principles, attributes the inferior temperature of the southern hemisphere to the shorter abode of the sun in the southern tropic, shorter by seven days, which produces a difference of fourteen days in favour of the northern hemisphere; during which more heat is accumulated; and hence he infers that the temperature of the northern hemisphere is to that of the southern as 189,5 to 175,5 or as 14 to 13. Mem. Peterb. 1761:

ON

On the other hand, Mr. *Prevost*, of Geneva, and of the Academy of Berlin, grounded on physical considerations, namely, that the southern winds incroach three degrees on the northern side of the equator, and that the north trade wind reaches no farther than to the fifth degree, even on the north side of the equator, infers that the temperatures of the north and south segments, taken on these limits, are to each other inversely as the segments, and hence calculates the temperature of the north segment to be to that of the southern as 11 to 9. 38 Roz. Jour. p. 369. He would have stated this ratio \* still higher, if he had observed, as *Moore* does in his late excellent Treatise on Navigation, that the northern trade wind extends only to the tenth degree

\* Some, I know, object that no ratio of heat can be just, because its first original degree cannot be found by observation; but of what quantity can the absolute unit be rigorously found? Must we therefore discard the units of weights and measure? The highest degree of cold must vary in various substances like fusibility, for it must be that, beyond which the attractive power of their particles ceases, the resistance to a nearer approach being infinite; now the force of this power must and does vary in various bodies, and therefore the point or degree at which it reaches its *maximum* must vary also; with respect to air, I have reason to think it does not exceed 335 degrees below the freezing point. With respect to other bodies, 72° beneath the freezing point may to most practical purposes be assumed as the *maximum* of cold, being the degree at which *mercury* freezes.

degree of the north latitude, more or less according to the sun's declination, p. 126.

VARIOUS observations tend to justify both these ratios, when applied to different latitudes, but neither of them apply within certain other latitudes.

THE following table exhibits, as far as I can collect, the mean heat of the corresponding latitudes of each hemisphere at sea, during the summer months of each, extracted as to the southern hemisphere, from the journals of Cooke, La Peyrouse, Dalrymple and Marchand; in low latitudes the winter months also.

SOUTHERN.

Latitude.	Degrees.	SOUTHERN.	NORTHERN.
			Corresponding Months.
		<i>December.</i>	<i>June.</i>
From Lat.	0°	From the 9th to the 15th, inclusively	I cannot exactly state the mean of the first 10 degrees during this month, but from latitude 10° to 15°
to	15°	Mean - 83°,57 3d Cook's Voy. Table 6th.	the mean is - 84°,
		From the 7th to the 20th - 78°,5	Mean - - 83°,5
	14°	La Peyrouse and in Cook - 85°,	This agrees nearly with <i>Epinus's</i> determination.
		Mean - 81°,7	
		<i>April.</i>	<i>October.</i>
		From the 9th to the 23d, inclusively	
	18°	Mean - 81°,18 3d Cook's Voy.	Mean of the Month - 80°,
		<i>July.</i>	<i>January.</i>
22°		From the 18th to the 27th, inclusive-	Mean heat of an equal number of
23		ly, 4 days in lat. 22°, 2 days in	days in similar latitudes, north 67°,
24		lat. 24°, 2 days in lat. 25°, and	Hence the southern winter is warmer
25		2 in lat. 26°.	than the northern.
and			
26		Mean heat - 72°,5 3d Cook's Voy.	

March

Latitude.	Degrees.	SOUTHERN.	NORTHERN.
		<i>March and April.</i>	<i>September and October.</i>
From Lat.	0°	Five last days of March and six first days of April, mean - 71°,	Mean heat of an equal number of days - - - 75°,
to	27°	La Peyrouse's Voy.	
		<i>March and April.</i>	<i>September and October.</i>
	34°	15th March - - - 69°	Mean of both months equal - 69°
		3d April - - - 76	Of September - - - 72°,5
		10th do - - - 69	
		Cook's 4th and 19th table, mean 71	
		But would certainly be less if the whole of April were comprehended.	
		1st of March (Marchand) - 72°,5	
		<i>May. Cape of Good Hope.</i>	<i>November.</i>
		Per Sparman - - - 58°	Mean heat - - - 62°,
		<i>June.</i>	<i>December.</i>
		Per Sparman, mildest winter 57°	Mean - - - 60°,



Latitude	Degrees.	SOUTHERN.	NORTHERN.
			Corresponding Months.
		<i>August.</i>	<i>February.</i>
From Lat.	0°	Mean (per Dalrymple) - 62°,7	Mean - - 63°,
to	34°	<div> <i>November, December, January and February.</i> </div> <div> <i>May, June, July and August.</i> </div> <div> Per Stavorinus's account of the mean of the aggregate of the four months - - 74°,5 </div> <div> Mean of the aggregate at sea 72°,5 </div> <div> December the 3d. (Cook's) 64, </div> <div> That of land is higher. </div> <div> January 21st (La Peyrouse) 72,5 </div>	
		<i>March.</i>	<i>September.</i>
	39°	From the 5th to the 11th, per Cook - - 67°,75	Mean - - 71°,
		But the remainder of the month probably colder.	
		<i>January.</i>	<i>July.</i>
	43°	From the 19th to the 31st, mean 59°,44	Mean of the same days - 65°,
		Hottest day - 67,5	
		Coldest - - 56	
		Cook.	

*December*

Latitude.	Degrees.	SOUTHERN.	NORTHERN.	
			Corresponding Months.	
		<i>December.</i>		<i>June.</i>
From Lat.	0°	From the 9th to the 22d (La Peyroufe), mean - - - 50°,4	Mean	- - - 67°,
to	44°	And in lat. 42° and 43°, the hottest day did not exceed - - - 55,6		
		<i>December.</i>		<i>June.</i>
	48°	From the 15th to the 29th, mean 43°,	Mean	- - - 63°,
		<i>January.</i>		<i>July.</i>
		From the 1st to the 5th and from the 10th to the 15th, inclusive, mean - - - 47°,	Mean	- - - 65°,
		La Peyroufe.		
		<i>January and February.</i>		<i>July and August.</i>
	58°	From the 29th Jan. to the 8th February, mean - - - 43°,7	Mean	- - - 56°,5
		La Peyroufe.		

HENCE we see that up to latitude 40° the temperature of the northern is to that of the southern nearly as 14 to 13,5, and from latitude 40° to latitude 50° as 11 to 9, and from latitude 50° to 60° as 8 to 6 nearly, in the summer season.

## C H A P. IV.

*Of the Density of the Atmosphere.*

*Density* is the relation which the quantity of matter in any substance bears to the bulk of that substance. It might as well have been said, that it is the relation that the bulk of any substance bears to the quantity of matter contained in it, had it not been that the quantity of matter remains unaltered while the bulk varies. As the *quantity* of matter in all ponderable substances is proportioned to the *weight* and is no otherwise discoverable, the weight is often substituted for the quantity of matter. Hence the *mass* of any body is equal to its density multiplied into its bulk.

To compare with precision the bulk and quantity of matter in any substance, it is necessary that a given weight and a given bulk be assigned, in which the relation betwixt them is ascertained and expressed in known weights and measures, which may serve as a *standard* in all other cases.

THE bulk of all elastic fluids is affected and varied both by a variation of *pression* and a variation of *temperature*; to assign therefore a general standard for the density of these fluids, it is necessary to  
discover

discover some general circumstance in which a known pressure, a known temperature, and a known weight may be ascertained as nearly as physical researches admit or demand. Now this known and general circumstance is the temperature of the congelation of water, or  $32^{\circ}$  on Fahr. thermometer, or 0 of Reaumur, and is invariable all over the globe. The known *pression* is that of 30 inches English of mercury, whose specific gravity in temperature  $60^{\circ}$  or  $62^{\circ}$  is 13,6 nearly, on a basis of one square inch English measure; a pressure which may be universally ascertained, as mercury may be easily purified so as to possess that specific gravity, at least very nearly, and minute precision is in most cases unnecessary, at least in meteorology. And, lastly, the known *measure* is 87 feet, or 1044 inches, or 14,5 English fathom, this being the quantity of air which in this circumstance weighs as much as one-tenth of a cubic inch of mercury, that is, 344,32 grains at the level of the sea, at which the general mean height of the barometer is 30 inches.

THIS determination possesses this peculiar advantage, that if the pressure *varies*, the temperature  $32^{\circ}$  remaining unaltered, (as when the barometer stands above or below 30 inches) the measure or number of fathoms of air that possesses this weight may be discovered by the table of common logarithms, rejecting the characteristic; for if the barometer stands at any given height, then subtracting from the four first figures on the left of its logarithm, the four first figures

figures of the log. of a number one-tenth lower, the remainder thus found gives fathoms, and the residue, decimal parts of fathoms.

FATHOMS multiplied into 6 give feet, and multiplied into 72 give inches. The fathoms, feet, and inches are paralelipipeds, which, for the purpose of finding their weight, I suppose to stand on a basis of one square inch; consequently the inches are cubic inches, of which 1728 make one *cubic foot*, as do 144 of these altitudinal paralelipipeds, feet; and so do 24 of these paralelipiped fathoms. All this is commonly known, but is proper to mention here for greater clearness. That at the temperature of  $32^{\circ}$  the difference of the logarithms gives the height of air in English measure, has been shewn by General Roy. Sir George Schuckburg indeed supposes this to happen at the temperature of  $31^{\circ},24$ , but the difference is of no consequence.

THOUGH this subject is perfectly elementary, yet some examples and the solution of a few problems will be useful to those that are little accustomed to it. In these I all along suppose the temperature constant, namely, at  $32^{\circ}$ .

*Examples.*

*Examples.*

BAROMETER being at 30 inches, what is the length of a vertical column of air that weighs as much as the tenth of a cubic inch of mercury?

HERE 29,9 is the number which is  $\frac{1}{10}$  lower than 30. Then  $\log. 30 - \log. 29,9$  gives the length required, in fathoms and parts of fathoms.

$$\text{Log. } 30 = 477121$$

$$\text{Log. } 29,9 = 475671$$

Then the length required is - 14,50 fathoms.

HERE 14, is the difference of the four first figures of the logarithm, and 50, that of the two last figures, and therefore decimal parts.

*Note.*—When the barometrical height or heights are marked by mixed numbers, their logarithms must be sought as if they were integral numbers, and if one of them be an integer, it must be raised by the addition of a cypher or cyphers to the same number of places as the other has.

THUS in the above example 29,9 is considered as 299, and 30 as 300.

*Second.*

*Second.*

BAROMETER being 29,5, what is the length of a vertical column of air that weighs as much as  $\frac{1}{10}$  of an inch of mercury?

Here the number next lower is 29,4.

Then  $\log. 295 = 469822$

$\log. 294 = 468347$

---

14,75 fathoms.

---

HERE the preffure being diminished the length is greater than in the former Example.

*Third.*

BAROMETER being 29,54, what is the length of a vertical column of air that weighs as much as  $\frac{1}{10}$  of an inch of mercury?

Here the number  $29,54 - 0,1 = 29,44$ . Then  $\log. 2954 = 470410$

$\log. 2944 = 468938$

---

Length = 14,72 faths.

---

*Fourth.*

*Fourth.*

BAROMETER 30,05, what is the length of a vertical column of air that weighs as much as  $\frac{1}{10}$  of an inch of mercury ?

$$\begin{array}{r} \text{Here } 30,05 - 0,1 = 29,95. \text{ Then log. } 3005 = 477844 \\ \text{Log. } 2995 = 476397 \\ \hline \text{Length} = \underline{\underline{14,47}} \text{ fathoms.} \end{array}$$

*Fifth.*

BAROMETER 28,77, (which is its mean height at Geneva) what is the length of a vertical column of air that possesses the above-mentioned weight ?

$$\begin{array}{r} \text{Here } 28,77 - 0,1 = 28,67. \text{ Then log. } 28,77 = 458940 \\ \text{Log. } 2867 = 457428 \\ \hline \text{Length} = \underline{\underline{15,12}} \text{ fathom.} \end{array}$$

HENCE they breath, at a mean, lighter air than we do in Dublin, in the ratio of 1412 to 1450, at the temperature of 328, and also drier.



*Sixth.*

BAROMETER 30, what is the length of a vertical column of air that weighs as much as  $\frac{1}{16}$  of an inch of mercury = 172,16 grains?

$-\frac{1}{16}=0,05$  and  $30-0,05=29,95$ . Then  $\log. 3000=477121$

$\log. 2995=476397$

Length = 7,24 fathom,

which is nearly the half of the weight of  $\frac{1}{16}$  of an inch of mercury. In this manner, the length corresponding, to any other proportional part of an inch of mercury may be found. And reciprocally, the weight being given, the length of the vertical column possessing that weight may be found, first seeing what proportional part of the weight of an inch of mercury, viz. 3443,2, the given weight makes.

*Seventh.*

BAROMETER 29,5, what is the length of a vertical column of air that weighs as much as one inch of mercury?

Here  $29,5 - 1, = 28,5$ . Then  $\log. 295 = 469822$

$\log. 285 = 454845$

Length = 149,77 fathom.

*Eighth.*

*Eighth.*

BAROMETER 30, what is the weight of a cubic foot of air in this temperature (32°)?

WE have already seen in the first example, that 14,5 fathom of air weigh 344,32 grains, and also premised that one cubic foot = 24 fathom. Now as 14,5. fathom 344,32 grains :: 24. fathom 569,99 grains (nearly 570 grains). Barometer 29,5 a cubic foot of air weighs but 560,249 grains. See second Example.

*Note.*—The weight of a cubic foot of air in this temperature being thus found barometer 30, the weight of a cubic foot of air at any other barometrical height *below* 30 inches (=B) may be found though not exactly, yet very nearly, the difference not exceeding half a grain, for as 30. B :: 569,99.x. Thus as 30.29,5 :: 569,99 to 560,49, which differs only by 0,241 from the truth.

AND if the barometrical height given *exceed* 30 inches, then as B.30 :: x. 569,99.

So also 144 altitudinal feet on a basis of one square inch, weigh, barometer 30, 569,99 grains; so also do 1728 cubic inches,

H h 2

from

from which the weight at any other barometrical height may in the same manner be deduced. Thus barometer 30 in temperature  $32^{\circ}$ , 1000 cubic inches of air weigh 329,855 grains; then if the barometer be at 29,5, then 1000 cubic inches of air will weigh by this rule 324,357 grains; for as 30. 29,5 :: 329,855. 324,357, but more exactly 324, 218; for since a cubic foot of air at barometer 29,5 weighs 560,249 grains; then as 1728. 560,249 :: 1000. 324,218; the difference however is inconsiderable.

To expedite calculations of the weight of air, I have formed the annexed table of the weight of 1000 cubic inches of air (equal 13,888 fathoms or 83,332 feet,) at the following barometrical heights.

*Weight*

*Weight of 1000 Cubic Inches of Air at Temperature 32°.*

Barometer.	Grains.	Barometer.	Grains.	Barometer.	Grains.
31,—	340,84	30,3	322,1	28,6	303,4
29	339,74	2,2	321,0	2,5	302,3
28	338,6	2,1	319,9	2,4	301,2
27	337,5	29,—	318,8	2,3	300,1
26	336,4	2,9	317,7	2,2	299,0
25	335,3	2,8	316,6	2,1	297,9
24	334,2	2,7	315,5	27,—	296,8
23	333,1	2,6	314,4	2,9	295,7
22	332,0	2,5	313,3	2,8	294,6
21	330,9	2,4	312,2	2,7	293,5
30,—	329,85*	2,3	311,1	2,6	292,4
29	328,7	2,2	310,0	2,5	291,3
28	327,6	2,1	308,9	2,4	290,2
27	326,5	28,—	307,86	2,3	289,1
26	325,4	2,9	306,76	2,2	288,0
25	324,3	2,8	305,66	2,1	286,9
24	323,2	2,7	304,5	26,—	285,8

\* More exactly 329,810.

Barometer.

Barometer.	Grains.	Barometer.	Grains.	Barometer.	Grains.
26,9	284,7	24,—	263,8	23,1	242,9
,8	283,6	,9	262,7	22,—	241,8
,7	282,5	,8	261,6	,9	240,7
,6	281,4	,7	260,5	,8	239,6
,5	280,3	,6	259,4	,7	238,5
,4	279,2	,5	258,3	,6	237,4
,3	278,1	,4	257,2	,5	236,3
,2	277,0	,3	256,1	,4	235,2
,1	275,9	,2	255,0	,3	234,1
25,—	274,8	,1	253,9	,2	233,0
,9	273,7	23,—	252,8	,1	231,9
,8	272,6	,9	251,7	21,—	230,8
,7	271,5	,8	250,6	,9	229,7
,6	270,4	,7	249,5	,8	228,6
,5	269,3	,6	248,4	,7	227,5
,4	268,2	,5	247,3	,6	226,4
,3	267,1	,4	246,2	,5	225,3
,2	266,0	,3	245,1	,4	224,2
,1	264,9	,2	244,0	,3	223,1

Barometer.

Barometer.	Grains.	Barometer.	Grains.	Barometer.	Grains.
21,2	222,0	20,4	213,2	19,6	205,4
,1	220,9	,3	212,1	,5	204,3
20,—	219,8	,2	211,0	,4	203,2
,9	218,7	,1	210,9	,3	202,1
,8	217,6	19,—	209,8	,2	201,0
,7	216,5	,9	208,7	,1	200,9
,6	215,4	,8	207,6	18,—	199,8
,5	214,3	,7	206,5		

AND in general the weight of 1000 inches, barometer 30 being given, the weight at any proportional part of 30 may be found, it being the same proportional part of the weight at 30.

THUS the weight at barometer 30 is 329,855 then 20 being  $\frac{2}{3}$  of 30 the weight at barometer 20 is  $\frac{2}{3}$  of 329,855 grains=219,8 grains as in the table. The weight at barometer 10 (being  $\frac{1}{3}$  of 30) is 109,7 grains, the weight at barometer 1 is 10,99, the weight at barometer 0,1 is 1,099 grains.

THE weight of 1000 inches standing on a basis of one square inch, barometer 30 is 329,855 grains.

*Note.*

*Note.*—Also that 1000 inches = 83,3333 feet standing on the same basis, and consequently possess the same weight, as do also 13,8888 fathom.

PROBLEM, I.

To find the height that mercury would stand at, in a barometer at a given elevation in the atmosphere, the height at which it stands at the bottom of that elevation being also given, and the mean temperature of the air being also  $32^{\circ}$ .

SOLUTION.

If the height be given in feet or inches, convert them into fathoms or parts of a fathom. Subtract these fathoms (or parts of a fathom) from the log. of the height of the lower barometer, the remainder will give a logarithm belonging to the natural number, denoting the inches at which mercury should stand in a barometer on that elevation.

*Example.*

BAROMETER below being at 30 inches, at what height should mercury stand, on an elevation of 1000 feet? Mean temperature  $32^{\circ}$ .

HERE

HERE 10000 feet = 1666,66 fathom. And log. 30 = 477121.  
And  $4771,21 - 1666,66 = 3104,55$ .

NOW in Sherwin's table I find log. 31045 corresponds with the natural number 20,439 at this height, therefore the mercury in the upper barometer will stand.

PROBLEM, II.

THE height of mercury in a barometer on a certain elevation being given, to find the height of the mercury in a barometer at the bottom of that elevation. Mean temperature, 32.

*Solution.*

CONVERT the feet or inches expressing the elevation into fathoms, or parts of a fathom. Add these fathoms, &c. to the four first figures of the log. of the number of inches at which the mercury stands in the upper barometer, the sum will give the logarithm of the height of the mercury in the lower barometer, which seek in the table,

*Example.*

THE upper barometer standing at 20,439 on an elevation of 10000 feet, at what height does it stand in a barometer at the bottom of that elevation. Mean temperature 32°?

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3 I

Here



Here 10000 feet = 1666,66 fathom. And the log. of 20,439 is 310459. Now  $310459 + 166666 = 477125$  which correspond with the natural number 30. This then is the mercurial height in the lower barometer.

*Corollary.*

HENCE an elevation, and the mean temperature of  $32^{\circ}$  being given, the height at which two barometers would stand may be found, if the height of either be also given; otherwise the problem is undeterminate, and recourse must be had to the general position, that the mean height of a barometer standing at the level of the sea is 30 inches.

*But note.*—That if the height of the mercury in both barometers be not equal, they must be equalized as to that circumstance, by extracting the excess of one over the other, arising from the expansion of mercury by heat. The method I employ of effecting this equation is similar to that devised by Dr. Horsely; namely, by subtracting the degrees of heat of the colder barometer, from those of the warmer, and multiplying the difference into 0,40, and subtracting this product from the difference of the logarithms.

PROBLEM

PROBLEM, III.

THE height at which mercury stands in two barometers, one at the summit of any elevation, and the other vertically under it, or at least not more than ten miles distant from a vertical situation (the nearer the better), and the mean temperature being  $32^{\circ}$ ; to find the measure of that elevation, and the weight of of the intermediate column of air.

SOLUTION.

FIND the logarithms of those mercurial heights. The difference of the four first figures on the left of those logarithms gives the measure of that elevation in English fathoms; and the difference of the remaining three figures gives the decimal parts of those fathoms, the whole multiplied into six gives feet, or multiplied into 72 gives inches, as already said. The height of the mercury in both barometers should be taken at the same instant, after allowing them sufficient time to assume the temperature of the air, or at least to cool.

To find the weight of the intermediate column of air, observe by how many inches, or parts of an inch, the mercury

3 I 2

in

in the upper barometer differs from its height in the lower barometer. The weight of the intermediate column of air is just equal to the weight of that number of inches, or parts of an inch of mercury. Now a cubic inch of mercury, temperature  $32^{\circ}$ , weighs 3443,2 grains; therefore if the mercury in the upper barometer has fallen  $n$  inches, or parts of an inch, the intermediate column will weigh 3443,2  $n$ . Thus if the mercury has fallen only  $\frac{1}{10}$  of an inch, the weight of the intermediate column of air is  $3443,2 \times 0,1 = 344,32$  grains.

#### PROBLEM, IV.

THE elevation being given, and the height of the mercury above and below being found, to find whether the mean temperature of the intermediate column of air were above or below  $32^{\circ}$  or at  $32^{\circ}$  exactly.

#### SOLUTION.

IF the number of fathoms in the elevation *exactly corresponds* with the difference of the logarithm of the mercurial heights then the mean temperature of the column was exactly  $32^{\circ}$ . If the number of fathoms in the elevation *exceeds* the number indicated

indicated by the difference of the logarithms, then the mean temperature was higher than  $32^{\circ}$ . If it falls short of the number indicated by the difference of the logarithms, then the mean temperature was below  $32^{\circ}$ .

## SECTION, II.

HAVING found and determined by its weight the density of air and that of its variations, as far as these may be occasioned by the natural variations of *pression* in the temperature of  $32^{\circ}$ , it now remains to determine how far under each degree of *pression* it is altered by variations of temperature above and below  $32^{\circ}$ .

THERE are few subjects on which the opinions of philosophers differ so widely as on this. The principal reason of which variance appears to me to have been, that the experiments they appeal to were made in manometers of different dimensions in the bore and of glass differently composed and differently heated during its fusion. From this last circumstance its conducting power with respect to heat is various; but in all sorts of glass vessels air adheres to them with more or less force, according to their composition, in low heats  
(that

(that is beneath  $170^{\circ}$ ), and most in the lowest, and in those whose bore is smallest; hence much heat is lost in vanquishing this adherence, and, when it rises or falls, it does so by irregular jumps or starts, to say nothing of the internal inequalities of the bore, nor of the adherence of the mercury which confines the air.

THE person who, as appears to me, has most successfully avoided or lessened most of these obstacles is Mr. Schmidt, Professor at Gießen. The description of his apparatus is too prolix for insertion and cannot be understood without a plate. It may be seen in 4 Gren's Journal. His experiments were made partly on air artificially dried, and partly on air artificially moistened, but the degree of moisture was determined by no known hygrometer. However he found the expansions of dry air to be exactly proportional to the degrees of heat it was exposed to, and in this point he agrees with D'Amontons, Lambert and De Luc. Sir George Schuckburg, abating some inconsiderable variations, draws the same conclusion in all heats from  $32^{\circ}$  to  $83^{\circ}$  under a pressure of 30.5 inches of mercury, and infers from the mean of thirteen experiments that 1000 measures of air gain 2.43 by each degree of Fahr. above  $32^{\circ}$  and gain the same increase under a pressure of 40 inches or 23.5 inches of mercury. This last point however is contradicted

dicted, and as I think, very reasonably, by D'Amontons, Lambert, and lately in an excellent *memoire* of Monge in the 5th vol. of the *Annales de Chemie*.

By the experiments of general Roy, and those of Prieur Duvernois, 1 *Ann. Chemie*, the expansions of air are various at various degrees of heat. See *Philos. Transactions*, 1777. The general also asserts, that air under a pressure of 30 inches of mercury, or only of 25 inches, undergoes similar expansions, p. 708.

REJECTING manometers, as I think they should be rejected, it appears to me that there are three tests by which the suitableness of any coefficient should be tried. The first is conformity with the weight found at  $32^{\circ}$ . The second is the weight of the same volume of air at different temperatures, found by accurate weighing; and the third is the agreement of barometrical mensuration calculated according to the given coefficient, with the geometrical mensuration.

*Note.*— The difference betwixt  $32^{\circ}$  degrees and any degree above or below it I shall call in the sequel the *fundamental difference*.

*Examination*

*Examination of Schuckburg's Coefficient by the first Test.*

*First Experiment.*

Barometer 29,27 inches (29.3) } 1°. He found a bottle containing  
 Thermometer 53° } 13558,5 grains of water, and consequently containing 53,55 cubic inches. As 253,18 grains of water occupy the space of a cubic inch, temperature 62°, to weigh 16,22 grains less when exhausted of, than when full of air, after making every necessary allowance. Philof. Transf. 1777, 560. Consequently 53,55 cubic inches of air of that temperature, and under that pressure, weighed 16,22 grains. Now if 53,55 cubic inches weigh 16,22 grains, 1000 cubic inches should weigh 302,89 grains, and should retain that weight under any diminution of volume by cold, as there is no diminution of the quantity of matter.

2do. To reduce these 1000 inches of air to the volume they would occupy at 32°, I find that 53° exceeds 32° by 21 degrees; then subtracting from 1000 inches the number of inches, which according to Schuckburg they gained by twenty-one degrees above 32, namely  $2,43 \times 21 = 51,03$  inches, we have the volume they would occupy at 32°, namely 948,97 (say 949) inches. And these should weigh 302,89 grains.

3tio.

3tio. Now by the table, 1000 cubic inches at  $32^{\circ}$ , barometer 29,3 weigh 322,1 grains; and consequently 949 cubic inches should weigh 305,67 grain. Therefore the error of Sir George Schuckburg's coefficient is exactly  $305,67 - 302,89 = 2,78$  grains in defect; therefore his coefficient retrenched too little, and ought to be higher. It is needless to examine General Roy's coefficient at this temperature, though it being higher (2,51) it must be less defective.

THE coefficient which agrees best with this experiment is 2,84.

THE easiest method of finding how many measures, 1000 or any other measures of air gain by any temperature above  $32^{\circ}$ , is to multiply 1000, or such other measures, into that fundamental difference, and divide the product by 400, that being the reciprocal of the coefficient  $\frac{2,5}{1000}$ , which is that I employ; as applying more exactly in general than any other, though in some cases others may be more exact.

### *Second Experiment.*

Barometer 28,77 } 1<sup>o</sup>. According to Saussure, hygrometer.  
 Thermom.  $68^{\circ}$  } p. 284, a cubic foot of *dry* air weighs 751  
 grains, barometer 27, thermometer  $16^{\circ}$ .



OR in English measures, &c. 2090,8 cubic inches weigh 616 grains, barometer 28,77, thermometer 68°, consequently 1000 cubic inches should weigh 294,62 grains.

2do. THE difference between 68° and 32° is 36°. Then by Schuckburg's coefficient  $2,44 \times 36$ , should be subtracted from 1000 inches to reduce them to the volume they would occupy at 32°, namely 87,48 inches. Now  $1000 - 87,48 = 912,52$  inches.

3tio. BY the table, 1000 cubic inches at 32°, under the pressure of 28,7 mercurial inches, weigh 315,5 grains, and consequently 912,52 inches should weigh 287,90, but the number found by Schuckburg's rule weighs 294,62. Its aberration therefore amounts to 6,72 grains in excess. This however may proceed from the circumstance that this air was perfectly *dry*, and therefore heavier than atmospheric air usually is.

THE coefficient for this air, which is far less expansible than moist air, seems to be 1,29.

### *Third Experiment.*

Barometer 29,84 } According to Lavoisier (See the French  
Thermom. 54,5 } translation of my Essay on Phlogiston, p. 39.)  
100 cubic inches of common air weigh 46 grains, barometer 28,  
thermometer

thermometer  $10^{\circ}$ , or in equivalent English denominations 121 cubic inches weigh 37,73 grains, and consequently 1000 cubic inches weigh 311,81. But this determination not being the result of single experiments made in these circumstances, but a mean collected from experiments made at different barometrical heights and in different temperatures, is not sufficiently rigorous to serve as a test in this case.

*Fourth Experiment.*

Barometer 30,32 } 10. This is one of ninety-eight experi-  
 Thermom.  $68^{\circ}$ . } ments made by me with an excellent air  
 Hygrom. 75 } pump of Haafs's in the year 1786, on the  
 weight of air at different barometrical heights from 30,36 to 29,03,  
 and at different temperatures from  $73^{\circ}$  to  $41^{\circ}$ . The receiver  
 contained 116 cubic inches very nearly, which weighed 34,75  
 grains; consequently 1000 cubic inches should weigh 299,56  
 grains.

2do.  $68^{\circ}$  surpasses  $32^{\circ}$  by 36 degrees, consequently deducting  
 from 1000 what they gained by  $36^{\circ}$  of heat (namely by Schuck-  
 burg,  $2,43 \times 36 = 87,48$ ) there remain 912,52, which at tempe-  
 rature  $32^{\circ}$  weigh 299,56 grains.

3tio. Per table, 1000 cubic inches at  $32^{\circ}$ , barometer 30.3, weigh 333.1 grains, therefore 912.52 should weigh 303.96 grains. The error of this coefficient is therefore  $303.96 - 299.56 = 4.4$  grains in defect; it retrenches therefore too little.

I SHALL quote no more of these experiments, as, not having made them with a view of so nice a test as the present, I cannot answer for their accuracy to half a grain, and the greatest nicety would be requisite. Yet I believe, upon the whole, this to be a better method of finding a coefficient than any manometrical experiments.

*Method of finding the Coefficient.*

1<sup>o</sup>. THE barometrical height being found to three decimal places, and the temperature from  $80^{\circ}$  to  $33^{\circ}$  true to one decimal place, and also the hygrometer, find the weight of 1000 cubic inches of air truly to  $\frac{1}{10}$  of a grain =  $W$ .

2<sup>do</sup>. FIND the weight of 1000 inches at  $32^{\circ}$  at the same barometrical height =  $t$ , by the table, or still more nicely. Now since  $t$  denotes 1000 inches,  $W$  also at  $32^{\circ}$  will denote a lower number of inches, since it is a lower weight; then  $\div t. 1000 :: W. N$ .

3tio.

3tio. LET the thermometrical degrees above  $32^{\circ}$  (that is their difference with  $32^{\circ}$ ) = D. and let 1000 N =  $n$ , then  $D \propto = n$ , and  $\propto = \frac{n}{D}$ . This gives the coefficient sought.

*Example.*

THUS in the first experiment, barometer 29,3, thermometer  $53^{\circ}$ .  $W = 302,89$  grains. and  $t = 322,1$  grains. Now since 322,1 grains denote 1000 cubic inches, 302,89 at the same temperature should denote 940,36 inches = N. and  $1000 - 940,36 = 59,64$ , the number of inches gained by  $21^{\circ}$  of heat; therefore putting  $\propto$  for the coefficient,  $21 \propto = 59,64$ , and  $\propto = 2,84$ .

IN the second experiment I find, by similar reasoning, the coefficient to be nearly 2,000, but as this relates to air much drier than any hitherto found in the atmosphere, it is only useful so far as to shew that the *moister* air is the higher, must be the coefficient. It varies therefore according to the state of the air as to moisture between 2. and 3.

IN the fourth experiment, hygrometer  $75^{\circ}$ , I found it 2,77, but with us the hygrometer is generally above  $80^{\circ}$ . If, therefore, the hygrometrical mean be unknown, I take it that 2,5 is, at least of round numbers, the safest coefficient,

To

To prove the fitness of this coefficient it is necessary to give some instances of barometrical mensuration, wherein it is justified by results nearly agreeing with geometrical mensuration.

BAROMETRICAL mensuration is founded on this principle, that the density of the atmosphere and the height of mercury in a barometer *decrease* in a geometrical progression, corresponding with an *increasing* arithmetical progression as we ascend into the atmosphere; though it is only in the mean temperature of 32° that this geometrical progression can be truly indicated in English measures. The method therefore followed is, after equating both barometrical heights so far as these heights are occasioned by difference of temperature\*.

1°. To deduce from the corrected difference of the logarithms the heights resulting from the geometrical progression, as shewn, p. 439. This is called the *Logarithmic result*.

AND 2dly, as this height is always inferior to the real height when the mean temperature of the atmosphere surpasses 32°, to add to the logarithmic result, the quantity which that column of air gains in consequence of its mean temperature being some  
degrees

\* The most convenient mode of correction is shewn, p. 438.

degrees above  $32^{\circ}$ , the quantity thus found is called the *calorific result* or *supplemental* height; the union of both gives the *complete* height.

HENCE we see the necessity of having four thermometers, one attached to each barometer to indicate the temperature of the mercury in each, and two detached, one at the top and the other at the bottom, to indicate the temperature of the air; the mean heat of both is supposed to indicate the mean temperature of the air, and the difference of this mean and  $32^{\circ}$  must also be expressed. This I call the *fundamental difference*.

3tio. THE indications of the instruments being minuted, and the barometers, or rather their logarithms, *corrected*, as shewn, p. 438, the logarithmic result is obtained by subtracting the logarithm of the barometrical height at the top from that of the barometrical height at the bottom of the elevation, as shewn, p. 439. This is also called the *approximate height*.

4to. To obtain the *calorific result*, or *supplemental* height, two products are necessary. For, 1<sup>o</sup>. the fundamental difference must be multiplied into 2,5, and divided by 1000; or, more shortly, into ,0025, which is the same thing. The reason is this, 1000 measures of air at  $32^{\circ}$  gain by a heat of one degree above  $32^{\circ}$ , 2,5  
measures;

measures; therefore by any higher number of degrees above  $32^{\circ}$  they gain ,0025 multiplied into that number. This is the first or *fundamental product*.

2do. This product multiplied into the logarithmic result, expressed in fathoms, gives the second product, which affords the calorific result or supplemental height, and which I call the *supplemental product*. For since 1000 measures of air gain by multiplication into the number of degrees expressed in the *fundamental* difference, the quantity indicated by the first product, it is plain that the measures indicated by the logarithmic result would gain by multiplication into that product the quantity which results from that multiplication. This product therefore added to the logarithmic result in temperatures above  $32^{\circ}$ , or subtracted if below  $32^{\circ}$ , gives the *complete* measure of the elevation.

A FEW examples will render this process more intelligible to many. I select them chiefly from Sir George Schuckburg, because he had the rare advantage of having the cotemporaneous indications of his instruments at one station noted by intelligent persons, while he himself observed them at another station, namely, the highest. General Roy had sometimes the same advantage, but I fear not always, and hence probably the defective measure of Mount Elio in Wales.

*Measurement*

*Measurement of Mount Saleve.*

*First Series.*

Lower Barometer 28,399	Log. 4535030	}	Heat of the Mercury below 78°
Upper - - - 25,712	Log. 4101359		- - - - - above 72°,1
	Difference = 431,671		
	Correction = ,236		
	Logarithmic Result 431,435 fathoms.		5°,9X,4
			Correction = 0,236

*State of the Atmosphere and Calorific Result.*

Heat of the Air above 65,0	}	First Product.	}	Second Product, or Logarithmic Result,
- - - - - below 73,9				multiplied into the first Product.
Mean 2)138,9(69,4		37,4X,0035		431,435 X 0,0935
		= 0,0935		= 40,334 fathom.
Fundamental Difference 69°,4	}	Complete Height.		
- 32,		431,435		
= 37,4		+ 40,334		
		= 471,769 fathom X 6 = 2830,614 feet.		

Trigonometrical height = 2831,3 feet. Error of the barometrical measurement in minus  
2831,3 - 2830,614 = 0,686 foot.

*Third Series of Observations on Saleve.* Philos. Transf. 1777, p. 531.

Lower Barometer 28,393	Log. 4532113	}	Heat of the Mercury below 71°,1
Upper - - - 25,690	Log. 4097641		- - - - - above 69°,7
	Difference = 434,472		
	Correction = ,56		
	Logarithmic Result = 433,912 fathom.		Difference 1,4 X, 4
			Correction = ,56
VOL. VIII.	3 L		Calorific



*Calorific Result.*

<p>Heat of the Air, above 62°          - - - - - below 72,5</p> <hr style="width: 100%;"/> <p style="text-align: right;">2) 134,5 (67,2</p> <hr style="width: 100%;"/> <p style="text-align: right;">Mean 67,2</p> <hr style="width: 100%;"/> <p style="text-align: right;">- 32,</p> <hr style="width: 100%;"/> <p>Fundamental Difference = 35,2</p>	<p>} First Product.</p>	<p><math>35,2 \times ,0025</math>  <math>= 0,088</math></p>	<p>} Second Product, or Logarithmic Result,          multiplied into the first Product.</p>	<p><math>433,912 \times 0,088</math>  <math>= 38,184</math> fathom.</p>
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<p>Compleat Height.</p> <p style="text-align: right;">433,912</p> <p style="text-align: right;">+ 38,184</p> <hr style="width: 100%;"/> <p style="text-align: right;">= 472,096 fathom <math>\times 6 = 2832,576</math> feet.</p>	<p>}</p>	<p>Error.</p> <p style="text-align: right;">2832,576</p> <p style="text-align: right;">- 2831,3</p> <hr style="width: 100%;"/> <p style="text-align: right;">= ... 1,276 foot in <i>plus</i>.</p>
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Sum of the Errors of both Observations.

$$1,276 - ,686 = 0,590 \text{ of a foot.}$$

THESE instances evidently prove, that the errors of the barometrical calculation of heights proceed solely from the difficulty of obtaining the true mean temperature of the atmosphere, as there are hours in which the ascent of heat does not follow an arithmetical progression, as Picet has shewn, (supposing the instruments truly read). The properest hours are those between sun-rise and the hottest hour of the day, or between that hour and sun-set, the instruments being shaded from the sun, and left a sufficient time, (particularly the thermometers) to assume the temperature of the atmosphere.

*Barometrical*

*Barometrical Measurement of the Height of the Mole. The Geometrical Measurement gives its Height, 4211,3 Feet, per Schuckburg. Philos. Transf. 1777, p. 580 and 581.*

MOLE.

Lower Barometer	28,131	Log.	4491852	}	Heat of the Mercury below	61°,8	
Upper - - -	24,178	Log.	3834204		- - - - -	above	57,2
		Difference =	657,648			Difference	4,6 X, 4
		Correction =	1,84			Correction =	1,84
Logarithmic Result = 655,808 fathom.				}			

*Caloric Result.*

Heat of the Air below	63°,9	}	First Product.	}	Second Product.	}	Complete Height.
- - - - - above	56,		27,9 X ,0025		0,06975 X 655,808		655,808
			= 0,06975		= 45,742		+ 45,742
							= 701,550 fathom X 6
	2)119,9(59,9						
	Mean = 59,9		Error				
	- 34,		4211,3				
			- 4209,3				
Fundamental Difference = 27,9			= 2,0 feet.				= 4209,300 feet.

*West Summit of Schihallion, from General Roy. Phil. Transf. 1777, p. 775. 11th of July.*

Lower Barometer	29,595	Log.	4712183	}	Heat of the Mercury below	59°,5	
Upper - - -	26,194	Log.	4182018		- - - - -	above	46,
		Difference =	530,165			Difference =	13,5 × ,4
		-	5,400			Correction =	5,40
Logarithmic Result = 524,765							

*Caloric Result.*

Heat of the air below	56,9	}	First Product	}	Second Product.	}	Complete Height.
- - - - - above	45,		18,5 X ,002		,04625 X 524,76		524,765
			= 0,04625		= 24,270		+ 24,270
							= 549,035 fath X 6 = 3294,210 feet.
	2)101,(50,5						
	Mean = 50,5						
	- 32,						
Fundamental Differ. = 18,5							
							And by Trigonometrical Measurement = 3.81,
							Error of Barometer . . 13,210 feet.

HERE the error of my method is 13,21 feet. Schuckburg's error is 11,5 feet, and Roy's—2 feet. But in calculating the height from the observations taken the next day, July the 12th, Roy's error was . . 29,5 feet, Schuckburg's . . 19,7 feet, and mine . . 20,6 feet. Phil. Transf. 1778, p. 685.

HERE it is evident, that these errors arose from a faulty determination of the temperature of the atmosphere, for the approximate height found by General Roy, July 11th, was lower than that found July 12th. On the 11th it was 3142 feet, and on the 12th it was 3145 feet, and yet the compleat height was more defective. By my calculation it was higher the second day than on the first, and yet the error was *minus*, though *plus* on the first day.

I SHALL here add farther, that the error in calculating the height of Snowden, from the observations of August 7th, two hours P. M. is by Schuckburg's method 8,1 feet, by mine 9,7, by Roy's 3,7; but by the mean of nine observations on different days, Roy's error is 6,1; the calculation that gave the best result was made on observations at nine o'clock A. M. and the worst were made on observations during a haze or fog, whether above or below; which shews that the errors of these calculations proceeded chiefly from the disorderly progression of heat into the atmosphere. Hence the winter season is not well suited to them.

HAVING

HAVING given, p. 436, &c. the solution of several problems when the mean temperature of the atmosphere is at  $32^{\circ}$ , I shall now shew how similar results may be obtained when the mean temperature is above  $32^{\circ}$ .

PROBLEM 1<sup>st</sup>.

To find the height mercury would stand at in a barometer on a given elevation in a known latitude in summer and in clear weather, when the height at which it stands at the bottom of that elevation and the temperature of the atmosphere below are also given.

SOLUTION 1<sup>o</sup>.

FROM the latitude deduce the height of the line of congelation, (see the table, p. 361,) and from the height of this line, and the temperature of the air below, deduce the temperature at the given height, as shewn p. 362. The temperature above must also be deemed that of the mercury in the upper barometer, as, if it were exposed to the air a sufficient time, it would certainly assume it.

2<sup>o</sup>. CONVERT the measure of the elevation into fathoms, and subtract these fathoms from the logarithm of the height  
of

of the lower barometer, the remainder will give a logarithm which will denote the natural number, which expresses the height at which the mercury will stand in the upper barometer.

**BUT,** 3<sup>th</sup>io. The height of the mercury thus obtained is only that which it would have in temperature 32°. To obtain its height in the actual temperature above, we must add to the mercurial height thus found its  $\frac{1}{9800}$ \* part, multiplied into the fundamental difference, viz. the difference of the temperature above with 32°.

*Note* The supplemental height will generally be obtained more easily by multiplying the fundamental difference into the logarithmic result, and dividing the product by 400. Or if Schuckburg's coefficient be preferred, by 411.

\* This coefficient I take from that great treasure of mathematical knowledge Dr. Hutton's Dictionary, article *Barometer*.

*Examples.*

*Examples.**Salève.*

THIS mountain stands in the vicinity of Geneva and nearly in latitude  $46^{\circ}$ ; its height over a certain point of the plain below was accurately measured geometrically by Sir George Schuckburg, and found to be 2831,3 feet. He also gave three series of barometrical observations to ascertain its height barometrically, from the second of which series the indications here given are taken. See *Philos. Trans.* 1777, p. 530.

HEIGHT of the lower barometer 28,390 inches.

Temperature of the atmosphere below  $73^{\circ}$ .

THESE are the necessary *data*. The temperature above is part of the object of investigation.

*Investigation of the Height of Mercury in the upper Barometer.*

1°. THE temperature of the atmosphere above, by the method given p. 362, was found to be 64,16 and by observation  $64^{\circ}$ , therefore I neglect the fraction as inconsiderable. This must also here be deemed to be the temperature of the mercury in the upper barometer, though by observation it was found higher,  
for

for that was owing to accidental causes, viz. the heat of the tent in which it stood, and that of the man that carried it, and not having been allowed time to cool.

2do. 2831,3 feet converted into fathoms = 471,833 fathoms.

Log. of 28,390 = 4531,654

Subtract the fathoms —471,833

Remainder = 4059,821

which is the logarithm of the height of the mercury in the upper barometer, and denotes the natural number and height of the mercury = 25,467 inches nearly.

But this height is that which the mercury would have in the temperature of 32°, and the temperature being 64° this height must be increased by  $\frac{1}{8000}$  part multiplied into the fundamental difference, which in this case is 32°. Now  $\frac{25,467}{9600} = ,00265$ , which multiplied into 32° gives ,0901, and this added to the mercurial height 25,467 gives 25,557, its true height at temperature 64°.

In this manner the barometrical heights at the altitudes of the line of congelation may be found. Thus the altitude of the line of congelation, latitude 0 being 28000 = 4666,66 fathom,  
if

if the barometer below be *at 30 inches* we have  $\log. 30 = 477121$   
 $-4666,66 = \log. 010455$ , which denotes the natural number  
 10,244; and if the lower barometer be at 29,8 we have  $\log.$   
 $474216 - 4666,66 = \log. ,007550$ , which denotes the natural  
 number 10,176.

AND thus we find that the variations of the barometer at  
 great heights are generally smaller than those of the inferior  
 barometer,\* as De Luc and Sauffure have also remarked.

THUS the variation of the inferior barometer in this case is  
 0,2 of an inch, and the correspondent variation of the higher  
 is only ,0068 of an inch.

YET sometimes from local causes which disturb the natural  
 progression of heat, the variations of the barometrical height  
 above are greater or smaller, than, proportionally to the baro-  
 metrical height below, they ought to be; but the difference is  
 inconsiderable, though important, when the measurement of  
 heights is aimed at.

#### PROBLEM II.

THE height of mercury in a barometer at any elevation in  
 the atmosphere being given or found, and also the height of  
 mercury in a barometer vertically below that height, to find the

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3 M

weight

\* 7 Sauffure, 8vo. § 2049, p. 388



*weight* of the intermediate column of air, on a basis of one square inch, let the temperature be what it may.

SOLUTION.

THIS is found as in p. 439, and thus the weight of a column of air of any elevation and temperature, and under any given pressure, may be known, first determining the height or number of inches at which mercury would stand on that elevation by the last problem.

THUS the weight of the intermediate column of air at Saleve, the barometer below being at 28,39 and above at 25,486, was  $28,390 - 25,486 = 2,904$  inches of mercury = 3443,2 grains  $\times 2,904 = 9999,0528$  grains or 20,810 troy ounces; whereas the weight at the mean temperature of  $32^{\circ}$  would have been  $28,390 - 25,467 = 2,923$  inches of mercury = 20,967 troy ounces.

*Note.*—The weight of a *vertical* column of air of a given length cannot be determined, unless the weight to which it is subject be known, and consequently the height at which mercury would stand in a barometer placed over it be also known; now this weight is variable according to the state of the barometer below, though the temperature should be constant.

THUS

THUS supposing the length of the vertical column 1000 feet, the weight of these 1000 feet will be greater when the barometer below stands at 30 inches, than when it stood at 29 inches, and consequently the height of the barometer to which they are subject will be proportionably diminished — Thus in temperature  $32^{\circ}$ , barometer 30, a vertical column of air of 1000 feet in length, that is 83,3333 feet or 13,888 fathom, weighs 328,8 grains, for logarithm  $30=4771,213$ . 13,888 fathoms gives the log. 4757325, which corresponds with the natural number 29,9045 inches. And 30,0000

Inches.	Inches.	
inches—29,9045 =	,0955	and ,0955 of an inch of mercury =
3443,2 grains	$\times$ ,0955	= 328,8 grains.—But when the barometer
below is at 29, a vertical column of 1000 inches will be found		by a similar process to weigh 317,9 grains, the upper barometer
being 28,90772.		

*Table of the Heights of Air in Feet, which correspond with the Weight of one tenth of an Inch of Mercury or 344,32 Grains. from Barometer 31 to 15.\* Temperature 32°.*

Barometer.	Feet of Air.	Barometer.	Feet of Air.	Barometer.	Feet of Air.
31,—	—	29,4	88,5	27,8	93,6
30,9	84,2	,3	88,7	,7	93,9
,8	84,5	,2	89,1	,6	94,3
,7	84,7	,1	89,4	,5	94,5
,6	85,0	29,—	89,7	,4	95,0
,5	85,3	28,9	90,0	,3	95,2
,4	85,6	,8	90,3	,2	95,7
,3	85,8	,7	90,7	,1	95,9
,2	86,2	,6	90,9	27,—	96,4
,1	86,4	,5	91,3	26,9	96,7
30,—	86,7	,4	91,6	,8	97,0
29,9	87,0	,3	91,9	,7	97,4
,8	87,3	,2	92,2	,6	97,8
,7	87,6	,1	92,6	,5	98,1
,6	87,9	28,—	92,9	,4	98,6
,5	88,2	27,9	93,2	,3	98,8

Barometer.

\*Taken from Sir George Shuckburgh's table, Phil. Trans. 1777, p. 586.

Barometer.	Feet of Air.	Barometer.	Feet of Air.	Barometer.	Feet of Air.
26,2	99,3	24,3	107,0	22,4	116,0
,1	99,7	,2	107,5	,3	116,6
26,—	99,8	,1	107,9	,2	117,1
25,9	100,6	24,—	108,3	,1	117,7
,8	100,8	23,9	108,8	22,—	118,1
,7	101,2	,8	109,3	21,9	118,8
,6	101,6	,7	109,7	,8	119,2
,5	102,0	,6	110,2	,7	119,8
,4	102,4	,5	110,6	,6	120,4
,3	102,8	,4	111,1	,5	120,9
,2	103,2	,3	111,6	,4	121,5
,1	103,6	,2	112,1	,3	122,0
25,—	104,0	,1	112,6	,2	122,6
24,9	104,4	23,—	113,0	,1	123,3
,8	104,9	22,9	113,6	21,—	123,7
,7	105,3	,8	114,0	20,9	124,4
,6	105,7	,7	114,5	,8	125,0
,5	106,1	,6	115,1	,7	125,6
,4	106,6	,5	115,6	,6	126,2

Barometer.

Barometer.	Feet of Air.	Barometer.	Feet of Air.	Barometer.	Feet of Air.
20,5	126,8	18,6	139,7	16,7	155,6
,4	127,4	,5	140,5	,6	156,5
,3	128,0	,4	141,2	,5	157,5
,2	128,7	,3	142,0	,4	158,4
,1	129,3	,2	142,8	,3	159,3
20,—	130,0	,1	143,6	,2	160,4
19,9	130,6	18,—	144,3	,1	161,3
,8	131,3	17,9	145,2	16,—	162,4
,7	131,9	,8	146,0	15,9	163,4
,6	132,6	,7	146,8	,8	164,4
,5	133,3	,6	147,6	,7	165,4
,4	134,2	,5	148,5	,6	166,5
,3	134,6	,4	149,3	,5	167,6
,2	135,3	,3	150,2	,4	168,6
,1	136,1	,2	151,1	,3	169,8
19,—	136,8	,1	151,9	,2	170,9
18,9	137,5	17,—	152,9	,1	172,0
,8	138,2	16,9	153,7	15,—	173,1
,7	139,0	,8	154,6		

Table

*Table of the Heights of Air in Feet, reaching from Barometer 32 Inches to Elevations where it would stand at one Inch, Temperature 32°. or the incorrect approximate Heights in other Temperatures.*

Barometer. Inches.	Feet.	Barometer. Inches.	Barometer. Inches.	Barometer. Inches.	Feet.
32,—	00,0	31,—4	1336,6	29,8	2745,4
31,9	81,6	31,—3	1422,4	29,7	2836,1
31,8	163,4	31,—2	1508,6	29,6	2927,0
31,7	245,4	31,—1	1595,0	29,5	3018,3
31,6	327,8	30,—	1681,7	29,4	3109,9
31,5	410,4	30,—1	1768,7	29,3	3201,8
31,4	493,2	30,—2	1856,0	29,2	3294,0
31,3	576,3	30,—3	1943,6	29,1	3386,6
31,2	659,7	30,—4	2031,5	28,—	3479,5
31,1	743,4	29,—	2119,7	28,—1	3572,7
31,—	827,3	29,—1	2208,2	28,—2	3666,3
30,9	911,5	29,—2	2296,9	28,—3	3760,2
30,8	996,0	29,—3	2386,0	28,—4	3854,5
30,7	1080,7	29,—4	2475,4	28,—5	3949,0
30,6	1165,7	28,—	2565,1	28,—6	4044,0
30,5	1251,0	28,—1	2655,1	28,—7	4139,2

Barometer.

Barometer. Inches.	Feet.	Barometer. Inches.	Feet.	Barometer. Inches.	Feet.
28,2	4234,9	25,—	6432,6	23,8	8832,9
,1	4330,8	,9	6537,0	,7	8947,4
27,—	4427,2	,8	6641,9	,6	9062,5
,9	4523,9	,7	6747,2	,5	9178,1
,8	4620,9	,6	6852,9	,4	9294,1
,7	4718,3	,5	6959,0	,3	9410,7
,6	4816,1	,4	7065,6	,2	9527,8
,5	4914,2	,3	7172,6	,1	9645,5
,4	5012,8	,2	7280,1	22,—	9763,6
,3	5111,6	,1	7388,0	,9	9882,4
,2	5210,9	24,—	7496,3	,8	10001,6
,1	5310,6	,9	7605,1	,7	10121,4
26,—	5410,4	,8	7714,2	,6	10241,8
,9	5511,0	,7	7824,1	,5	10362,7
,8	5611,8	,6	7934,3	,4	10484,2
,7	5713,0	,5	8044,9	,3	10606,2
,6	5814,6	,4	8156,0	,2	10728,8
,5	5916,6	,3	8267,6	,1	10852,1
,4	6019,0	,2	8379,7	21,—	10975,8
,3	6121,8	,1	8492,3	,9	11100,2
,2	6225,0	23,—	8605,3	,8	11225,2
,1	6328,6	,9	8718,9	,7	11350,0

Barometer.

Barometer. Inches.	Feet.	Barometer. Inches.	Feet.	Barometer. Inches.	Feet.
20,6	11477,0	19,6	14138,2	17,6	17102,5
,5	11603,8	,5	14278,7	,5	17260,0
,4	11731,2	,4	14419,9	,4	17418,4
,3	11859,2	,3	14561,9	,3	17577,7
,2	11987,9	,2	14704,7	,2	17738,1
,1	12117,2	,1	14848,3	,1	17899,4
20,—	12247,2	18,—	14992,6	16,—	18061,8
,9	12337,0	,9	15137,8	,9	18225,2
,8	12509,1	,8	15283,8	,8	18339,6
,7	12641,0	,7	15430,6	,7	18558,0
,6	12773,6	,6	15578,2	,6	18721,5
,5	12906,9	,5	15726,7	,5	18889,1
,4	13041,1	,4	15876,0	,4	19057,7
,3	13175,6	,3	16026,2	,3	19227,5
,2	13310,9	,2	16177,3	,2	19398,4
,1	13447,0	,1	16329,2	,1	19570,4
19,—	13583,8	17,—	16482,1	Inches 15,—	19743,5
,9	13721,3	,9	16635,8	14	21541,3
,8	13859,5	,8	16790,4	13	23472,4
,7	13998,5	,7	16946,0	12	25558,1



Barometer. Inches.	Feet.	Barometer. Inches.	Table of differ- ent Feet.	Barometer. Inches.	Table of differ- ent Feet.
11	27825,4	30	000,0	19	11902,1
10	30309,0	29	883,4	18	13311,0
9	33054,4	28	1797,8	17	14800,4
8	36123,6	27	2745,5	16	16380,1
7	39603,1	26	3728,7	15	18061,8
6	43619,9	25	4751,0	14	19859,6
5	48370,8	24	5814,6	13	21790,7
4	54185,4	23	6923,6	12	23876,4
3	61681,8	22	8082,0	11	26143,7
2	72247,2	21	9294,2	10	28627,3
1	90309,0	20	10565,5		

These two last columns give the length of a column of air at 32°, counting from barometer 30 to a height in which the barometer would stand at (suppose) 29, = 883,4 feet.

*U/cr*

*Uses of this Table.*

10. To find the approximate height of any elevation in temperature  $32^{\circ}$ , the heights of the barometers above and below being given.

SUBTRACT the number of feet opposite to the lower barometrical height, from those opposite to the upper, the remainder is the approximate height very nearly. For as only one decimal place is given, there is no room for a correction.

*Example.*

THUS at the bottom of Mount Saleve a barometer stood at 28,39 inches (say 28,4) and at the top at 25,7 inches. Now in the table we have opposite to 25,7 inches 5713,0 feet, and opposite to 28,4 we have 3109,9 feet. Now  $5713,0 - 3109,9 = 2603,1$  feet, and Schuckburg makes it  $= 2602,878$  feet.

*Supplemental Height.*

MULTIPLY the fundamental difference of heat, into the approximate height, and divide the product by 450, if the height does not exceed 8000 feet; if it does, 1140 should be the divisor, the quotient is the supplemental height.

3 N 2

THUS

Thus in the above case the fundamental difference was 37,4, and the approximate height is 2603,1 feet. Now  $\frac{37,4 \times 2603,1}{450} = 219,8$ , which added to 2603,1 = 2819 feet.

THE error is 12 feet, and scarce ever exceeds by 40 feet the results of other methods.

2d<sup>o</sup>. To find the height or number of inches at which mercury would stand on a given elevation true to five-tenths of an inch, when that altitude does not exceed 19700 feet, the height of the mercury below being given.—Add to the given altitude, that opposite to the given barometrical height. The altitude nearest to the sum of both will point out the barometrical height sought.

Thus the height of Mount Blanc being 14624 feet above Mr. Senebier's cabinet at Geneva, and the height of the lower barometer being 29,1 (English), a barometer at the top of that mountain was found to stand at 17 inches—And by this calculation it stood at 16,6, for opposite to 29,1 we have 2475. And  $14624 + 2475 = 17099$ . The nearest tabular number to this is 17102, which denotes 16,6 inches of mercury. The error then is 0,3 of an inch.—But in general it is much smaller; thus, in measuring the Mole, whose height is 4211 feet, Schuckburg found the lower barometer 28 1, &c.

&c. and the upper 24,1. Now in the table the opposite number to 28,1 is 3386, which added to 4211 gives 7597, the nearest tabular number is 7605, which denotes the mercurial height 23,9, the error then is only 0,2 of an inch.

3tio. THE barometrical height below being given, to find on what elevation the barometer above should stand at a given number of inches, temperature  $32^{\circ}$ . This is in effect to seek the approximate height of that elevation, and therefore the elevation is found in the same manner. Thus the barometer below being at 28,4, the elevation at which it would stand at 25,7 is 2603 feet.

*Note.*—The table commencing at 30, I have inserted because we generally reckon upwards from the level of the sea, at which the mean mercurial height, temperature  $32^{\circ}$ , is 30 inches. The intermediate tenths must be found by subtraction from logarithm 30. Thus the height of mercury 29,1 denotes an elevation of 793 feet.

## C H A P. V.

*Of Precipitations from the Atmosphere.*

THERE are five substances constantly contained in the atmosphere, or at least in its lower strata, with which we are principally concerned; namely, oxygen, mephite, moisture, caloric, and electron, otherwise called the electric fluid, if this be not (which nevertheless I suspect it to be) a modification of caloric.\* As, however, its effects are very different from those usually ascribed to caloric, it may and ought, like ice and water, to be distinguished by a different appellation. Besides these, heavy inflammable air and other miasmata are frequently found in it, and the lighter inflammable air in its superior strata; but these mixtures are contingent, and therefore form no part of the present general inquiry.

*Oxygen* is frequently precipitated through its affinity to terrestrial substances in certain states, as combustion, putrefaction, &c. Effects

\* By *modification* I here mean a different situation of caloric, namely, on the external surfaces of bodies, and not in their minutest internal cavities. *Light* I take to be another modification of caloric, namely, an homogeneous arrangement of some or all its constituent particles, which, when thus arranged, and then only, become *visible*.

fects foreign to meteorology. In the atmosphere, meeting with inflammable air, as in thunder storms, it is often converted into water by the electric explosion, and thus precipitated; and thus most *fiery* meteors are formed.

THE *electric fluid* is generally precipitated either suddenly during electric explosions, or gradually and silently by the diminution of caloric and the fall of *dew* or *rain*. It is these last precipitations which I now mean to examine; and as I ascribe them to electric agency, it will be necessary to lay down those principles of atmospheric electricity which are most generally adopted by electricians, and the consequences that appear to me clearly deducible from them.

#### SECTION I.

##### *Of Atmospheric Electricity.*

1°. MERB atmospheric air is an *idio-electric*; or non-conducting substance.

2°. AIR holding water in solution is also a non-conductor, and so much the *more perfectly so*, as, relatively to the degree of heat it possesses, it is farther removed from the point of saturation,  
and

and so much the less perfect as it is nearer to saturation with moisture.

3°. As heat increases, and cold diminishes the solvent power of air, it follows that the quantity of moisture in both cases remaining the same, its non-conducting power is in direct proportion to its heat.

4°. MERE vapour is a *conductor* electricity, and so much the more perfect as it is *hotter* ; and moreover, it contains and appropriates a considerable proportion of the electric fluid.

5°. VAPOUR dissolved in air forms, as already said, a compound which possesses the non-conducting property in the direct ratio of its heat and the inverse of its proximity to saturation ; this compound involves also a considerable portion of the electric fluid proportioned to the heat of the vapour in its nascent state.

6°. VAPOURS separated from air, through whatever cause, form *clouds* and *foggs*, as already mentioned. In the first stage of their coalescence, the minute particles of which these consist, retain, in the form of electric atmospheres surrounding each particle, a considerable proportion of the electric matter which they previously, involved in their combined state, and so much the greater, as they contained

contained more of it in that state ; but in this state of coalescence they *retain* the electric fluid more slightly and become *conductors*, insulated by the drier air that furrounds them.

7°. As the various substances which form the surface of the globe are variously heated, so also are the vapours they emit, and which are united to the air incumbent over them, consequently they involve, when united to air, different portions of the electric fluid.

Consequently 1°. The vapours emitted in different latitudes contain different portions of electric matter, bearing a porportion to the temperatures of those latitudes.

2°. So also do the vapours emitted at different seasons of the year.

3°. So also those emitted from the sea, and those emitted from land between the tropics and the warmer tracts, if not mountainous ; the former contain least, and the latter most of the electric fluid.

4°. In the colder regions, in summer, the marine vapours also contain least, and those from land contain most of this fluid. But in winter the marine contain most, and those from land least.



5°. FOR the same reason the vapours that originate from high mountains contain least, and those from plains most, and those also may vary in different situations.

8°. HENCE we see that *clouds* originating from the condensation of those vapours, and each retaining, though more loosely, at least a portion of the electric fluid they originally involved, must contain different portions of it, or be, what is called, differently electrified, that is, *plus* or *minus*, at least relatively to each other.

9°. CLOUDS of equal surfaces and similarly and equally electrified repel each other. But if the surfaces be very unequal, the greater will gradually steal the electron from the smaller if brought into contact, as *Coulomb* has shewn with respect to metallic balls similarly electrified. *Mem. Paris*, 1787. If near, but not in contact, the greater will throw the lesser into a contrary state and then attract it.

10. CLOUDS dissimilarly electrified, and beyond the striking distance, attract each other.

11°. So also portions of air impregnated, but often far from being saturated with vapours unequally electrified, act upon each other, those more strongly electrified robbing the weaker of a  
portion

portion of their electron, and thus these are, at least in part, converted into a *cloud*; but clouds being still better conductors of electricity, the cloud thus formed robs, in its turn, the portions of air more strongly electrified of their electron, and converts, at least partially, their vapours into clouds; thus the dimensions of the original cloud is increased until it covers a considerable part of the horizon. By this sudden nubification a considerable quantity of caloric is set loose, which rarefies the air, and thus occasions a storm or eruption of air from all quarters, in a word, a *hurricane*.

## SECTION II.

### *Of Dew.*

IN hot weather, particularly if the heat is long continued, as in summer and autumn, vapours are dissolved and elevated to great heights, but in the evening, particularly after sun-set, when the air is cooled, a portion of this vapour, proportioned to the refrigeration, gradually descends, until at last the lower strata of air become saturate and gradually deposit it on the contiguous denser substances. The moisture thus deposited forms what is called *dew*. That there is likewise an ascending dew arising from the effluvia of vegetables which emit air accompanied with moisture, but deposit it on the inferior surfaces of more elevated

substances, has been sufficiently proved and explained by Muschenbroeck and Du Fay. Mem. Paris 1756.

THERE is however a puzzling circumstance mentioned by the above-named naturalists, and for which they have not accounted. It has been observed in several places to be deposited very copiously on idioelectrics, as glass and all vitrifications, but scarce at all on the best conductors, as metallic substances, which evidently shews that dew conveys electricity; but why is not this fluid carried off by conducting substances more easily than by non-conductors? Mr. Achard tells us, Mem. Berlin, 1780, p. 17, that conductors assume the electrical state of the ambient air very easily, but glass very slowly; therefore the conductors and vapours being both in the same state, whether positive or negative, repel each other, but glass being in a contrary state repels them. This, however, does not appear to me perfectly satisfactory, as far as respects glass, for it should seem that, after some hours, this also should assume the same electrical state as the air, and then repel the vapours. I should rather suppose that glass collects moisture by reason of its strong attraction for moisture, for it has been observed that, in distilling water in glass and metallic vessels of the same dimensions and in the same heat, much more water passes in a given time through the glass than through the metallic vessels: nay when the helm of a glass still was connected with two receivers,

ceivers, with one by a metallic and with the other by a glass adopter, more passed through the latter than through the former. It is probable that Du Fay, who made these experiments, would give this explanation if he had pursued this inquiry. Thus the breath is immediately evaporated from polished steel, but is retained by polished glass.

MUSCHENBROECK also observes that this different power of collecting dew is in some measure local, for that it does not take place at Leyden though it does at Utrecht, Hefs and Paris, which appears to me to be occasioned by the unequal electrization of the vapours; those from the vicinity of Paris and Utrecht being collected from a drier soil are more highly electrified than those of Leyden, the soil of which is so moist that they can have no cellars, whereas they can and have at Utrecht. He also tells us, fogs, universally, equally moisten all bodies, which shews they contain much less electric than descending vapors.

HENCE dew is nothing more than the condensed vapours elevated during the day from the soil over which the air that deposits it is incumbent, and hence its noxious qualities when elevated from flagrating marshes, and the various impregnations it has been found to contain.

SECTION

## SECTION III.

*Of the Haze of the Year 1783.*

THIS year is remarkable for several extraordinary phœnomena of which this haze was the most universal. It is but slightly mentioned by English meteorologists\*, but frequently by those on the continent, by whom it has been variously accounted for. The facts that relate to it, or appear to me to do so, are the following :

1°. IN the months of February and March of that year happened the great earthquakes of Calabria, so minutely and exactly traced and described by Sir William Hamilton. Phil. Transf. 1783, p. 170, &c.

2°. DURING this earthquake the incumbent atmosphere was incumbered and obscured by clouds to an uncommon degree. 24 Roz. Journ. p. 5.

3°. ON the 17th and 18th of the subsequent month of June a dark reddish haze that obscured the light of the sun was observed in many parts of Europe, even in high northern latitudes as England and Sweden, Phil. Transf. 1784. p. 285, 418, and 24 Roz. p. 8 and 405.

4°.

\* Phil. Transf. 1784.

4°. This haze was in most places introduced by a south or south east wind. 24 Roz. p. 5 and 409. Mem. Dijon, 1783, p. 228.

5°. This southerly wind did not produce rain, nor lower the barometer, but on the contrary raised it to an unusual height, and it fell when the wind changed to the north. 24 Roz. p. 4 5 Neve Schw. Abhandl. p. 9 and 13. 2 Mem. Dijon, 1783 p. 214. 1 Mem. Laufanne, p. 116 and 280.

6°. This southerly wind when the haze first appeared occasioned an extraordinary degree of cold, for the month of June. 23 Roz. p. 203, 24. Roz. p. 4. Phil. Transf. 1784, 417 and 418.

7°. This haze at first stood at an extraordinary height, in so much that it was not dissipated or lessened by rains or winds, but seemed of a dry nature; but after some time it gradually sunk lower, and was at least partially dissipated by rains and winds. Phil. Transf. 1784, p. 285. 24 Roz. p. 4, 5, 9, 10, 407 and 408. 1 Mem. Dijon, 229. 1 Mem. Laufan. 119.

8°. It was followed at certain intervals by thunder and short but copious falls of rain, and fiery meteors, one of which is well traced and described by Sir Charles Blagden. See Phil. Transf. 1784, p. 201, 285 and 286. 1 Mem. Laufanne, 114. 23 Roz. 203. 24 Roz. 5, 10, and 409.

9°. It

9°. It is even said to have deposited in some places a viscid liquid of a disagreeable taste, 24 Roz. 20. 1 Mem. Dijon, 1783, p. 229. Nay some say it was accompanied by an acrid or sulphureous smell, 23 Roz. Journ. p. 203, and 24 Roz. p. 410.

OTHER circumstances are mentioned by the authors quoted, but with some variation, such as must be expected to arise from different situations as well as from the different states of this mist.

FROM an attentive consideration of these observations I am disposed to concur with the opinion of Sir William Hamilton, Phil. Transf. 1783, p. 194 and 199. That this haze was caused by the immense quantity of inflammable air extricated from the bowels of the earth during the earthquakes of Calabria, strongly electrified, and impregnated with sulphureous bituminous, earthy and metallic particles. The quantity was such as to diffuse itself after a few months over most parts of Europe. While these heterogeneous particles were held in solution the transparency of the atmosphere was not altered; it was otherwise when they began to precipitate.

THEN 1°. The obscurity and dark red colour of the haze may be attributed to the sulphureous metallic, &c. particles, which absorbed all but the least refrangible solar rays, particularly at sunrise and sunset.

2do. THE

2do. THE direction of the wind seems merely a contingent circumstance, yet as this phænomenon, or at least its cause, originated in the southern part of Europe, it possibly has been extended northwards by a southern wind.

3°. While the *impetus* of the eruption of this air lasted, it may well be supposed to reach the greatest heights like the still denser smoke of volcanos; but, as it consisted chiefly of heavy inflammable air, it may be inferred that it gradually descended and its heterogeneous contents became visible every where nearly at the same time, but its height for a long time secured it from the winds that prevail in the lower strata of the atmosphere; but when it had descended some way these winds and rain gradually dispersed and washed it away.

4°. THE atmosphere, thus loaded with metallic and other particles thrown into it far beyond the limits suited to their specific gravity, must have its weight increased, and hence the extraordinary heights of mercury in barometers. While diffused over vast spaces, the additional weight accruing to the atmosphere from these particles may have been insensible or not easily distinguished, but became evident when they had somewhat descended and were concentrated, and hence the varying accounts we have had of the manner in which barometers were affected during the mist;



neither can it be supposed that the density of these foreign particles was ever the same.

5°. THE uncommon cold produced by this haze originated, partly from the obstruction it presented to the passage of the solar rays, and partly from the descent of its particles exceedingly cooled in the lofty regions of the atmosphere into which they at first ascended; this effect, however, must have varied with their number, density, and the duration of their precipitation.

6°. THE thunder, fiery meteors and the sudden and violent rains, which accompanied the descent of this haze, may well be attributed to the high electrical state of its particles which were insulated in the more elevated regions, but was often communicated in the lower and moister strata; on this occasion the bituminous and sulphureous particles must have acted a principal part.

A SIMILAR haze was observed in Persia in the year 1721, after the great earthquake in Georgia which destroyed the city of Tauris. 5 Richard's Hist: des meteors, p. 164. The darkness which obscured the sun after the death of Cæsar may probably be assigned to a similar cause, for Julius Obsequens \* de Prodigiiis, tell us there were earthquakes about that time.

THE

\* He lived in the reign of the emperor Honorius, and collected the prodigies mentioned by Livy, &c.

THE only objection to this theory, which may at first view appear plausible, is, that the quantity of smoke elevated to the greatest height during volcanic eruptions does not produce a haze of a similar nature and extent; yet on consideration it appears to me of no weight; for, 1°. The electricity of this smoke is destroyed during the eruption by the frequent flashes of lightning that take place in the body of the smoke during its ascent, and consume the hydrogen and bituminous particles; and, 2do. This smoke then consists chiefly of heated air, impregnated with incinerated carbonic particles, and not of metallic particles of which it is not a solvent; and as the colder ambient air presses towards the volcano and the heated smoke, its diffusion is prevented, and never, unless by a storm, are its particles carried farther than 20 or 30 miles. See *Histoire de Vésuve par Padre della Torre*, p. 127, &c.

#### SECTION, IV.

##### *Of Rain.*

DIMINUTION of the temperature of air, replete with moisture, below the degree at which its saturation takes place, whether this refrigeration were caused by rarefaction, or by the intermixture with colder air, has been generally supposed the cause of rain; but this hypothesis in both its branches

has been satisfactorily refuted: the first by Saussure\* and the second by De Luc†. And in fact refrigeration will indeed separate moisture from air cooled below the temperature necessary to hold it in solution. But this separation will terminate, if gradual, in the production of *dew*, as already seen, or, if sudden, in the production of a *cloud*, as in the experiment of Tornea mentioned by Maupertuis, but cannot nor has in any instance produced *rain*.

RAIN is the immediate result of the union of the particles which form clouds; and this union is the consequence of the subtraction of the electric atmospheres which keep them at a distance from each other; and this subtraction is itself the consequence either of the superior attraction of better conductors or of the attraction or repulsion of other clouds through the causes mentioned in the first section of this chapter. The consequence of the *attraction* of clouds is their *incorporation*, and the result of their incorporation is the increased volume of their constituent particles, an increase proportioned to the attraction that produced it; the increased volumes, thus produced, form those drops whose collection we call *rain*. The weight of these being superior to the resistance of air, they necessarily descend, and the cause of their different size is thus clearly discerned.

THE

\* Hygrom. § 224.

† De Luc Idées de Meteorologie, p. 43, &c.

THE repulsion of clouds similarly electrified, and not greatly differing in magnitude, terminates in a bare increase of distance; but, if their magnitudes be much disproportioned, it may terminate in *attraction*, or at least in forcing the constituent particles into closer contact, and thus by increasing their magnitude effect the same result.

WHEN the attraction takes place between clouds differently and highly electrified, and within what electricians call the *striking distance*, the electric fluid is set free, the coalescence of the nubilous particles is more rapid and complete, and hence the large drops that follow flashes of lightning, or even floods, where the quantities both of vapour and electron are considerable, as between the tropics.

UPON these principles most of the phenomena relative to rain appear to me easily explicable; of these the most remarkable are:

1<sup>o</sup>. THAT rains are more copious but less frequent in the southern parts of our hemisphere not much elevated over the sea, than in the more northern latitudes. They are more copious when their productive causes occur, evidently because the quantity of suspended vapour is much greater in the hotter than in the

the colder regions; but they are less frequent, because the variations of wind in different directions which introduce and intermix clouds differently electrified are less frequent; this might be proved by instancing the rainy seasons between the tropics, were it not that this illustration would extend this paper to too great a length. Even in moderately elevated situations between the tropics, if insulated and of small extent, as the island of St. Helena, it seldom rains.

2do. THAT, in the temperate latitudes, rains are also more copious, though commonly less frequent in *summer* than in *winter*, for the reasons already assigned. *Dry* summers are then the consequence of uniform winds, from whatever quarter they may blow, as *wet* summers are of their variation, particularly if in opposite directions, and if they reach heights sufficient to intermix the clouds that subsisted during the reign of their antagonists.

3do. SOUTHERLY winds are most frequently accompanied with rain, in most parts of Europe at least, and probably in most parts of our hemisphere; but *northerly* and *easterly*, with clear, dry, and serene weather. Because southerly winds are not only warmer, proceeding from warmer climates, but also more highly electrified than the soil of the colder countries into which they flow. Hence the copious vapours they contain are quickly deprived of part of their elecron, and thus converted into clouds; but  
the

the superior strata of the atmosphere under which the southern air is introduced, not being supported by air as dense as that which subsisted under them before their introduction, necessarily descend and mix with the inferior southern air; by this intermixture they are warmed, and deprive the clouds already formed and in its vicinity of part of their electron, or perhaps in conformity to the eleventh principle, they are themselves deprived of part of their electron by those clouds, and the vapours they contain are thus converted into clouds; in either way clouds differently electrified must be formed. Hence proceeds their gradual attraction to each other which terminates in those gentle showers that usually accompany this wind. Northerly and easterly winds on the contrary, proceeding from colder countries are less highly electrified than the soil of the countries they invade; and hence from the opposite reasons to those just mentioned they introduce serene weather and a disposition adverse to nubification.

THE reasons hitherto adduced to explain the different effects of these different winds, evidently arose from an ignorance of the origin and progress of these winds. It was imagined that southerly winds, flowing into colder countries were suddenly cooled by an intermixture with the colder air of those countries, and that thus their vapours were condensed into rain, yet, even so, this intermixture could only produce clouds and not rain,  
but

but in fact this intermixture cannot take place, except with the superior and unmoved strata of the atmosphere, and these alone could not produce numerous clouds, much less copious rains; for the air of the countries into which these southerly winds flow, must itself have flown northwards, before the more southern air could enter upon them, as shewn p. 397.

MOREOVER, southerly winds retain much warmth, and northerly winds are so much colder in the countries into which they are introduced, that their temperature cannot be supposed sufficiently altered to deposit much vapour in the one case, or dissolve much of that already condensed in the other; on the contrary the warm southerly wind should dissolve the clouds already formed, and the northerly, by their increased cold, should produce many more.

HENCE electrical agency must of necessity be resorted to, though I do not doubt but it may be more correctly applied by persons better versed in electrical knowledge than I can pretend to be. Currents of air flowing in different directions at different heights in the atmosphere, must undoubtedly be intimately connected with these effects, but with these we are at present too little acquainted.

4<sup>o</sup>. THAT a disposition to rain is generally connected with a diminution of the weight of the atmosphere, as is a disposition  
to

to serenity with the increase of its weight. Because under the diminished weight of the atmosphere, the eruption of vapours both from land and water is much more copious, a disposition highly favourable to nubification, and the clouds already formed descend lower, are more concentrated, and hence more disposed to react upon and attract each other and thus produce rain. The increased weight of the atmosphere must produce opposite effects and induce a disposition adverse to the production of rain.

5°. THAT more rain falls on the surface of the earth than on small elevations above it, as from 30 to some 100 feet: see Phil. Transf. 1769, p. 361; and of 1771, 297; and of 1777, p. 256. This effect seems to me to proceed from the greater stillness and tranquillity of the air near the surface of the earth than at greater elevations. To prove this, it is only necessary to collect the rain that falls in moderate weather on both situations, with that which falls on both, in more stormy weather. If this explanation be just the difference between the quantities collected in both situations will be found greater in the latter than in the former case. This experiment I shall make, and communicate the result to the Academy.

6°. THAT the quantities of rain collected at the top of high mountains, and on plains about half a mile distant from those mountains are nearly equal, but in summer there falls somewhat



more on the plains, and in winter somewhat less. Phil. Trans. 1771, p. 295. The greater quantity of rain collected in summer on plains appears to me to proceed from the cause just mentioned, the less disturbed state of the atmosphere; but the quantity of rain gained through the influence of this cause is often, in great measure, compensated by that arising from the condensation of fogs formed on the summits of mountains, particularly at night, when neither fog nor rain exist on the plains. But in winter, these mists being much more frequent and denser on the summits of mountains, the quantity of moisture which they deposit is far more considerable.

7<sup>o</sup>. THAT it rains much more on the western coasts of most parts of Europe, particularly if mountainous, than in the interior parts of those countries, or on the eastern coasts of the British islands.

THE cause of these phenomena is very obvious. Westerly winds are by far the most frequent in most parts of Europe; these flow from the Atlantic which bounds it, and generally convey marine clouds electrified differently from the soil or land over which they flow, as also from that of the higher clouds under which they reign. Hence proceeds their mutual attraction, and thence rain. This effect must take place principally on the western coasts; when they

they proceed further, this different electrical state must either cease or be diminished. When the coasts are mountainous, these mountains quickly absorb the electric matter contained in the western blasts, and by collision, condense the vapours they contain, first into clouds, and finally into rain. Hence it often happens that westerly winds, particularly in summer, produce no rain, either because they introduce no clouds, or meet with none differently electrified.

8°. THAT in some countries it scarce ever rains.—This arises from local circumstances, as is apparent in the following instances :  
 1°. It never rains on the plains of Peru from the gulf of Guyaquil, nearly under the equator, up to latitude  $23^{\circ}$  south, nor is thunder ever heard there, though these plains border on the Pacific Ocean, but they receive a slight dew every night. Bouguer, fig. de la Terre XXIII. 2 Ulloa's Mem. p. 157. 2 Phil. Trans. Abr. 132. Plainly from the following reasons: These plains are entirely sandy, and, consequently, emit very little vapour, being soon parched by the heat that there prevails; consequently, the intermixture of marine vapours can produce no effect. Again, the clouds in these tracts are elevated to a great height, and are attracted by the electrical agency of the Cordellieres that border on these plains, to their lofty summits, and there produce copious rains; hence also the sandy and extensive deserts of Arabia and Africa are seldom re-

freshed by rain. 2do. It scarce ever rains in Egypt, particularly in Upper Egypt. Now it is to be observed, that Egypt is so situated betwixt lofty mountains that no wind can enter it without passing over them, but the northerly winds, which issue from the Mediterranean ; for a southerly wind must pass over the mountains of Abyssinia ; an easterly, over those that intercede between the Red Sea and the Nile, and proceeding from the Deserts of Arabia, can convey little or no vapour ; and westerly winds must pass over the Deserts of Africa and Mount Atlas. Now the northerly wind does not begin to blow until the month of June, when Egypt is so scorched as to emit scarce any vapour, and the few clouds it may convey are attracted by the mountains of Abyssinia. Towards the middle of June the inundation of the Nile, it is true, commences, and then, as the northerly wind still continues, perhaps rain might be expected, but little attention being paid to it then, we are not informed whether any falls or not, perhaps the clouds then also pass to the mountains of Abyssinia, whither this wind conveys them, and which they deluge with rain ; all other winds deposit their moisture on the reverse of the mountains they pass over.

C H A P.

*Prognostics.*

WHEN the barometer falls, and the hygrometer rises, *rain* is announced.

WHEN the barometer rises, and the hygrometer falls, we may expect fair weather, if farther changes do not appear in these instruments, as sometimes there suddenly do.

IF the barometer falls and the hygrometer also, *windy weather* will probably follow—particularly if the barometer falls much below its natural height, which in Dublin is from 29,9 to 29,98.

AGAIN, in the morning the hygrometer is generally higher than at noon, by reason of the difference of temperature; but if it stands *lower at noon* in a greater proportion than the difference of temperature demands, it prognosticates *fair weather*.—On the contrary, if at noon it be higher than it stood in the morning, *rain* may be expected. Sauss. Hygr. p. 356.

*To*

*To foresee the Rise or fall of the Barometer in Day-time.*

OBSERVE it at seven o'clock in the morning, and afterwards at nine and at ten. If it remains steady, its next motion will probably be *downwards*. So also if it falls within that interval of time, the probability is, that it will *sink* still lower. But if it rises within that interval, the chances of a greater rise or of a greater fall are equal.

AGAIN, observe the barometer at one in the afternoon, and again at three; if it remains unmoved, it is probable that it will *rise*, but if it has fallen, the chances of a farther rise or fall are equal.

## APPENDIX.

## APPENDIX.

*Of the Manner of taking Observations on the Hygrometer and of correcting its Indications.*

THE hygrometer should habitually be kept loose under a glass jar, to prevent it from being fouled by flies or dust. Observations should be made in the open air and in the shade at a distance from houses or reflected heat. It requires but about two minutes to arrive at its proper height. But the observations thus taken must be corrected by the table that follows :

TABLE

T A B L E III.

*Of the Degrees of Cold necessary to bring the Hydrometer from its actual State to the Degree which marks Saturation.*

Hygrometer.	Cold.	Hygrometer.	Cold.	Hygrometer.	Cold.
XL	34,695	LV	21,825	LXX	12,846
XLI	33,642	LVI	21,135	LXXI	12,333
XLII	32,625	LVII	20,461	LXXII	11,829
XLIII	31,641	LVIII	19,801	LXXIII	11,333
XLIV	30,689	LIX	19,156	LXXIV	10,846
XLV	29,766	LX	18,524	LXXV	10,370
XLVI	28,870	LXI	17,905	LXXVI	9,904
XLVII	28,001	LXII	17,299	LXXVII	9,449
XLVIII	27,156	LXIII	16,705	LXXVIII	9,005
XLIX	26,334	LXIV	16,122	LXXIX	8,572
L	25,534	LXV	15,551	LXXX	8,151
LI	24,755	LXVI	14,990	LXXXI	7,741
LII	23,995	LXVII	14,439	LXXXII	7,340
LIII	23,254	LXVIII	13,899	LXXXIII	6,947
LIV	22,531	LXIX	13,368	LXXXIV	6,561

LXXXV

Hygrometer.	Cold.	Hygrometer.	Cold.	Hygrometer.	Cold.
LXXXV	6,182	XC	4,379	XCV	2,698
LXXXVI	5,810	XCI	4,034	XCVI	2,373
LXXXVII	5,444	XCII	3,694	XCVII	1,961
LXXXVIII	5,084	XCIII	3,358	XCVIII	1,399
LXXXIX	4,729	XCIV	3,026	XCIX	0,755

*Notes*—1°. THE degrees of heat here mentioned are those of Reaumur.

2do. THAT the point of saturation is here supposed to be C.

3tio. THAT the second column expresses the distance from saturation, that is, the number of degrees by which the heat must be diminished to raise the hygrometer to C. As the degrees here mentioned are those of Reaumur, these and those of Fahrenheit must be converted into each other as occasion may require\*.

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Of

\* To convert Fahrenheit's degrees into those of Reaumur, when higher than 32°, subtract 32, and divide the remainder by 2,23, the quotient is the degree of Reaumur on the *Geneva Thermometers*.—If the degrees of Fahr. be below 32, subtract them from 32 and divide the remainder by 2,23.

To convert the degrees of Reaumur into those of Fahr. if above 0, multiply them into 2,23 and add 32 to the product.—If below 0, multiply them into 2,23 and subtract the product from 32, the remainder expresses the degree of Fahrenheit.



*Of the Uses of the foregoing Table.*

THE use of this table is to discover, when different observations are made at different times or places and at different degrees of heat, what the real quantity of moisture is, as pointed out by the hygrometer; for as this instrument equally *descends to dryness* when the heat increases, or the quantity of vapours in the air decreases, and equally *ascends to moisture* when the heat *decreases*, or the quantity of vapours in the air *increases*; it is necessary to find on which of these causes, and to what degree, this variation depends. Now these problems may easily be resolved by this table. I shall begin by the circumstances of an *increase of heat*.

If the heat *increases* after the first observation, and the hygrometer descends, three cases may have happened, 1<sup>o</sup>. There may have been no *variation of vapour*; or, 2<sup>do</sup>. There may have been an *increase* of vapour but disproportionate to the heat; or, 3<sup>tio</sup>. There may have been also a *decrease* of vapour as well as an *increase* of heat.—We may also imagine a fourth case, in which there may be an *increase* of vapour proportionate to the *increase* of heat, but in that case the hygrometer would not descend.

THE first step to be taken in this investigation is to observe what effect the increased degrees of heat should have on the hygrometer, abstracting

abstracting from the influence of vapour. If the descent of the hygrometer be such as the table shews to result from the mere increase of heat, then there was no increase or decrease of vapour; but if the descent be *smaller* than mere heat would occasion, then there must have been an *increase* of vapour; and if the descent be *greater*, then there must have been also a *decrease* of vapour as well as an *increase* of heat.

THUS, 1°. Suppose an hygrometer to stand at XCVIII, at any given degree of heat, and that the heat afterwards increases 5° of Reaumur, and then that the hygrometer stands at LXXXIV and four-tenths, and it is required to know to what cause this ascent is to be attributed.

REMARK, in the first observation, at what thermometrical distance XCVIII stands from C, that is, what degree of *cold* or decrease of heat it wants to bring it to C. Now in the second column of this table you will find 1°,399 opposite to, and corresponding with XCVIII, therefore it wants 1°,399 degrees of Reaumur to bring it to C. But if the heat be increased five degrees more, then it is plain it will want 6,399 degrees of cold to bring it to C. Look then in the second column of the table for this number; you will not find it exactly, but you will find it is intermediate between the tabular numbers 6,182 and 6,561, but nearer

to this last, consequently nearly corresponding with the hygrometrical degree LXXXIV, the degree found in the second observation ; therefore you may conclude, that this degree of *apparent* dryness did not proceed from any *decrease* of vapours in the air, but solely from the *increase* of heat.

BUT, 2do. If in the second observation the hygrometer had been at LXXXVI, then it is plain that it stands about two hygrometrical degrees higher than five degrees of heat would have brought it to, and consequently that there was an *increase* of as much vapour as would raise the hygrometer about two degrees.

3tio. IF, in the second observation, the hygrometer had been found at LXXX, it is plain that this is four hygrometrical degrees lower than the accession of five degrees of heat would have sunk it to ; therefore there was a decrease of as much vapour as would lower the hygrometer four degrees if the first temperature had remained.

AGAIN, to discover the effects of cold and distinguish them from the effects of a *real accession of vapour* the same case will serve, only inserting the observations, (for 1°,399 degrees of cold would bring XCVIII to C.) Suppose then the first observation to be LXXXIV nearly, and that the air being cooled five degrees of Reaumur,

mur, the hygrometer at the second observation stands nearly at XCVIII. Opposite LXXXIV, I find  $6^{\circ},561$  in the second column, which denotes that  $6,561$  degrees of cold are required to produce C, but of these 6, &c. 5 have actually accrued; therefore only  $6,561 - 5 = 1,561$  remain; and in the second column I find this number intermediate between 1,961 and 1,399, but nearer to this last; therefore the effect produced is solely attributable to cold and not to any new increase of vapour.—If after the accession of five degrees of cold the hygrometer stood at XCIX, then it would follow that as much vapour had been produced as raised the hygrometer one degree.—If, on the contrary, on the second observation it were found, that, after the accession of five degrees of cold, the hygrometer stood at only XC degrees, it would prove that there had been such a *diminution* of vapour as counteracted the influence of cold, and would, at the temperature of the first observation, make it stand eight hygrometrical degrees lower than at first.

THE use of this table with respect to observations made at different *places*, in different temperatures, and presenting different hygrometrical degrees, is to find by it in which of those places the real quantity of moisture is greatest. This is found by reducing the temperature at one of those places to that of the other, so that the effect of mere temperature may be excluded, that thus we  
may

may see what hygrometrical degree the observation so reduced would exhibit, whether higher, lower, or equal to the other.

Thus, supposing an hygrometer on a mountain, at the temperature of  $7^{\circ}$  Reaumur, to stand at XCVI, and an hygrometer on a plain, at the temperature of  $15^{\circ}$  Reaumur, to stand at LXXX, and it is required to know at which place most vapour exists in the air, let us then reduce the hygrometer on the plain to the temperature of that on the mountain, and see at what hygrometrical degree, being so lowered, it would stand by finding its distance from C, and to reduce it to  $7^{\circ}$ , the temperature of the mountain, I must take away  $8^{\circ}$  of heat, for  $15^{\circ} - 8^{\circ} = 7^{\circ}$ , and consequently superinduce  $8^{\circ}$  of cold. Now I find by this third table, that an hygrometer at LXXX, let its temperature be what it may, wants but  $8^{\circ},151$  degrees of cold to bring it to C, therefore, by thus subtracting eight degrees of cold, I find it will arrive very nearly at C, for it wants only  $0,151$  of it; therefore more vapour exists on the plain than on the mountain, since the hygrometer on the mountain at the same temperature marks only XCVI.

THIS problem may be resolved *more readily* by inspecting the first table; for there we find that XCVI, at the temperature of  $7^{\circ}$  of Reaumur, indicate about 7,6 grains of moisture in the cubic foot, and that LXXX, at  $15^{\circ}$  Reaumur, indicate 8,045 grains—

or

or still more exactly thus: the hygrometer on the mountain being heated eight degrees more (that is to  $15^{\circ}$ ) will stand at nearly LXXV, for it is already heated to  $7^{\circ}$ , and by the third table wants  $2^{\circ}.373$  degrees of cold to bring it to C; but when heated  $8^{\circ}$  more, it will require  $10.373$  degrees of cold to bring it to C, and, consequently, will mark nearly LXXV. Now, by the first table, LXXV at  $15^{\circ}$  Reaumur denote 7,205 of moisture, and LXXX at  $15^{\circ}$  denote 8,045.

*Note*—I regret much the want of Mr. Lesley's hygrometer (an instrument as simple as it is ingenious) to compare its indications with those of Sauffure's. See 3d vol. Nicholson's Jour. 461.